

Criterion 1 – Curricular Aspects

| Key Indicator | 1.1 | Curriculum Design and Development |
|---------------|-------|--|
| Metric | 1.1.3 | Average percentage of courses having focus on employability/ |
| | | entrepreneurship/ skill development offered by the department. |

DEPARTMENT OF MATHEMATICS

SYLLABUS COPY OF THE COURSES HIGHLIGHTING THE FOCUS ON EMPLOYABILITY/ ENTREPRENEURSHIP/ SKILL DEVELOPMENT

1. List of courses for the programmes in order of

| S. No. | Programme Name |
|--------|-----------------------------------|
| i. | Bachelor of Science (Mathematics) |
| ii. | Master of Science (Mathematics) |

2. Syllabus of the courses as per the list.

| Legend : | Words highlighted with Blue Color |
|----------|-------------------------------------|
| | Words highlighted with Red Color |
| | Words highlighted with Purple Color |

- Entrepreneurship
- Employability
- Skill Development

1. List of Courses

| Name of the Course | Course Code | Year of Introduction | Activities/Content with direct bearing on Employability/ Entrepreneurship/ Skill development |
|---|----------------|-------------------------|---|
| | B.Sc. Ma | athematics | |
| Communication Skills in English | XGL101 | 2018-19 | Employability: Assignment & Seminar. To acquire basic Learning skills |
| Fundamental Physics | XPG103 | 2018-19 | Employability: Assignment, Seminar and Group discussions |
| Foundation Course in Mathematics | XMT104 | 2018-19 | Employability: Assignment, Seminar and Quiz |
| Differential Calculus & Integral Calculus | XMT105 | 2018-19 | Employability: Assignment, Seminar and Quiz |
| Human Ethics, Values, Rights and Gender Equality | XUM106 | 2018-19 | Employability: Assignment, Seminar and Quiz |
| Fundamental Physics Lab | XPG107 | 2018-19 | Employability: Assignment, Seminar and Group discussions |
| English for Effective Communication | XGL201 | 2018-19 | Employability: Assignment & Seminar. To acquire basic Lear ning skills |
| Environmental Studies | XES202 | 2018-19 | Employability: Assignment, Seminar and Group discussions |
| Modern Physics | XPG 203 | 2018-19 | Employability: Assignment, Seminar and Group discussions |
| Differential Equations & Laplace Transforms | XMT204 | 2018-19 | Employability: Assignment, Seminar and Quiz |
| Sequences and Series | XMT205 | 2018-19 | Employability: Assignment & Seminar. To acquire basic knowledge about Numbers. |
| Modern Physics Lab | XPG206 | 2018-19 | Employability: Assignment, Seminar and Group discussions |
| Logic and Sets | XMT301 | 2018-19 | Skill Enhancement: Seminar: To learn some application about logic and sets |
| Programming in C | XMT302 | 2018-19 | Employability: Miniproject, Seminar and Group discussions |
| Real Analysis | XMT303 | 2018-19 | Employability: Assignment, Seminar and Quiz |
| Analytical Geometry 3D | XMT304 | 2018-19 | Employability: Assignment, Seminar and Quiz |
| Programming in C – Practical | XMT305 | 2018-19 | Employability: Miniproject, Seminar and Group discussions |

| Disaster Management | XUM306 | 2018-19 | Employability: Miniproject, Seminar and Group discussions |
|------------------------------------|---------|---------|--|
| Theory of Equations | XMT401 | 2018-19 | Skill Enhancement Seminar: To learn how to find roots of algebraic equations |
| Introduction to Matlab | XMT402 | 2018-19 | Employability: Miniproject, Seminar and Group discussions |
| Vector Calculus and Fourier Series | XMT403 | 2018-19 | Employability: Assignment, Seminar and Quiz |
| Algebra | XMT404 | 2018-19 | Employability: Assignment, Seminar and Group discussions |
| Introduction to Matlab – Practical | XMT405 | 2018-19 | Employability: Miniproject, Seminar and Group discussions |
| Probability and Statistics | XMT501 | 2018-19 | Skill Enhancement: Seminar: To learn how to apply hypothesis tests |
| Matrices | XMT502A | 2018-19 | Employability: Assignment, Seminar and Quiz |
| Discrete Mathematics | XMT502B | 2018-19 | Employability: Assignment, Seminar and Quiz |
| Numerical Methods | XMT503A | 2018-19 | Employability: Assignment, Seminar and Quiz |
| Mechanics | XMT503B | 2018-19 | Employability: Assignment, Seminar and Quiz |
| Linear Algebra | XMT504A | 2018-19 | Employability: Assignment, Seminar and Quiz |
| Astronomy | XMT504B | 2018-19 | Employability: Assignment, Seminar and Quiz |
| Graph Theory | XMT601 | 2018-19 | Skill Enhancement Seminar: To learn how to apply different types of graphs in various fields |
| Complex Analysis | XMT602A | 2018-19 | Employability: Assignment, Seminar and Quiz |
| Number Theory | XMT602B | 2018-19 | Employability: Assignment, Seminar and Quiz |
| Linear Programming | XMT603A | 2018-19 | Skill Enhancement: To learn about formation of equation with some real world problems |
| Stochastic Processes | XMT603B | 2018-19 | Employability: Assignment, Seminar and Quiz |
| Project | XMT604 | 2018-19 | Employability: Miniproject, Seminar and Group discussions |

| | M.Sc. Ma | thematics | |
|--|----------|-----------|--|
| Groups and Rings | YMA 101 | 2014-15 | Employability: Assignment, test and case study. |
| Analysis-I | YMA 102 | 2014-15 | Employability: Assignment, test and case study. |
| Differential Equations | YMA 103 | 2014-15 | Employability: Assignment, test and case study. |
| Discrete Mathematics | YMA 104 | 2014-15 | Employability: Assignment, test and case study. |
| Graph Theory | YMA1E1 | 2014-15 | Skill Enhancement : Seminar: To learn types of Graphs and their properties/ To learn about application of coding theory/To learn about application of set theory in Logic |
| Coding Theory | YMA1E2 | 2014-15 | Employability: Assignment, test and case study. |
| Mathematical Logic | YMA1E3 | 2014-15 | Employability: Assignment, test and case study. |
| Linear Algebra | YMA 201 | 2014-15 | Employability: Assignment, test and case study. |
| Analysis-II | YMA 202 | 2014-15 | Employability: Assignment, test and case study. |
| Integral Equations, Calculus of Variations and Transforms | YMA 203 | 2019-20 | Employability: Assignment, test and case study. |
| Operations Research | YMA 204 | 2014-15 | Skill Enhancement :Seminar: To learn how to apply optimization techniques in real world problems |
| Algebraic Number Theory | YMA2E1 | 2014-15 | Skill Enhancement : Seminar: To learn algebraic number theory/ To learn about algorithms in data structures/To learn about application of Fuzzy sets and Fuzzy Logic |
| Data structures and Algorithms | YMA2E2 | 2014-15 | Employability: Assignment, test and case study. |
| Fuzzy sets and fuzzy logic | YMA2E3 | 2014-15 | Employability: Assignment, test and case study |
| Field Theory | YMA 301 | 2014-15 | Employability: Assignment, test and case study |
| Topology | YMA 302 | 2014-15 | Employability: Assignment, test and case study. |
| Automata Theory | YMA303 | 2020-21 | Employability: Assignment, test and case study |
| Mathematical Statistics | YMA 304 | 2014-15 | Skill Enhancement: Seminar: To learn how to apply various methods of mathematical statistics |
| Data Analysis using SPSS | YMA3E1 | 2020-21 | Employability: Assignment, test and case study |

| Numerical Methods | YMA3E2 | 2014-15 | Employability: Assignment, test and case study |
|-----------------------|---------|---------|---|
| Commutative Algebra | YMA3E3 | 2014-15 | Employability: Assignment, test and case study |
| Complex Analysis | YMA 401 | 2014-15 | Employability: Assignment, test and case study |
| Functional Analysis | YMA 402 | 2014-15 | Employability: Assignment, test and case study |
| Mathematical Modeling | YMA403 | 2020-21 | Employability: Assignment, test and case study |
| Project work | YMA404 | 2014-15 | Employability: Assignment, test and case study |

2. Syllabus of the courses

| | DURSE CODEXGL101LTPSS | | | | | | | H | С |
|--|--|--|---|---|--------------------|------------|-------|--------|------|
| COU | RSE | NAME | Basic English Communication Skills | 2 | 0 | 0 | 0 | 2 | 2 |
| C:P:A | A - 3: | 0:0 | | | | | | | |
| COU | RSE | OUTCOM | ES: | Do | omai | n | L | evel | |
| CO1 | Rec | all the basic | grammar and using it in proper context | Co | gniti | ve | Reme | ember | ing |
| CO2 | Exp | <i>lain</i> the pro | cess of listening and speaking | Co | gniti | ve | Under | rstand | ling |
| CO3 | Add | <i>ipt</i> importat | t methods of reading | Co | gniti | ve | Cr | eating | 5 |
| CO4Demonstrate the basic writing skillsCognitiveUnder | | | | | | | | | ling |
| UNIT | I | Grammar | | | | | | | |
| | | sic grammat | ical categories ii. Notion of correctness and attitud | de to | erroi | ſ | | 9 | |
| correc | | | | | | | | | |
| UNIT | | Ű | and Speaking | | | | | | |
| | 1 | | ing skills iv. Problems of listening to unfamiliar d | | | | | 9 | |
| | | * | n and fluency in speaking vi. Intelligibility in spe | eaking | 5 | | | | |
| UNIT | | Basics of l | | | | | | 0 | |
| | | , extrapolativ | ing skills viii. Introducing different types of texts /e | – na | rrativ | ve, | | 9 | |
| UNIT | IV | Basics of | Writing | | | | | | |
| | | | ng skills x. Aspects of cohesion and coherence xi | | | | | 9 | |
| | | | affecting the structure xii. Reorganizing jumbled | | | | o a | | |
| | | U 1 | Drafting different types of letters (personal notes | s, nou | ices, | | | | |
| complaints, appreciation, conveying sympathies etc.) Total Hours | | | | | | | | 36 | , |
| | | | | | | | | | |
| Toyt | book | 7 | | | | | | | |
| Text | | | Gower M (1999) Reading and Writing Skills. Lo | ondon | . Lo | ngm | an | | |
| Text | 1. A | cevedo and | Gower M (1999) Reading and Writing Skills. Lo al. (2015). Oxford Advanced Learner's Dictionar | | | - | an | | |
| Text | 1. A 2. D | Acevedo and Deuter, M et. | Gower M (1999) Reading and Writing Skills. Lo al. (2015). Oxford Advanced Learner's Dictionar New Delhi, OUP | | | - | an | | |
| Text | 1. A 2. D (Nin 3. E | Acevedo and Deuter, M et. hth Edition). Castwood, Jo | al. (2015). Oxford Advanced Learner's Dictionar New Delhi, OUP hn (2008). Oxford Practice Grammar. Oxford, OU | ry of I JP | Engl | ish | | | |
| Text | 1. A 2. D (Nin 3. E 4. H | Acevedo and Deuter, M et. nth Edition). Eastwood, Jo Iadefield, Cl | al. (2015). Oxford Advanced Learner's Dictionar New Delhi, OUP hn (2008). Oxford Practice Grammar. Oxford, OU rris and J Hadefield (2008). Reading Games. Lon | ry of I JP | Engl | ish | | | |
| Text | 1. A 2. D (Nin 3. E 4. H 5. H | Acevedo and Deuter, M et. 10 Edition). Castwood, Jo Iadefield, Cl Iedge, T (20 | al. (2015). Oxford Advanced Learner's Dictionar New Delhi, OUP hn (2008). Oxford Practice Grammar. Oxford, OU nris and J Hadefield (2008). Reading Games. Lon 05). Writing. Oxford, OUP | Ty of JP | Engl Lon | ish | | | |
| Text | 1. A 2. D (Nin 3. E 4. H 5. H 6. J | Acevedo and Deuter, M et. nth Edition). Castwood, Jo Hadefield, Ch Hedge, T (20 olly, David (| al. (2015). Oxford Advanced Learner's Dictionar New Delhi, OUP hn (2008). Oxford Practice Grammar. Oxford, OU hris and J Hadefield (2008). Reading Games. Lon 05). Writing. Oxford, OUP 1984). Writing Tasks: Students' Book. Cambridg | Ty of JP | Engl Lon | ish | | | |
| Text | 1. A 2. C (Nin 3. E 4. H 5. H 6. J 7. K | Acevedo and Deuter, M et. nth Edition). Dastwood, Jo Iadefield, Ch Iedge, T (20 olly, David (Clippel and S | al. (2015). Oxford Advanced Learner's Dictionar New Delhi, OUP hn (2008). Oxford Practice Grammar. Oxford, OU uris and J Hadefield (2008). Reading Games. Lon 05). Writing. Oxford, OUP 1984). Writing Tasks: Students' Book. Cambridg wan (1984). Keep Talking. Oxford, OUP | Ty of JP Idon, ge, CU | Engl Lon; JP | ish gma | | | |
| Text | 1. A 2. C (Nin 3. E 4. H 5. H 6. J 7. K 8. S | Acevedo and Deuter, M et. nth Edition). Castwood, Jo Iadefield, Cl Iedge, T (20 olly, David (Clippel and S Caraswati, V | al. (2015). Oxford Advanced Learner's Dictionar New Delhi, OUP hn (2008). Oxford Practice Grammar. Oxford, OU hris and J Hadefield (2008). Reading Games. Lon 05). Writing. Oxford, OUP 1984). Writing Tasks: Students' Book. Cambridg | ry of] JP idon, ge, CU Black | Engl Lon; JP | ish gma | | | |

B. Sc (MATHEMATICS)

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 | PO11 | PO12 | PSO1 | PSO2 |
|-----------------|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|------|------|------|------|
| CO1 | 2 | 0 | 0 | 0 | 0 | 0 | 2 | 0 | 1 | 0 | 0 | 0 | 0 | 0 |
| CO2 | 2 | 0 | 0 | 0 | 0 | 0 | 2 | 0 | 1 | 0 | 0 | 0 | 0 | 0 |
| CO3 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 | 0 | 0 |
| CO4 | 2 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 | 0 | 0 |
| CO5 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| Total | 7 | 0 | 0 | 0 | 0 | 0 | 6 | 0 | 4 | 0 | 0 | 0 | 0 | 0 |
| Scaled Value | 2 | 0 | 0 | 0 | 0 | 0 | 2 | 0 | 1 | 0 | 0 | 0 | 0 | 0 |
| | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 | 0 | 0 |

Table 1: Mapping of Cos with POs:

 $1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

0-No Relation, 1- Low Relation, 2 – Medium Relation, 3- High Relation

| | GA | GA1 | GA1 | GA1 |
|------------|----|----|----|----|----|----|----|----|----|-----|-----|-----|
| | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 0 | 1 | 2 |
| CO1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 2 | 0 | 0 |
| CO2 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 2 | 0 | 0 |
| CO3 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 |
| CO4 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 |
| CO5 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 1 | 1 | 0 |
| Tota l | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 2 | 2 | 6 | 2 | 0 |
| Scal e | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 2 | 1 | 0 |

 Table 2: Mapping of COs with GAs:

1-5→1, 6-10→2, 11-15→3

| COU | RSE (| CODE | XGL102A | | | L | Т | Р | С | | | | |
|---|------------------|--|---|---------------|-------|-------|----------------------|---------|------------|--|--|--|--|
| COU | RSE N | IAME | mwptpay; jkpo; | | | 3 | 0 | 0 | 3 | | | | |
| COURSE NAME mwptpay; jkpo; PREREQUISITE | | | | | | L | Т | Р | Н | | | | |
| | C:P: | A | 3:0:0 | | | 3 | 0 | 0 | 3 | | | | |
| COU | RSE (| DUTCON | IES | | | | ЛАIN | I | LEVEL | | | | |
| CO1 | rhu;e | e;j El;gq; | | | vj; | Cogni | tive | Rem | embering | | | | |
| CO2 | Choo Gtpa | ose (njup | T nra;jy;) tlnkhop Ntu;r; pytpay; gw;wpg; goe;jkp | • • | %yk; | Cogni | Cognitive Rememberin | | | | | | |
| CO3 | Desc | | f;Fjy;) njhy;fhg;gpak; % | yk; mwptpay; | | Cogni | tive | Unde | erstanding | | | | |
| CO4 | rhu;e Fwp | e;jgpupTi j;J njspT | Ĺj;Jjy;) gy;NtW fy;tpj;Jiv fs;>gy;NtW fy;tpj;Jiw rhu ngwy;. | ;e;j gpupTfs; | | Cogni | | Appl | ying | | | | |
| CO5 | | | y;) mwptpay; rpWfijfspd ehlfq;fspd; gq;F Fwpj;J n | | /;Wk; | Cogni | tive | Anal | yzing | | | | |
| myF | | | ay; jkpo; mwpKfk; | | | | | | 9 | | | | |
| Fwpg | oay;> ;gpLk | epytpay ; capup | wptpay; Jiwfs; /; gw;wp goe;jkpo; ,yf ay;> kz;zpay; gw;wpa opay; cj;jpfs; - tsu; jkpo;. | mbg;gilr; nr | | | | | | | | | |
| | | - | / fiyfspy; mwptpay; | | | | | | 9 | | | | |
| | | | ;llf; fiyf;fy;tp– rKjhaf;fy;tp ;fhyf; fy;tpg; nghJepiy– f | | | | | | | | | | |
| myF | - 4 | mwptp | ay; jkpopy; rpWfijfspd; | ; gq;F | | | | | 9 | | | | |
| | | | nf;Fk; cj;jpfs; - rpwe;j rp ppngau;g;G kw;Wk; mwp | | | - ey; | y rpV | √fij cl | Jthf;fk; - | | | | |
| myF | - 5 | mwptp | ay; jkpopy; ehlfq;fspd; | gq;F | | | | | 9 | | | | |
| | | | <;> ,Utif ehlfq;fs; - gb hlfk; - eifr;Rit ehlfq;fs; - r | | | | | | | | | | |
| | | | LECTURE | TUTORIA L | PRAC | | | - | TOTAL | | | | |
| | | | 45 | | | | | | 45 | | | | |
| 1. mv | /ptpay ;jkpo; | <u>t Ehy;fs;</u> /; jkpo; - - ,jo;fs; yhW– rp | : : lhf;lu; th.nr. Foe;ijr;rhkp | | | | | | | | | | |

Table 1: CO Versus PO mapping.

| | | PS | PSO | | | | | | |
|--------------|---|----|-----|---|---|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 1 | 2 |
| C01 | | 1 | | | | | | | |
| CO2 | | 1 | | | | | | | |
| CO3 | | 1 | | | | | 1 | | |
| CO4 | 1 | 2 | 2 | 1 | | 1 | 2 | | |
| CO5 | 2 | 2 | 2 | 2 | | 1 | 2 | | |
| Total | 3 | 7 | 4 | 3 | | 2 | 5 | | |
| Scaled Value | 1 | 2 | 1 | 1 | | | 1 | | |

1-5→1, 6-10→2, 11-15→3

| COUR | RSE CODE | XPG103 | L | Т | P | C |
|-------------------------------|----------------------------------|--|---------------------|-----------|---|--------------------|
| COUR | RSE NAME | FUNDAMENTAL PHYSICS | 3 | 1 | 0 | 4 |
| C:P:A | | 4:0:0 | L | Т | Р | Н |
| PRER | EQUISITE: | | 3 | 1 | 0 | 4 |
| C01 | | <i>Explain</i> the basic principle simple harmonic ircular motion | Cogniti | | Rememberin Understandir Analyzing | |
| CO2 | and methods | the properties of sound, reverberation time of production of ultrasonic waves. | Cogniti | | emembe Analyz | ering , ing |
| CO3 | modulus, vi | <i>and determine</i> Young's modulus, rigidity scosity and explain surface tension and ure inside a drop. | Cogniti | | Analyzi nderstar Applyi | nding, |
| CO4 | physics and a | basic concepts and basic laws of thermal <i>letermine</i> the thermal conductivity of a bad d solar constant. | Cogniti | | emembe Analyz Applyi | ing, |
| CO5 | to determine | wledge on interference, diffraction; be able wavelength of mercury source; understand on and production; propagation of fibre | Cogniti | | nderstar Evaluat | - |
| UNIT | 1 | nonic Motion and Circular Motion | | | 9+3 | |
| simple force - circle - | harmonic mot Damped harr | tude - Phase - Spring mass system - Simple p tions along a straight line and at right angles nonic oscillator - Uniform circular motion - nd centrifugal forces - Banking on curved tra | - Lissaj Acceler | ous figut | res - Da a partic | amping cle in a |
| UNIT | II Sound Unit | form circular motion | | | 9+3 | |
| Classif Decibe | ication of sou l - Absorption | nd - Characteristics of musical sound - Lo n co-efficient - Reverberation - Reverberat on : Magnetostriction and Piezo-electric meth | ion time | - Ultra | Fechne | r law - |
| - | III Properties | | | | 9+3 | |
| Elastic | ity - Elastic co | onstants - Bending of beams - Young's mod Determination of rigidity modulus of tors | | | | |

Coefficient of viscosity by Poiseuelle's method - Stoke's law - Terminal velocity - Surface Tension - Molecular theory of surface tension - Excess pressure inside a drop and bubble -Surface tension by drop weight method.

UNIT IV Thermal Physics

9+3

Kinetic theory of gases - Basic postulates - Ideal gas equation - Vanderwaal's equation of states -Laws of thermodynamics - Entropy - Change of entropy in reversible and irreversible processes -Lee's disc method for conductivity of bad conductor - Stefan's law of radiation - Solar Constant temperature of the sun.

UNIT V Optics

9+3

Interference in thin films - Air wedge - Diffraction - Theory of plane transmission grating (normal incidence only) - LASER - Population inversion - Pumping - Laser action - Nd-YAG laser - CO_2 laser - Fibre optics - Principle and propagation of light in optic fibres - Numerical aperture and acceptance angle.

| LECTURE | TUTORIAL | TOTAL |
|---------|----------|-------|
| 45 | 15 | 60 |

TEXT BOOKS

- 1. A Sundaravelusamy, "Allied Physics I", Priya Publications, 2009.
- 2. R. Murugesan, I B.Sc. "Ancillary Physics", S. Chand & Co., 2010.

REFERENCES

- 1. Saigal. S, "Sound", Chand & Co., Delhi,1990
- 2. Brijlal and Subramanian, "Elements of properties of matter", S. Chand Limited, 1974.
- 3. Brijlal and Subramanian, "Heat and Thermodynamics", S. Chand Limited, 2008
- 4. Brijlal and Subramanian, "Optics", S. Chand Limited, 2012.

Table 1: Mapping of Cos with Pos

| COs | PO ₁ | PO ₂ | PO ₃ | PO ₄ | PO ₅ | PO ₆ | PO ₇ | PO ₈ | PO ₉ |
|-----------------|-----------------|-----------------|-----------------|-----------------|-----------------|-----------------|-----------------|-----------------|-----------------|
| CO ₁ | 1 | 1 | 1 | | 2 | 1 | 1 | 1 | |
| CO ₂ | 2 | 3 | 2 | 1 | 2 | 2 | 1 | 2 | |
| CO ₃ | 1 | 3 | 2 | | 1 | 2 | 2 | 2 | |
| CO ₄ | 1 | 1 | 2 | | 1 | 2 | 1 | 1 | |
| CO5 | 2 | 3 | 1 | | 2 | 2 | 2 | 1 | |
| Total | 6 | 11 | 8 | 1 | 8 | 9 | 7 | 7 | |
| Scaled | 2 | 3 | 2 | 1 | 2 | 2 | 2 | 2 | |

 $1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

| | JRSE | | | L | Т | Р | С | | | |
|------------|--------------------|-----------|--|-----------------|-------------------|------------|--------|---------------|--|--|
| COD | | | FOUNDATION COUDSE IN MATHE | MATICS | 1 | 1 | 0 | 5 | | |
| XM7 C | P | Α | FOUNDATION COURSE IN MATHE | MATICS | 4 L | 1 T | 0 P | 5 H | | |
| 5 | r | A 0 | | | L 4 | 1 1 | г 0 | <u>п</u> 5 | | |
| - | | - | Basic concept of Algebra and Trigonome | tra | 4 | L | U | 3 | | |
| | rse outo | | | Domain | Lev | ല | | | | |
| | | | pply fundamental theorem of algebra to | Cognitive | Remembering | | | | | |
| | find t | | Арр | lying | 5 | | | | | |
| CO2 | : Explation the re | Cognitive | | ersta lying | nding ' | | | | | |
| CO3 | | Cognitive | | | , nding | | | | | |
| 005 | | | trigonometric functions and to find the gonometric functions by apply the related | Cogintive | | lying | - | | | |
| | | - | Solve the problems. | | 1 • PP | 191112 | > | | | |
| CO4 | | | perbolic and inverse hyperbolic functions | Cognitive | Ren | nemb | ering | | | |
| | _ | • | he logarithm of the complex numbers. | | | lying | | | | |
| CO5 | | | mmations of trigonometric series and | Cognitive | | | ering | | | |
| | | | rties to find their related problems. | | App | lying | 5 | | | |
| UNI | ТΙ | | | | | | - | 15 | | |
| Theo | ory of E | quation | ns: Fundamental Theorem of Algebra - Rela | ations betwee | en roo | ts an | d | | | |
| coeff | ficients | - Sym | netric functions of roots. | | | | | | | |
| UNI | | | | | | | | 15 | | |
| | | | Equations - Reciprocal Equations - Newtor | n's Method of | f Divi | sors | - | | | |
| | | ule of s | signs – Horner's Method. | | | | | | | |
| | T III | | | | • n | | n | 15 | | |
| | | | ansion of functions, sinnx, cosnx, tannx- E | | sin"x a | and c | OS"X | | | |
| | | nx and | l cosx - Properties and their -related problem | ms. | | | | 1.5 | | |
| UNI | | | na Invense humanhalia functiona. I a souithe | - of Commission | N | - 1 | | 15 | | |
| | | unctio | ns -Inverse hyperbolic functions- Logarith | n of Complex | x INUR | nbers | 5. | 15 | | |
| UNI | | oftri | conomatria sorias. Proparties and their relat | ad problems | | | | 15 | | |
| Suim | mations | oruig | gonometric series- Properties and their relat LECTURE | TUTOR | | | TO | ГАТ | | |
| | | | 60 | | 1 <u>AL</u> 15 | | 10 | 75 | | |
| TEX | T BOC |)KS | 00 | | 15 | | | 15 | | |
| | | | T. K. ManickavasagamPillai, "Algebra", V | Vol 2 S Visy | vanat | han I | Pvt | | | |
| | d., Ch | | | 01. 2, 0. 110 | , and | inun i | v c. | | | |
| | , | | 6, Secs 6.1-6.14 | | | | | | | |
| | | 1 | 6, Secs 6.15-6.30. | | | | | | | |
| | | - | T. K. ManickavasagamPillai, "Trigonomet | ry", S. Viswa | anatha | ın Pv | t. Ltd | •• | | |
| Ch | nennai, 1 | 2001. | | | | | | | | |
| | nit 3: Cl | - | | | | | | | | |
| | nit 4: Cl | - | | | | | | | | |
| | nit 5: Cl | napter | 6. | | | | | | | |
| | rence | | | | | | | | | |
| | | | sac, "Theory of Equations, Theory of Num | bers and Trig | onom | netry' | ', Nev | V | | |
| g? | amma P | ublish | ing house, Tirunelveli, 2011. | | | | | | | |

Table 1: Mapping of COs with POs

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|--------|-----|-----|-----|-----|-----|-----|-----|-----|-----|
| | | | | | | | | | |
| CO 1 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| CO 2 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| CO 3 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| CO 4 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| CO 5 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| Total | 15 | 10 | 5 | 5 | 5 | 5 | 5 | | 5 |
| Scaled | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| Value | | | | | | | | | |

 $1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

| 5 0 0 4 1 0 5 PREREQUISITE: Differentiation and Integration Course outcomes: Domain Level CO1: Apply the basics of differentiation. Cognitive Remembering Applying CO2: Find Evolutes in Cartesian Coordinates. Cognitive Understanding Applying CO3: State Rolle's theorem, Mean Value theorems, Taylor's Cognitive Understanding heorem with Lagrange's and Cauchy's forms of remainder, Taylor's series and to find Maxima and Minima. Remembering Applying CO4: Find the definite integrals using integration by parts and reduction formula. Cognitive Remembering Applying UNIT I Is Limit and Continuity (ε and δ definition), Types of discontinuities, Differentiability of functions, Successive differentiation, Leibnitz's theorem, Partial differentiation, Euler's theorem on homogeneous functions. UNIT II 15 Tangents and normals, Curvature, Asymptotes, Singular points, Tracing of curves. Parametric representation of curves and tracing of parametric curves, Polar coordinates. UNIT II 15 </th <th colspan="8">COURSE CODECOURSE NAMELTPXMT105DIFFERENTIAL CALCULUS & INTEGRAL410</th> <th>С</th> | COURSE CODECOURSE NAMELTPXMT105DIFFERENTIAL CALCULUS & INTEGRAL410 | | | | | | | | С | |
|--|--|--|-----------------|--|---------------|---|-------------|----|----|--|
| C P A L T P H 5 0 0 4 1 0 5 PREREQUISITE: Differentiation and Integration Course outcomes: Domain Level CO1: Apply the basics of differentiation. Cognitive Remembering Applying CO2: Find Evolutes in Cartesian Coordinates. Cognitive Understanding Applying CO3: State Rolle's theorem, Mean Value theorems, Taylor's remainder, Taylor's series and to find Maxima and Minima. Cognitive Understanding Applying CO4: Find the definite integrals using integration by parts and reduction formula. Cognitive Applying Remembering Applying CO5: Find integration by changing order of integration using double integrals. Cognitive Applying Remembering Applying UNIT I 15 Limit and Continuity (ϵ and δ definition), Types of discontinuities, Differentiability of functions, Successive differentiation, Leibnitz's theorem, Partial differentiation, Euler's theorem on homogeneous functions. 15 Tangents and normals, Curvature, Asymptotes, Singular points, Tracing of curves. Parametric representation of curves and tracing of parametric curves, Polar coordinates. 15 Rolle's theorem, Mean Value theorems, Taylor's theorem with Lagrange's and Cauchy's forms of remainder, Taylor's series(Statem | XMT | Г105 | | DIFFERENTIAL CALCULUS & INTEG | RAL | 4 | 1 | 0 | 5 | |
| 5 0 0 4 1 0 5 PREREQUISITE: Differentiation and Integration Course outcomes: Domain Level CO1: Apply the basics of differentiation. Cognitive Remembering Applying CO2: Find Evolutes in Cartesian Coordinates. Cognitive Understanding CO3: State Rolle's theorem, Mean Value theorems, Taylor's Cognitive Understanding theorem with Lagrange's and Cauchy's forms of remainder, Taylor's series and to find Maxima and Minima. Applying CO4: Find the definite integrals using integration by parts and reduction formula. Cognitive Applying Remembering Applying CO5: Find integration by changing order of integration using double integrals. Cognitive Applying Remembering Applying UNIT I Is Limit and Continuity (ε and δ definition), Types of discontinuities, Differentiability of functions, Successive differentiation, Leibnitz's theorem, Partial differentiation, Euler's theorem on homogeneous functions. UNIT II Is Cose if remainder, Taylor's series (Statement only) Maclaurin's series of sin x, cos x, e', log(1+x), | | - | | CALCULUS | | | | | | |
| PREREQUISITE: Differentiation and Integration Domain Level Course outcomes: Domain Level CO1: Apply the basics of differentiation. Cognitive Remembering Applying CO2: Find Evolutes in Cartesian Coordinates. Cognitive Understanding Applying CO3: State Rolle's theorem, Mean Value theorems, Taylor's theorem with Lagrange's and Cauchy's forms of remainder, Taylor's series and to find Maxima and Minima. Cognitive Understanding Applying CO4: Find the definite integrals using integration by parts and reduction formula. Cognitive Remembering Applying CO5: Find integration by changing order of integration using double integrals. Cognitive Remembering Applying UNIT I 15 Limit and Continuity (ε and δ definition), Types of discontinuities, Differentiability of functions, Successive differentiation, Leibnitz's theorem, Partial differentiation, Euler's theorem on homogeneous functions. 15 Tangents and normals, Curvature, Asymptotes, Singular points, Tracing of curves. 15 Rolle's theorem, Mean Value theorems, Taylor's theorem with Lagrange's and Cauchy's forms of remainder, Taylor's series(Statement only) Maclaurin's series of sin x, cos x, e ^x , log(l+x), (l+x) ^m , Maxima and Minima, Indeterminate forms. 15 | | | | | | | | | Η | |
| Course outcomes:DomainLevelCO1: Apply the basics of differentiation.CognitiveRemembering ApplyingCO2: Find Evolutes in Cartesian Coordinates.CognitiveUnderstanding ApplyingCO3: State Rolle's theorem, Mean Value theorems, Taylor's theorem with Lagrange's and Cauchy's forms of remainder, Taylor's series and to find Maxima and Minima.CognitiveUnderstanding ApplyingCO4: Find the definite integrals using integration by parts and reduction formula.CognitiveRemembering ApplyingCO5: Find integration by changing order of integration using double integrals.CognitiveRemembering ApplyingUNIT I15Limit and Continuity (ε and δ definition), Types of discontinuities, Differentiability of functions, Successive differentiation, Leibnitz's theorem, Partial differentiation, Euler's theorem on homogeneous functions.15UNIT II15Ragents and normals, Curvature, Asymptotes, Singular points, Tracing of curves. Parametric representation of curves and tracing of parametric curves, Polar coordinates.15Rolle's theorem, Mean Value theorems, Taylor's theorem with Lagrange's and Cauchy's forms of remainder, Taylor's series (Statement only) Maclaurin's series of sin x, cos x, e ^x , log(l+x), (l+x) ^m , Maxima and Minima, Indeterminate forms.15 | - | v | - | | | 4 | 1 | 0 | 5 | |
| CO1: Apply the basics of differentiation. Cognitive applying Remembering Applying CO2: Find Evolutes in Cartesian Coordinates. Cognitive applying Understanding Applying CO3: State Rolle's theorem, Mean Value theorems, Taylor's theorem with Lagrange's and Cauchy's forms of remainder, Taylor's series and to find Maxima and Minima. Cognitive applying Understanding Applying CO4: Find the definite integrals using integration by parts and reduction formula. Cognitive applying Remembering Applying CO5: Find integration by changing order of integration using double integrals. Cognitive applying Remembering Applying UNIT I 15 Limit and Continuity (ε and δ definition), Types of discontinuities, Differentiability of functions, Successive differentiation, Leibnitz's theorem, Partial differentiation, Euler's theorem on homogeneous functions. 15 UNIT II 15 State Role's theorem, Mean Value theorems, Taylor's theorem with Lagrange's and Cauchy's forms of remainder, Taylor's series(Statement only) Maclaurin's series of sin x, cos x, e ^x , log(l+x), (l+x) ^m , Maxima and Minima, Indeterminate forms. 15 | | - | | Differentiation and Integration | | | | | | |
| CO2: Find Evolutes in Cartesian Coordinates. Cognitive Understanding Applying CO3: State Rolle's theorem, Mean Value theorems, Taylor's theorem with Lagrange's and Cauchy's forms of remainder, Taylor's series and to find Maxima and Minima. Cognitive Understanding Applying CO4: Find the definite integrals using integration by parts and reduction formula. Cognitive Remembering Applying CO5: Find integration by changing order of integration using double integrals. Cognitive Remembering Applying UNIT I 15 Limit and Continuity (ε and δ definition), Types of discontinuities, Differentiability of functions, Successive differentiation, Leibnitz's theorem, Partial differentiation, Euler's theorem on homogeneous functions. 15 VINIT II 15 Tangents and normals, Curvature, Asymptotes, Singular points, Tracing of curves. Parametric representation of curves and tracing of parametric curves, Polar coordinates. 15 Rolle's theorem, Mean Value theorems, Taylor's theorem with Lagrange's and Cauchy's forms of remainder, Taylor's series (Statement only) Maclaurin's series of sin x, cos x, e ^x , log(l+x), (l+x) ^m , Maxima and Minima, Indeterminate forms. 15 | | | | | | | | | | |
| CO3: State Rolle's theorem, Mean Value theorems, Taylor's theorem with Lagrange's and Cauchy's forms of remainder, Taylor's series and to find Maxima and Minima.Cognitive ApplyingUnderstanding ApplyingCO4: Find the definite integrals using integration by parts and reduction formula.Cognitive ApplyingRemembering ApplyingCO5: Find integration by changing order of integration using double integrals.Cognitive ApplyingRemembering ApplyingUNIT I15Limit and Continuity (ε and δ definition), Types of discontinuities, Differentiability of functions, Successive differentiation, Leibnitz's theorem, Partial differentiation, Euler's theorem on homogeneous functions.15UNIT II15Tangents and normals, Curvature, Asymptotes, Singular points, Tracing of curves. Parametric representation of curves and tracing of parametric curves, Polar coordinates.15Rolle's theorem, Mean Value theorems, Taylor's theorem with Lagrange's and Cauchy's forms of remainder, Taylor's series(Statement only) Maclaurin's series of sin x, cos x, e ^x , log(l+x), (l+x) ^m , Maxima and Minima, Indeterminate forms.15 | CO | CO1: Apply the basics of differentiation. Cognitive Remember | | | | | | | | |
| theorem with Lagrange's and Cauchy's forms of remainder, Taylor's series and to find Maxima and Minima.ApplyingCode: Find the definite integrals using integration by parts and reduction formula.CognitiveRemembering ApplyingCof: Find integration by changing order of integration using double integrals.CognitiveRemembering ApplyingUNIT I15Limit and Continuity (ε and δ definition), Types of discontinuities, Differentiability of functions, Successive differentiation, Leibnitz's theorem, Partial differentiation, Euler's theorem on homogeneous functions.15UNIT II15Tangents and normals, Curvature, Asymptotes, Singular points, Tracing of curves. Parametric representation of curves and tracing of parametric curves, Polar coordinates.UNIT II15Rolle's theorem, Mean Value theorems, Taylor's theorem with Lagrange's and Cauchy's forms of remainder, Taylor's series (Statement only) Maclaurin's series of sin x, cos x, e ^x , log(l+x), (l+x) ^m , Maxima and Minima, Indeterminate forms.15UNIT IV15 | CO2 | 2: Find | Evolut | es in Cartesian Coordinates. | Cognitive | | | - | 5 | |
| and reduction formula.ApplyingCO5: Find integration by changing order of integration using double integrals.CognitiveRemembering ApplyingUNIT I15Limit and Continuity (ε and δ definition), Types of discontinuities, Differentiability of functions, Successive differentiation, Leibnitz's theorem, Partial differentiation, Euler's theorem on homogeneous functions.15UNIT II15Tangents and normals, Curvature, Asymptotes, Singular points, Tracing of curves. Parametric representation of curves and tracing of parametric curves, Polar coordinates.15UNIT III15Rolle's theorem, Mean Value theorems, Taylor's theorem with Lagrange's and Cauchy's forms of remainder, Taylor's series (Statement only) Maclaurin's series of sin x, cos x, e ^x , log(l+x), (l+x) ^m , Maxima and Minima, Indeterminate forms.15UNIT IV15 | CO | theor rema | rem w under, | ith Lagrange's and Cauchy's forms of | Cognitive | | | • | | |
| double integrals.ApplyingUNIT I15Limit and Continuity (ε and δ definition), Types of discontinuities, Differentiability of functions, Successive differentiation, Leibnitz's theorem, Partial differentiation, Euler's theorem on homogeneous functions.15UNIT II15Tangents and normals, Curvature, Asymptotes, Singular points, Tracing of curves. Parametric representation of curves and tracing of parametric curves, Polar coordinates.15WNIT III15Rolle's theorem, Mean Value theorems, Taylor's theorem with Lagrange's and Cauchy's forms of remainder, Taylor's series (Statement only) Maclaurin's series of sin x, cos x, e ^x , log(l+x), (l+x) ^m , Maxima and Minima, Indeterminate forms.15UNIT IV15 | CO ₂ | | | | Cognitive | | • | | | |
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| Tangents and normals, Curvature, Asymptotes, Singular points, Tracing of curves. Parametric representation of curves and tracing of parametric curves, Polar coordinates.15UNIT III15Rolle's theorem, Mean Value theorems, Taylor's theorem with Lagrange's and Cauchy's forms of remainder, Taylor's series (Statement only) Maclaurin's series of sin x, cos x, e ^x , log(l+x), (l+x) ^m , Maxima and Minima, Indeterminate forms.15UNIT IV15 | funct | ions, <mark>Su</mark> | ccessiv | e differentiation, Leibnitz's theorem, Partial | | | | | | |
| Parametric representation of curves and tracing of parametric curves, Polar coordinates.15UNIT III15Rolle's theorem, Mean Value theorems, Taylor's theorem with Lagrange's and Cauchy's forms of remainder, Taylor's series (Statement only) Maclaurin's series of sin x, cos x, e ^x , log(l+x), (l+x) ^m , Maxima and Minima, Indeterminate forms.UNIT IV15 | UNI | ΓII | | | | | | | 15 | |
| Rolle's theorem, Mean Value theorems, Taylor's theorem with Lagrange's and Cauchy's forms of remainder, Taylor's series (Statement only) Maclaurin's series of sin x, cos x, e ^x , log(l+x), (l+x) ^m , Maxima and Minima, Indeterminate forms.15UNIT IV15 | | | | | | | ites. | | | |
| Cauchy's forms of remainder, Taylor's series (Statement only) Maclaurin's series of sin x, cos x, e ^x , log(l+x), (l+x) ^m , Maxima and Minima, Indeterminate forms.15UNIT IV15 | | | | | | | | | 15 | |
| UNIT IV 15 | Cauc | hy's for | ms of r | emainder, Taylor's series(Statement only) M | aclaurin's se | | fsin | х, | | |
| | | | | | | | | | 15 | |
| Definite integrals - Integration by parts & reduction formula | Defin | nite integ | grals -] | ntegration by parts & reduction formula | | | | | | |

| UNIT V | | | 15 |
|---|--------------|----|-----|
| Double integrals – changing the order of Integration – Triple | e Integrals. | | |
| LECTURE | TUTORIAL | ТО | TAL |
| 60 | 15 | | 75 |

TEXT BOOKS

- 1. S.Narayanan and T.K.Manicavachagom Pillai, "Calculus Volume I", S.Viswanathan (Printers & Publishers) Pvt Limited, Chennai -2011.
- 2. S.Narayanan and T.K.Manicavachagom Pillai, "Calculus Volume II", S.Viswanathan (Printers & Publishers) Pvt Limited, Chennai 2011.
 - UNIT IV: Chapter 1 section 11, 12 & 13

UNIT V: Chapter 5 section 2.1, 2.2 & 4

REFERENCES

1. S. Arumugam and Isaac, "Calculus, Volume1", New Gamma Publishing House, 1991.

TABLE 1: COs VS POs Mapping

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|------|-----|-----|-----|-----|-----|-----|-----|-----|-----|
| CO 1 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| CO 2 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| CO 3 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| CO 4 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| CO 5 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| | 15 | 10 | 5 | 5 | 5 | 5 | 5 | 5 | 5 |

 $1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

| COUR | SE CODE | XUM 106 | | L | Т | P | | С |
|---|---|--|--|--|---|---|---|---|
| COUR | SE NAME | Human Ethics, Values, Rights Equality | and Gender | 3 | 0 | 0 | | 0 |
| PRER | EQUISITES | Not Required | | L | Т | Р | SS | Η |
| C:P:A | | 3:0:0.0 | | 3 | 0 | 0 | 0 | 3 |
| COUR | SE OUTCOM | AES | Domain | Level | | | | |
| CO1 | <i>Relate</i> and human relation | Cognitive | Remember, Understand | | | | | |
| CO2 | <i>Explain</i> and and violence | Cognitive | Un Ap | derst ply | and, | | | |
| CO3 | issues and ch | - | Affective | | alyze ceive | | | |
| CO4 | <i>Classify</i> and on violations | <i>Dissect</i> human rights and report | Cognitive | Un | derst | and, | Analyz | ze |
| CO5 | brotherhood, | pond to family values, universal fight against corruption by | & | Reı | mem | ber, l | Respo | nd |
| UNIT | | n and good governance. AN ETHICS AND VALUES | Affective | <u> </u> | | | 7 | |
| | | ce, Dignity and worth, Harmon | · · · · · · · · · · · · · · · · · · · | | | • | - | |
| holistic Self res UNIT I Gender empow Employ Phule t | e development spect, Self-Cor IIGENDER F Equality - 0 rerment. Statu yment, HDI, 0 o Women Emj | Gender Vs Sex, Concepts, def us of Women in India Soc GDI, GEM. Contributions of Dr. powerment. | Commitment, S Personality. inition, Gende al, Economic | ymp r eq al, | athy uity, Educ | equ equ | Empa 9 ality, h, He eriyar | athy, and alth, |
| holistic Self res UNIT I Gender empow Employ Phule t UNIT I | e development spect, Self-Cor IIGENDER F Equality - O rerment. Statu yment, HDI, O o Women Emp IIIWOMEN I n Issues and | - Valuing Time, Co-operation, C fidence, character building and F QUALITY Gender Vs Sex, Concepts, def as of Women in India Soc GDI, GEM. Contributions of Dr. powerment. SSUES AND CHALLENGES Challenges- Female Infanticid | Commitment, S Personality. inition, Gende al, Economic B.R. Ambethka e, Female fet | ymp r eq al, 1 ar, T | athy uity, Educ hanth | and equ atior nai P oleno | Empa 9 aality, h, He eriyar 9 ce ag | athy, and alth, and ainst |
| holistic Self res UNIT I Gender empow Employ Phule t UNIT I Womer women Remed Educati | e development spect, Self-Cor HGENDER F Equality - 0 rerment. Statu yment, HDI, C o Women Emp HIWOMEN I IN Issues and b, Domestic vio ial Measures - ion, Medical T | Valuing Time, Co-operation, Operation, Operation, Operation, Operation, Operation, Contributions and FOUALITY Gender Vs Sex, Concepts, defais of Women in India Soce GDI, GEM. Contributions of Dr. powerment. SSUES AND CHALLENGES Challenges- Female Infanticid polence, Sexual Harassment, Traffic- Acts related to women: Politica Pregnancy Act, an | Commitment, S Personality. inition, Gende al, Economic B.R. Ambethka e, Female fet ficking, Access l Right, Proper | ymp r eq al, 1 ar, T icide to e ty R | uity, Educ hanth , Vi duca ights | equ atior nai P oleno tion, , and | Empa 9 aality, 9 eeriyar 9 ce ag Marri I Righ | and alth, and ainst age. |
| holistic Self res UNIT I Gender empow Employ Phule ta UNIT I Women Remed Educati | e development spect, Self-Con IIGENDER F Equality - O erment. Statu yment, HDI, O o Women Emp IIIWOMEN I n Issues and a, Domestic via ial Measures - ion, Medical T IV HUMAN I | - Valuing Time, Co-operation, Confidence, character building and F CQUALITY Gender Vs Sex, Concepts, defuse of Women in India Soce GDI, GEM. Contributions of Dr. bowerment. SSUES AND CHALLENGES Challenges- Female Infanticid colence, Sexual Harassment, Traffic- Acts related to women: Politica Cermination of Pregnancy Act, an RIGHTS | Commitment, S Personality. inition, Gende al, Economic B.R. Ambethka e, Female fet ficking, Access I Right, Proper d Dowry Prohil | ymp r eq al, 1 ar, T icide to e ty R oition | uity, Educ hanth duca ights n Act | equation nai P olena tion, , and | Empa 9 aality, 1, He eeriyar 9 ce ag Marri 1 Righ 9 | and alth, and ainst age. ts to |
| holistic Self res UNIT I Gender empow Employ Phule tr UNIT I Womer women Remed Educati UNIT I Human Rights Econor Labour and otl Intellec health a UNIT I | e development spect, Self-Con IIGENDER F Equality - G erment. Statu yment, HDI, C o Women Emp IIIWOMEN I n Issues and a, Domestic via ial Measures - ion, Medical T IV HUMAN I n Rights Move and Duties, nical, Social a c, Rights and p her statutory G etual Property and working en V GOOI | Valuing Time, Co-operation, Operation, Operation, Operation, Operation, Operation, Operation, Operation, Councepts, definition of Women in India Soce GDI, GEM. Contributions of Dr. Dowerment. SSUES AND CHALLENGES Challenges- Female Infanticid Dence, Sexual Harassment, Traffic-Acts related to women: Politica Dence, Sexual Harassment, Traffic-Acts related to women: Politica Dence, Sexual Harassment, Traffic-Acts related to women Politica Dence, Sexual Harassment, Traffic-Acts related to women: Politica Dence, Sexual Harassment, Traffic-Acts related to women Politica Dence, Sexual Harassment, Traffic-Acts related to Politica Dence, Sexual Harassment, Traffic-Acts | Commitment, S Personality. inition, Gende ial, Economic B.R. Ambethka e, Female fett ficking, Access l Right, Proper d Dowry Prohil to the Consti nan Rights (U nst torture, Di 7. National Hur an Rights Lite on occupation | ymp r eq al, 1 ar, T icide to e ty R oition tutio DHI scrin nan eracy nal s | athy uity, Educ hanth duca ights n Act n of R), C ninat Righ and afety | and equation nai P olenation, , and ion a ts Co l Aw y, oc | Empa 9 ality, h, He eriyar 9 ce ag Marri 1 Righ 9 a, Hu Polit and fo pommis varene cupati | and alth, and alth, and ainst age. ts to man ical, rced sson ss onal |
| holistic Self res UNIT I Gender empow Employ Phule to UNIT I Women Remed Educati UNIT I Human Rights Econor Labour and otl Intellec health a UNIT I | e development spect, Self-Con IIGENDER E E Equality - O erment. Statu yment, HDI, C o Women Emp IIIWOMEN I In Issues and I, Domestic via ial Measures - ion, Medical T IV HUMAN I I Rights Move and Duties, nical, Social a r, Rights and p her statutory o ctual Property and working en V GOOI Governance - Corruption, In gainst corrup | Valuing Time, Co-operation, Galdence, character building and FQUALITY Gender Vs Sex, Concepts, defais of Women in India Soc. GDI, GEM. Contributions of Dr. bowerment. SSUES AND CHALLENGES Challenges- Female Infanticid blence, Sexual Harassment, Trafference, Sexual Declaration of Hurassi Declaration of Hurassi Declaration of Hurassi Declaration of Hurassi Declaration of Hurassions, Creation of Hurassions, Creation of Hurassions, Creation of Hurassions, Creation of Hurassions, People's Participation, Poince, Poople's Participation, Trafference, Poople's Participation, Trafference, Ferrence, Poople's Participation, Trafference, Ferrence, Poople's Participation, Trafference, Ferrence, F | Commitment, S Personality. inition, Gende dal, Economic B.R. Ambethka e, Female fett ficking, Access l Right, Proper d Dowry Prohil to the Consti nan Rights (U nst torture, Di 7. National Hun an Rights Lite on occupation RESSING SOC ion, Transpare whom to make ss in criminal | ymp r eq al, 1 ar, T icide to e ty R oition tutio DHI scrin nan eracy nal s CIAL ency cor just | athy uity, Educ hanth duca ights n Act n of R), C ninat Righ and afety <i>L</i> ISS in g rupti tice | and equation nai P olenation, and tion, and Civil, ion a ts Co VES over on c admi | Empa 9 ality, h, He eriyar 9 ce ag Marri 1 Righ 9 a, Hu Politand fo pommis varene cupati 11 nance ompla inistra | and alth, and alth, and ainst age. ts to man ical, rced ssion ss onal and ints, tion, |
| holistic Self res UNIT I Gender empow Employ Phule to UNIT I Women Remed Educati UNIT I Human Rights Econor Labour and otl Intellec health a UNIT I | e development spect, Self-Cor IIGENDER E E Equality - 0 erment. Statu yment, HDI, C o Women Emp IIWOMEN I n Issues and a, Domestic vio ial Measures - ion, Medical T IV HUMAN I n Rights Move and Duties, nical, Social a c, Rights and p her statutory of tual Property and working en V GOOI Governance - Corruption, In gainst corrup ument system | Valuing Time, Co-operation, Operation, Operation, Operation, Operation, Operation, Operation, Contributions and FOUALITY Gender Vs Sex, Concepts, defais of Women in India Soce 3DI, GEM. Contributions of Dr. powerment. SSUES AND CHALLENGES Challenges- Female Infanticid polence, Sexual Harassment, Traffic Acts related to women: Politica Pregnancy Act, an RIGHTS ement in India – The preamble Universal Declaration of Human Cultural Rights, Rights again rotection of children and elderly Commissions, Creation of Human Rights (IPR). National Policy povinonment. D GOVERNANCE AND ADDE Democracy, People's Participation of corruption on society, Second Science, Science, Second Science, Scien | Commitment, S Personality. inition, Gende dal, Economic B.R. Ambethka e, Female fett ficking, Access l Right, Proper d Dowry Prohil to the Consti nan Rights (U nst torture, Di 7. National Hun an Rights Lite on occupation RESSING SOC ion, Transpare whom to make ss in criminal | ymp r eq al, 1 ar, T icide to e ty R oition tutio DHI scrin nan eracy nal s CIAL ency cor just | athy uity, Educ hanth duca ights n Act n of R), C ninat Righ and afety <i>L</i> ISS in g rupti tice | and equation nai P olenation, and tion, and Civil, ion a ts Co l Aw y, oc UES over on c admi | Empa 9 ality, h, He eriyar 9 ce ag Marri 1 Righ 9 a, Hu Politand fo pommis varene cupati 11 nance ompla inistra | and alth, and alth, and ainst age. ts to man ical, rced ssion ss onal and ints, tion, |
| holistic Self res UNIT I Gender empow Employ Phule t UNIT I Women Remed Educati UNIT I Human Rights Econor Labour and otl Intellec health a Good G audit, G | e development spect, Self-Cor IIGENDER E E Equality - 0 erment. Statu yment, HDI, C o Women Emp IIWOMEN I n Issues and a, Domestic vio ial Measures - ion, Medical T IV HUMAN I n Rights Move and Duties, nical, Social a c, Rights and p her statutory of tual Property and working en V GOOI Governance - Corruption, In gainst corrup ument system | Valuing Time, Co-operation, Galdence, character building and FQUALITY Gender Vs Sex, Concepts, defas of Women in India Soc 3DI, GEM. Contributions of Dr. powerment. SSUES AND CHALLENGES Challenges- Female Infanticid polence, Sexual Harassment, Traff-Acts related to women: Politica Permination of Pregnancy Act, an RIGHTS ement in India – The preamble Universal Declaration of Hurand Cultural Rights, Rights again rotection of children and elderly Commissions, Creation of Hurand Section of Corruption on society, tion and related issues, Fairne of Redressal. Creation of Peop | Commitment, S Personality. inition, Gende dal, Economic B.R. Ambethka e, Female fett ficking, Access l Right, Proper d Dowry Prohil to the Consti nan Rights (U nst torture, Di 7. National Hun an Rights Lite on occupation RESSING SOC ion, Transpare whom to make ss in criminal | ymp r eq al, 1 ar, T icide to e ty R oition tutio DHI scrin nan eracy nal s CIAL ency cor just | athy uity, Educ hanth duca ights n Act n of R), C ninat Righ and afety <i>L</i> ISS in g rupti tice | and equation nai P olenation, , and tion, , and tion a ts Co l Aw y, oc UES over on c admi and | Empa 9 ality, h, He eriyar 9 ce ag Marri 1 Righ 9 a, Hu Politand fo pommis varene cupati 11 nance ompla inistra | and alth, and alth, and ainst age. ts to man ical, rced ssion ss onal and ints, tion, |

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| 13 | Weblink Status report: https://www.hrw.org/world-report/2015/country-chapters/india |

| | PO | PO1 | PO1 | PO1 |
|------------|----|----|----|----|----|----|----|----|----|------------|------------|-----|
| | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 0 | 1 | 2 |
| CO1 | | | | | | | | 2 | | | | |
| CO2 | | | | | | | | 3 | 1 | | | |
| CO3 | | | | | | | | 2 | | | | |
| CO4 | | | | | | | | 3 | | 2 | | |
| CO5 | | | | | | | | 3 | 2 | 2 | | 2 |
| Total | | 2 | | | | | | 13 | 3 | 4 | | 2 |
| Scale | | 1 | | | | | | 3 | 1 | 1 | | 1 |
| d | | | | | | | | | | | | |
| Value | | | | | | | | | | | | |

Mapping of COs with Pos

 $1-5 \rightarrow 1$, $6-10 \rightarrow 2$, $11-15 \rightarrow 3$

0 - No relation, 1 - Low relation, 2 - Medium relation, 3 - High relation

| COUR CODE | . – | XPG107 | | L | T | Р | C |
|--------------|-------------------------------|--|-------------------|----------|------------|-------------------|-----|
| COUR | | | | 0 | 0 | 4 | 2 |
| NAME | E | FUNDAMENTAL PHYSICS LAB | | | | | |
| C:P:A | | 0.4:1:0.6 | | L | Т | Р | Η |
| | EQUISITE | | | 0 | 0 | 4 | 4 |
| | SE OUTC | | Don | | Level | | |
| CO1: | | usage of laboratory instruments and | Cogniti | | Understand | | |
| | | he Young's modulus of Non – uniform | Psycho | motor | Mec | hanisı | n |
| 000 | pending | | D 1 | | C (| | |
| CO2: | <i>Explain</i> and modulus of | nd <i>demonstrate</i> the behavior of rigidity | Psycho Affecti | | Set | | |
| CO3: | | <i>te</i> and <i>measure</i> the thickness of a thin | Cogniti | | Valu | <u> </u> | |
| 005. | | Air wedge | Psycho | | App Mec | ry hanisr | m |
| CO4: | | and <i>explain</i> the Calibration of voltmeter | Affecti | | | nizati | |
| 2011 | 20mpure | and suprame the Cultoration of Volumeter | Psycho | | Set | | |
| CO5 | Describe | the Band gap of the semiconductor | Psycho | | | eption | 1 |
| | | | Affecti | | | nizati | |
| List of | Experimen | nts | | | I | Hours | } |
| 1 | Non-unifo | rm Bending - Pin and Microscope Method | | | 4 | | |
| 2 | | pendulum - Determination of rigidity mode | | wire | 4 | | |
| 3 | Co-efficie | nt of viscosity of Liquid using graduated b | urette | | | 4 | |
| 4 | _ | eter - Refractive index of solid prism (A, D | | | | 4 | |
| 5 | | e Box - Determination of Band gap of a se | emi-cond | uctor | | 4 | |
| 6 | - | - determination of thickness of thin wire | | | | 4 | |
| 7 | | eter - Calibration of voltmeter | | | | 4 | |
| 8 | LASER gr | rating - Determination of wavelength of LA | ASER and | 1 size | | 4 | |
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| - | uny, 2007. | | 1 | | 000- | | |
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Mapping of COs with Pos

| | PO 1 | PO 2 | PO 3 | PO 4 | PO 5 | PO 6 | PO 7 | PO 8 | PO 9 | PO1 0 | PO1 1 | PO1 2 | PSO 1 | PSO 2 |
|------------|---------|---------|---------|---------|---------|---------|---------|---------|---------|----------|----------|----------|----------|----------|
| CO1 | | | | | | | | 2 | | | | | | |
| CO2 | | | | | | | | 3 | 1 | | | | | |
| CO3 | | | | | | | | 2 | | | | | | |
| CO4 | | | | | | | | 3 | | 2 | | | | |
| CO5 | | | | | | | | 3 | 2 | 2 | | 2 | | |
| Total | | 2 | | | | | | 13 | 3 | 4 | | 2 | | |
| Scale | | 1 | | | | | | 3 | 1 | 1 | | 1 | | |
| d | | | | | | | | | | | | | | |
| Value | | | | | | | | | | | | | | |

 $1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

0 – No relation, 1 – Low relation, 2 – Medium relation, 3 – High relation

| COUI | RSE C | ODE | XGL201 | L | Т | Р | SS | Η | С | | | |
|--------------------|----------------------------------|--|--|---------------|---------------|-----|------|--------------|---|--|--|--|
| COUI | RSE N. | AME | ADVANCED ENGLISH COMMUNICATION SKILLS | 2 | 0 | 0 | 0 | 2 | 2 | | | |
| C:P:A | A - 3:0: | 0 | | | | | | | | | | |
| COUI | RSE O | UTCOMI | ES: | Do | omai | n | L | Level | | | | |
| CO1 | Recal | <i>ll</i> the basic | grammar and using it in proper context | Co | gniti | ve | Reme | emembering | | | | |
| CO2 | Expla | <i>in</i> the pro | cess of listening and speaking | Co | gniti | ve | Unde | nderstanding | | | | |
| CO3 | Adap | t importai | nt methods of reading | Co | gniti | ve | Cr | Creating | | | | |
| CO4 | Demo | o <i>nstrate</i> th | e basic writing skills | Co | gniti | ve | Unde | Understandin | | | | |
| SYLL | ABUS | 1 | | | | | | HOURS | | | | |
| UNIT | 'I | Advanced | Reading | | | | | | | | | |
| compr | rehensio standin | on iii. Rea | erent genres and of varying length ii. Different stra ding and interpreting non-linguistic texts iv. Read ete texts (Cloze of varying lengths and gaps; disto Writing | ing a | nd | | | 9 | | | | |
| the fin exercis | al draft se) viii uation a | t vii. Re-di . Summari appropriate | | anipu ioms | llatic and | | ng | 9 | | | | |
| UNIT | 'III | Principles | of communication and communicative compet | ence | | | | | | | | |
| verbal | and no | | nunication – principles and process xi. Types of c xii. Identifying and overcoming problems of comr mpetence | | | | I — | 9 | | | | |
| UNIT | 'IV (| Cross Cul | tural Communication | | | | | | | | | |
| xiv. C | ross-cu | Itural com | munication | | | | | 9 | | | | |
| | | | | Γ | `otal | Hou | urs | 36 | 5 | | | |
| Text b | books | 1 (20) | | | | | · | | | | | |

II SEMESTER

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Table 1: Mapping of Cos with POs

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 | PO11 | PO12 | PSO1 | PSO2 |
|-----------------|-----|-----|-----|-----|-----|-----|------------|-----|-----|------|------|------|------|------|
| CO1 | 2 | 0 | 0 | 0 | 0 | 0 | 2 | 0 | 1 | 0 | 0 | 0 | 0 | 0 |
| CO2 | 2 | 0 | 0 | 0 | 0 | 0 | 2 | 0 | 1 | 0 | 0 | 0 | 0 | 0 |
| CO3 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 | 0 | 0 |
| CO4 | 2 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 | 0 | 0 |
| CO5 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| Total | 7 | 0 | 0 | 0 | 0 | 0 | 6 | 0 | 4 | 0 | 0 | 0 | 0 | 0 |
| Scaled Value | 2 | 0 | 0 | 0 | 0 | 0 | 2 | 0 | 1 | 0 | 0 | 0 | 0 | 0 |
| | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 | 0 | 0 |

1-5=1, 6-10 = 2, 11-15=3

0-No Relation, 1- Low Relation, 2 - Medium Relation, 3- High Relation

| | GA 1 | GA 2 | GA 3 | GA 4 | GA 5 | GA 6 | GA 7 | GA 8 | GA 9 | GA1 0 | GA1 1 | GA1 2 |
|-----------|---------|---------|---------|---------|---------|---------|---------|---------|---------|----------|----------|----------|
| CO1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 2 | 0 | 0 |
| CO2 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 2 | 0 | 0 |
| CO3 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 |
| CO4 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 |
| CO5 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 1 | 1 | 0 |
| Tota l | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 2 | 2 | 6 | 2 | 0 |
| Scal e | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 2 | 1 | 0 |

Table 2: Mapping of COs with GAs

1-5=1, 6-10=2, 11-15=3

| COUR | RSE CODE | XES202 | L | Т | SS | Р | С |
|--|--|--|---|---|---|---|--|
| COUF | RSE NAME | ENVIRONMENTAL STUDIES | 2 | 0 | 1 | 0 | 2 |
| C:P:A | | 1.4: 0.3 : 0.3 | L | Т | SS | Р | Η |
| | | | 2 | 0 | 1 | 0 | 3 |
| COUR | RSE OUTCO | MES | DO | MAIN | LEV | /EL | |
| CO1 | | significance of natural resources and ropogenic impacts. | Cog | nitive | | embe erstan | 0 |
| CO2 | <i>Illustrate</i> the | e significance of ecosystem, biodiversity and | Cog | nitive | | erstan | <u> </u> |
| | ecological ba | | | | | | |
| CO3 | | facts, consequences, preventive measures of | U U | nitive | | embe | 0 |
| | • • | ions and <i>recognize</i> the disaster | Affe | ective | Rece | eiving | |
| 004 | phenomenon | | | •,• | TT 1 | | 1. |
| CO4 | - | socio-economic, policy dynamics and | Cog | nitive | Understand | | ding |
| | sustainable d | control measures of global issues for | | | App | lying | |
| CO5 | | ie impact of population and the concept of | Cog | Cognitive | | erstan | dino |
| 005 | | are programs, and <i>apply</i> the modern | | U | | lysing | 0 |
| | | owards environmental protection. | | | - mu | ., 51116 | |
| UNIT | | UCTION TO ENVIRONMENTAL STUD | IES A | ND EN | ERG | Y 12 | 2 |
| of mo Energy resource conser UNIT Concej decom and ec the (a) Introdu Conser UNIT | dern agricultury resources: re- ce, land deg vation of nature – II ECOSY pt of an ecosy posers – Ener ological pyran Forest ecosystication to Bi revation of bioor – III ENVII | es – Food resources: changes caused by agrid are, fertilizer-pesticide problems, water log enewable and non-renewable energy source radation, soil erosion and desertification ral resources – Equitable use of resources for XSTEMS AND BIODIVERSITY rstem – Structure and function of an ecosyste gy flow in the ecosystem – Ecological succe mids – Introduction, types, characteristic fea stem (b) Grassland ecosystem (c) Desert ecos odiversity – Definition: genetic, species diversity: In-situ and Ex-situ conservation of RONMENTAL POLLUTION | gging, s – La – Rol r sustai em – Pr ssion – tures, s system s and biodive | salinity nd resc le of nable li roducer Food c structur (d) Aqu ecosys ersity. | y, case purces: an inc festyle (s, cons chains, e and (uatic e stem of | e stud Land lividu es. 7 sumer food functi cosyst divers | ies – l as a al in s and webs on of tem – ity – D |
| Soil p hazard Polluti UNIT Urban manag | ollution (d) s – Solid wa on case studie | , effects and control measures of: (a) Air po Marine pollution (e) Noise pollution (f) T aste management – Role of an individual es – Disaster management: flood, earthquake, LISSUES AND THE ENVIRONMENT | Therma in pro cyclor | l pollu eventione and l | tion (n of j andsli | g) Nu polluti de. 1 | iclear ion – |

| UNIT | -V H | UMAN POPULA | ATION AND TH | E ENVIRONMEN | NT | 6 |
|--------|--------|---------------------|---------------------|----------------------|-----------------|---------------|
| | | | | Population explosi | | ent and humar |
| health | – Hľ | V / AIDS– Role | of Information T | echnology in Env | rironment and | human health |
| Popula | tion | growth, variation | n among nations | - Population e | xplosion – Fa | amily welfare |
| progra | mme - | – Environment ar | d human health – | Human rights - V | alue education | - HIV / AIDS |
| – Won | nen ar | nd Child welfare p | programme– Role | of Information Tec | chnology in En | vironment and |
| human | healt | h – Case studies. | | | | |
| | | LECTURE | TUTORIAL | PRACTICAL | SELF STUDY | TOTAL |
| | | 30 | 0 | 0 | 15 | 45 |
| TEXT | BOC | OKS | | | | |
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| | | | Second Edition, No | ew Delhi, 2004. | | |
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| | | | I, Enviro Media, I | | | |
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| 3. | | - | onmental Engineer | ing and Managem | ent", S.K.Katar | ia and Sons, |
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| | | | | & Sons, New Delh | | |
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| E RES | OUR | CES | | | | |
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| 2. | | | | duction-to-Enviror | | e |
| 3. | 1 | | ks.net/ebook/Wha | | | - |
| 4. | 1 | | | nit/unit_vis.php?u | nit=4 | |
| 5. | - | | • | ntion-and-control-e | | |
| 6. | - | | | .php?ebook=8557 | | |
| 7. | - | | • | .php?ebook=6804 | | |
| 8. | - | | n/atmospheric-pol | 1 1 | | |
| 9. | | | | .php?ebook=3749 | | |
| 10. | - | | - | .php?ebook=2604 | | |
| | - | | • | .php?ebook=2116 | | |
| | | | | .php?ebook=1026 | | |
| | | //www.faadooeng | | | | |

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|------------|-----|-----|-----|-----|-----|------------|------------|-----|------------|
| CO1 | | | | | | | 2 | 3 | 3 |
| CO2 | | | | | | | 1 | 2 | 2 |
| CO3 | | | | | | | 2 | 3 | 3 |
| CO4 | | | | | | | 3 | 3 | 3 |
| CO5 | | | | | | | 2 | 2 | 3 |
| Total | | | | | | | 10 | 13 | 14 |
| Scaled | | | | | | | 2 | 3 | 2 |
| Value | | | | | | | Z | 5 | 5 |

Table 1 : Mapping of CO's with PO's

1-5=1, 6-10 = 2, 11-15=3

| COURS | E CODE | XPG203 | L | Т | Р | С | |
|---------------------|--|--|------------------|----------|----------------------------|----------------------------|--|
| COURS | E NAME | MODERN PHYSICS | 3 | 1 | 0 | 4 | |
| C:P:A | | 2.8:0.4:0.8 | L | Т | Р | Н | |
| PREREC | QUISITE: | Basic Physics at School level | 3 | 1 | 0 | 4 | |
| COURS | E OUTCO | MES | DOM | IAIN | LEV | EL | |
| CO1 | • • • | <i>plain and demonstrate</i> and <i>Relate</i> of the basics of digital computer. | Cognit Psycho | | Remem Underst Mechar | and | |
| CO2 | - | ne knowledge of INTEL 8085; <i>Analyze</i> and implicit addressing and Instruction | Cognit | | Analyzing, Applying | | |
| CO3 | Understan programm | <i>d</i> Fundamentals of assembly language ing | Cognit Affect | | Understanding Receiving | | |
| CO4 | Identify St | ructure of 'C', explain I/O function. | Cognit | ive | Remem | bering | |
| CO5 | Basic fund | <i>d</i> the Data input and output and <i>describe</i> ctions and <i>Compare</i> automatic variables, Variables, Static Variables. | Cognit Affect | ive | | Understanding Receiving | |
| UNIT - I | | | | | 7+3 | | |
| and Cor experime | npton scatt nt. Problem bectra; Bohr | Planck's constant and light as a collection tering. De Broglie wavelength and ma as with Rutherford model- instability of ato s quantization rule and atomic stability. | atter wa | aves; D | avisson- ation of o | Germer | |
| | | nt commo nov microscope thought over | | Waya | 8 + 3 | duality | |
| Heisenbe | rg uncertain | nt- gamma ray microscope thought expent ty principle- impossibility of a particle for a confined particle using uncertainty prin | llowing | a trajec | tory; Esti | mating | |
| UNIT – I | | | | | 10 + 3 | 6 | |
| Quantum | dot as an e | finitely rigid box- energy eigenvalues and example; Quantum mechanical scattering and and across a rectangular potential barrier. | | | | | |
| UNIT –I | 1 1 | | | | 10 + 3 | 6 | |
| electron l | being in nuc | of atomic nucleus and its relation with atom eleus as a consequence of the uncertainty pr irical mass formula and binding energy | | | | • | |

UNIT –V

10 + 3

Radioactivity: stability of nucleus; Law of radioactive decay; Mean life and half-life; -ray γ decay - energy released, spectrum and Pauli's prediction of neutrino; β decay; α emission.

TEXT BOOKS

1. J.R. Taylor, C.D.Zafiratos, M.A.Dubson, "Concepts of Modern Physics", Arthur Beiser, 2009, McGraw-Hill Modern Physics, 2009, PHI Learning

REFERENCESBOOKS

1. Thomas A. Moore, Six," Ideas that Shaped Physics: Particle Behave like Waves", 2003,

2. E.H. Wichman, "Quantum Physics, Berkeley Physics", Vol.4. 2008, Tata McGraw-Hill Co.

3. R.A. Serway, C.J. Moses, and C.A.Moyer,"Modern Physics", 2005, Cengage Learning

E RESOURCES

| NPTEL, Prof. N | I. K. Srivastava, Dep | partment of Physics | , IIT, Roorkee. | |
|----------------|-----------------------|---------------------|-----------------|-------------|
| | LECTURE | TUTORIAL | PRACTICAL | TOTAL HOURS |
| | 45 | 15 | - | 60 |

Table 1: Mapping of Cos with POs

| COs | PO ₁ | PO ₂ | PO ₃ | PO ₄ | PO ₅ | PO ₆ | PO ₇ | PO ₈ | PO ₉ |
|-----------------|-----------------|-----------------|-----------------|-----------------|-----------------|-----------------|-----------------|-----------------|-----------------|
| CO ₁ | 1 | 1 | 1 | | 2 | 1 | 1 | 1 | |
| CO ₂ | 2 | 3 | 2 | 1 | 2 | 2 | 1 | 2 | |
| CO ₃ | 1 | 3 | 2 | | 1 | 2 | 2 | 2 | |
| CO ₄ | 1 | 1 | 2 | | 1 | 2 | 1 | 1 | |
| CO5 | 2 | 3 | 1 | | 2 | 2 | 2 | 1 | |
| Total | 6 | 11 | 8 | 1 | 8 | 9 | 7 | 7 | |
| Scaled | 2 | 3 | 2 | 1 | 2 | 2 | 2 | 2 | |

 $1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

| CC | DUR | SE CODE | COURSE NAME | | L | Т | P | С |
|----|--------------------|----------------------------|--|------|-------|----|--------|----|
| XN | 1T2 | 04 | Differential Equations & Laplace Transfor | ms | 4 | 1 | 0 | 5 |
| С | P | Α | | | L | Т | Р | H |
| 5 | 0 | 0 | | | 4 | 1 | 0 | 5 |
| PR | ERI | EQUISITE: | Differential Calculus and Integral Calculus | | | | | |
| Co | urse | outcomes: | | Dom | ain | Le | evel | |
| CC | L Se | Differential olvable for | problems related to first order, higher degree equations solvable for x, solvable for y, dy/dx, Clairaut's form – Conditions of of M dx + N dy = 0. | Cogn | itive | Aı | oplyin | ıg |
| CC |)2: \$ | Solve second constant coe | l order linear differential equations with fficients, variable coefficients, and solving the g method of Variation of Parameters. | Cogn | itive | Al | oplyin | g |
| CC |)3:] tl | Formation of he standard f | Partial Differential Equation, Solve PDE of orms using Lagrange's method, Charpit's few standard forms. | Cogn | itive | A | oplyin | g |
| CC | с | onstant coe | f second order homogeneous equation with fficients, particular integrals of the forms +by), $\cos(ax+by)$, $x^r y^s$ and e^{ax+by} . $f(x,y)$. | Cogn | itive | Al | oplyin | g |

| CO5. Find Lonloss Transforms and inverse Lonloss transform | n Comitivo | Domomhoring |
|---|------------------|-------------------------|
| CO5: Find Laplace Transforms and inverse Laplace transform of function using standard formulae, Basic theorem | - | Remembering Applying |
| & simple applications Use Laplace Transforms in | .8 | Apprying |
| solving ODE with constant coefficients. | | |
| UNIT I | | 15 |
| First order, higher degree differential equations solvable for x, so | lvable for v. so | |
| dy/dx, Clairaut's form – Conditions of integrability of M dx + N | | |
| UNIT II | | 15 |
| Particular integrals of second order differential equations with co | nstant coeffici | ents - Linear |
| equations with variable coefficients - Method of Variation of Par | ameters (Seco | ond Order only) |
| UNIT III | | 15 |
| Formation of Partial Differential Equation – General, Particular | & Complete int | egrals – |
| Solution of PDE of the standard forms - Lagrange's method - So | ving of Charp | it's method and |
| a few standard forms. | | |
| UNIT IV | | 15 |
| PDE of second order homogeneous equation with Constant coeff | icients – Partic | ular integrals of |
| the forms e^{ax+by} , Sin(ax+by), Cos(ax+by), $x^r y^s$ and e^{ax+by} . f(x,y). | | I |
| UNIT V | | 15 |
| Laplace Transforms – Standard formulae – Basic theorems & sin | | |
| Laplace Transforms – Use of Laplace Transforms in solving OD | | |
| LECTURE | TUTORIA | |
| 60 | 1: | 5 75 |
| TEXT BOOKS | | |
| 1. T.K.Manicavachagom Pillay & S.Narayanan, "Differential Eq | uations", S.Vis | swanathan |
| Publishers Pvt. Ltd., 1996. | | |
| 2. Arumugam & Isaac, "Differential Equations", New Gamma F | ublishing Hou | se, |
| Palayamkottai, 2003. | | |
| | on 6 [1] | |
| Unit : 1 Chapter IV – Sections 1,2 & 3, Chapter II – Secti | | |
| Unit : 2 Chapter V – Sections 1,2,3,4 & 5, Chapter VIII – | | |
| Unit : 2 Chapter V – Sections 1,2,3,4 & 5, Chapter VIII – Unit : 3 Chapter XII – Sections 1 – 6 [1] | | |
| Unit : 2 Chapter V – Sections 1,2,3,4 & 5, Chapter VIII – Unit : 3 Chapter XII – Sections 1 – 6 [1] Unit : 4 Chapter V [2] | | |
| Unit : 2 Chapter V – Sections 1,2,3,4 & 5, Chapter VIII – Unit : 3 Chapter XII – Sections 1 – 6 [1] Unit : 4 Chapter V [2] Unit : 5 Chapter IX – Sections 1 – 8 [1] | | |
| Unit : 2 Chapter V – Sections 1,2,3,4 & 5, Chapter VIII – Unit : 3 Chapter XII – Sections 1 – 6 [1] Unit : 4 Chapter V [2] Unit : 5 Chapter IX – Sections 1 – 8 [1] REFERENCES | Section 4 [1] | |
| Unit : 2 Chapter V – Sections 1,2,3,4 & 5, Chapter VIII – Unit : 3 Chapter XII – Sections 1 – 6 [1] Unit : 4 Chapter V [2] Unit : 5 Chapter IX – Sections 1 – 8 [1] | Section 4 [1] | |

Table 1: COs POs Mapping

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|-------|-----|-----|-----|-----|-----|-----|------------|-----|-----|
| CO 1 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 2 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 3 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 4 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 5 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| Total | 15 | 10 | 0 | 5 | 3 | 0 | 5 | 5 | 5 |
| Scale | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| Value | | | | | | | | | |

 $1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

0 - No relation, 1 - Low relation, 2 - Medium relation, 3 - High relation

| COUR | SE COD | E | COURSE NAME | | L | Т | Р | С |
|---|---|---|---|--|--------|------------|---------|---------------|
| XMT2 | 05 | | SEQUENCES AND SERIES | 5 | 4 | 1 | 0 | 5 |
| C | D | | | | T | T | D | тт |
| C 4 | P 0.5 | A 0.5 | | | L 4 | T 1 | P 0 | <u>Н</u> 5 |
| - | EQUISIT | | | | 4 | 1 | U | 3 |
| | outcom | | | Domain | Lev | rel | | |
| | | | Sequences, Monotonic | Cognitive | _ | | nding | |
| | | | ergent Sequence, Divergent | C | | | U | |
| | | | ating sequences. | | | | | |
| CO2: | Explain | Behaviou | r of Monotonic functions. | Cognitive | | | nding | |
| ~~~ | | | | Psychomotor | | | espon | se |
| | - | - | nces, limit points and Cauchy | Cognitive | Unc | lersta | nding | |
| | equences | | test to infinite series to test | Cognitive | Line | lanata | - din - | |
| | | | d to Explain Cauchy's general | Cognitive | | olying | nding | |
| | | of conver | | | TPF | nymg | | |
| | | | t's ratio test, Cauchy's root test | Cognitive | Apr | olying | | |
| | | | and to test the Alternating | C | | | | |
| S | Series an | d Absolu | te Convergence of the series | Affective | Rec | eiving | 3 | |
| UNIT | SEO | UENCES | | | | 1 | 15 | |
| | | | notonic Sequences – Converger | nt Sequence – D | iverg | | - | es |
| | lating sec | | | 1 | 0 | | 1 | |
| | | | LIMITS | | |] | 15 | |
| Behavi | our of Mo | onotonic f | functions. | | | | | |
| | | | REMS ON LIMITS | | | 1 | 15 | |
| Subseq | uences – | limit poir | tts : Cauchy sequences | | | | | |
| UNIT | V SERI | ES | | | | 1 | 15 | |
| | | | general principal of convergenc | | | | | |
| test of c | convergei | nce using | comparison test (comparison te | est statement on | ly, nc | o proo | f). | |
| UNIT Y | V TEST | OF CON | VERGENCE USING D ALEN | MBERT'S RAT | ΓΙΟ | 1 | 15 | |
| TEST | | | | | - | | | |
| Cauchy | 's root te | st – Alter | nating Series – Absolute Conver | rgence (Stateme | ent on | ly for | all tes | ts). |
| | | | | TURE TUT | ORI | \L | тот | AL |
| 1 1 | | | | | | | | |
| | | | | <u>60</u> | | 15 | | 75 |
| TEXT | BOOKS | : | | | | 15 | | 75 |
| 1.Dr. S | .Arumuga | am & Mr. | A.Thangapandi Isaac, "Sequenc | 60 | | | na | 75 |
| 1.Dr. S Publi | Arumuga shing Ho | am & Mr. use – 200 | A.Thangapandi Isaac, "Sequenc 2 Edition. | 60 | | | na | 75 |
| 1.Dr. S Public Unit I : | Arumuga. shing Ho Chapter | am & Mr. use – 200 3 : Sec. 3 | A.Thangapandi Isaac, "Sequenc 2 Edition. .0 – 3.5 Page No : 39-55 | 60 | | | na | 75 |
| 1.Dr. S Publi Unit I : Unit II | Arumuga shing Ho Chapter : Chapter | am & Mr. use – 200 3 : Sec. 3 3 : Sec. 3 | A.Thangapandi Isaac, "Sequenc 2 Edition. .0 – 3.5 Page No : 39-55 3.6, 3.7 Page No:56 – 82 | 60 | | | na | 75 |
| 1.Dr. S Publi Unit I : Unit II Unit III | Arumuga shing Ho Chapter : Chapter : Chapter | am & Mr. use – 200 3 : Sec. 3 7 3 : Sec. 3 r 3 : Sec. 3 | A.Thangapandi Isaac, "Sequenc 2 Edition. .0 – 3.5 Page No : 39-55 3.6, 3.7 Page No:56 – 82 3.8-3.11, Page No:82-102 | 60 | | | na | 75 |
| 1.Dr. S Publis Unit I : Unit II Unit III Unit IV | Arumuga shing Ho Chapter : Chapter : Chapte ' : Chapte | am & Mr. use – 200 3 : Sec. 3 3 : Sec. 3 r 3 : Sec. 3 r 3 : Sec. 3 | A.Thangapandi Isaac, "Sequenc 2 Edition. .0 – 3.5 Page No : 39-55 3.6, 3.7 Page No:56 – 82 3.8-3.11, Page No:82-102 (4.1 & 4.2) Page No : 112-128. | 60 ces and Series", | | | na | 75 |
| 1.Dr. S Public Unit I : Unit II Unit III Unit IV Unit V | Arumuga shing Ho Chapter : Chapter : Chapte ' : Chapte | am & Mr. use – 200 3 : Sec. 3 3 : Sec. 3 r 3 : Sec. 3 r 4 : Sec. at part of | A.Thangapandi Isaac, "Sequenc 2 Edition. .0 – 3.5 Page No : 39-55 3.6, 3.7 Page No:56 – 82 3.8-3.11, Page No:82-102 | 60 ces and Series", | | | na | 75 |
| 1.Dr. S Publia Unit I : Unit II Unit III Unit IV Unit V Page N | Arumuga shing Ho Chapter : Chapter : Chapter : Chapte : Relevar | am & Mr. use – 200 3 : Sec. 3 3 : Sec. 3 r 3 : Sec. 3 r 3 : Sec. 3 r 4 : Sec. nt part of 9 7. | A.Thangapandi Isaac, "Sequenc 2 Edition. .0 – 3.5 Page No : 39-55 3.6, 3.7 Page No:56 – 82 3.8-3.11, Page No:82-102 (4.1 & 4.2) Page No : 112-128. | 60 ces and Series", | | | na | 75 |
| 1.Dr. S Publis Unit I : Unit II Unit III Unit IV Unit V Page N REFEI 1. Prof. | Arumuga shing Ho Chapter : Chapter : Chapter : Chapte : Relevar o:157-16 RENCES S.Surya | am & Mr. use – 200 3 : Sec. 3 7 3 : Sec. 3 r 3 : Sec. 3 r 4 : Sec. r 4 : Sec. nt part of 7. | A.Thangapandi Isaac, "Sequenc 2 Edition. .0 – 3.5 Page No : 39-55 3.6, 3.7 Page No:56 – 82 3.8-3.11, Page No:82-102 (4.1 & 4.2) Page No : 112-128. | 60 ces and Series", 1 & 5.2 cations, Chenna | New 1 | Gamr 2. | na | 75 |

Table 1: Mapping of COs with Pos

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|--------|-----|-----|-----|-----|-----|-----|------------|-----|-----|
| | | | | | | | | | |
| CO 1 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 2 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 3 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 4 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 5 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| Total | 15 | 10 | 0 | 5 | 3 | 0 | 5 | 5 | 5 |
| Scaled | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| value | | | | | | | | | |

 $1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

| COU | RSE CODE | XPG206 | | L | Т | Р | С |
|---------|-----------------|--|------------|-----------|--------|-----------------|------|
| COU | RSE NAME | MODERN PHYSICS LAB | | 0 | 1 | 2 | 2 |
| C:P:A | | 0.4:1:0.6 | | L | Т | Р | Η |
| | EQUISITE: 1 | | | 0 | 1 | 2 | 2 |
| | RSE OUTCO | | | nain | | Leve | |
| CO1 | | age of laboratory instruments and measure | Cognit | | | erstar | - |
| | | modulus of uniform pending | | omotor | | hanis | m |
| CO2 | | demonstrate the behaviour of thermal | - | omotor | Set | | |
| GOA | | of bad conductor | Affect | | Valu | <u> </u> | |
| CO3 | | and <i>measure</i> the normal incidence of | Cognit | | | lying | |
| CO4 | grating | d <i>explain</i> the Calibration of ammeter | Affect | omotor | | hanis anizat | |
| 04 | Compare an | d explain the Canoration of animeter | | omotor | Set | amzai | 1011 |
| CO5 | Describe the | resistance and specific resistance of a wire | | omotor | | eption | n |
| 000 | | resistance and specific resistance of a write | Affect | | | anizat | |
| List of | f Experiments | | | | - | Hour | |
| 1 | Uniform Ben | ding - Pin and Microscope Method. | | | | 3 | |
| 2 | Lee's Disc - 7 | Thermal Conductivity of Bad Conductor. | | | | 3 | |
| 3 | Spectrometer | - Grating- Normal incidence method. | | | | 3 | |
| 4 | Spectrometer | - id curve. | | | | 3 | |
| 5 | AND, OR an | d NOT logic gates - verification of truth tabl | e. | | | 3 | |
| 6 | Potentiomete | r - Calibration of ammeter. | | | | 3 | |
| 7 | Semiconduct | or Diode - Forward and Reverse bias charact | teristics. | | | 3 | |
| 8 | - | - Determination of resistance and specific re | esistance | e of a | | 3 | |
| TEVT | Wire. BOOKS: | | | | | | |
| | | Practical Physics", B.Sc Practical Physics, S | Chand | and Co | mnan | v I td | |
| 1.0.1 | | Tracucal Ellysics, D.SC Fractical Ellysics, S | | | mpan | iy Liu | , |
| | | and P. C. Rakshit, "An Advanced Course in | Practic | al Physic | cs". N | lew | |
| | tral Book Age | | | | ,1 | | |
| | U | Deals of Advanced Dreatical Devices" New | Cantual | Doole / | anna | 7 | |

- 3. S. Ghosh, "A Text Book of Advanced Practical Physics", New Central Book Agency, 7 Semester 1 - Physics (Honours) Theory Paper.
- 4. Shukla R. K. and Anchal Srivastava, "Practical Physics", New Age International (P) Ltd,

Publishers, 2006.

REFERENCESBOOKS:

- 1. Squires G. L., "Practical Physics", 4th Edition, Cambridge University Press, 2001.
- 2. Halliday D., Resnick R. and Walker J., "Fundamentals of Physics", 6th Edition, John Wiley and Sons, 2001.
- 3. Jenkins F.A. and White H.E., "Fundamentals of Optics", 4th Edition, Mc Graw Hill Book Company,2007.
- 4. Geeta Sanon, B. Sc., Practical Physics, 1st Edition, S. Chand and Company, 2007.

5. Benenson, Walter, and Horst Stocker, Handbook of Physics, Springer, 2002.

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|--------------|-----|-----|-----|-----|-----|-----|------------|-----|-----|
| CO 1 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 2 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 3 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 4 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 5 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| Total | 15 | 10 | 0 | 5 | 3 | 0 | 5 | 5 | 5 |
| Scaled value | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |

Table 1: Mapping of COs with Pos

$1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

| COU | RSE C | ODE | COURSE NAME | L | Т |] | P | С |
|--------|-------------|------------|---|-------|------|-------|--------|-----|
| XMT | F301 | | LOGIC AND SETS | 2 | 0 | | 0 | 2 |
| С | Р | Α | | L | Т | Р | SS | Η |
| 2 | 0 | 0 | | 2 | 0 | 0 | 2 | 4 |
| PRE | REQUIS | SITE: Fo | oundation course in Mathematics | | | | | |
| Cour | se outco | mes: | | Doma | in | Level | l | |
| CO1 | : Define | and Exp | blain Statements and Notations, | Cogni | tive | Reme | emberi | ng |
| Conn | ectives, | Statemer | ts formula and truth tables-Conditional and | | | Unde | rstand | ing |
| bicon | ditional, | Well for | rmed formulae- Equivalence of formulae and | | | | | |
| Norm | nal forms | | | | | | | |
| CO2 | : Define | and Ex | plain Theory of inference for a statement | Cogni | tive | Reme | emberi | ng |
| calcu | lus, rules | s of infer | ence, related problems and Indirect method | | | Unde | rstand | ing |
| of pro | oof. | | | | | | | |
| CO3 | : Define | e and E | xplain Predicate Calculus, The statement | Cogni | tive | Reme | emberi | ng |
| funct | ions, vai | riables a | nd quantifiers predicate formulae, free and | _ | | Unde | rstand | ing |
| boun | ded varia | bles and | the universe of discourse. | | | | | |
| CO4 | : Define | e and H | Explain The rule of sum and product – | Cogni | tive | Reme | emberi | ng |
| perm | utation - | - combi | nation of binomial theorem – Multinomial | | | Unde | rstand | ing |
| theor | em. | | | | | | | |
| CO5 | : Define | and Ex | plain Mathematical Induction, The pigeon | Cogni | tive | Reme | emberi | ng |
| hole | principle | and The | principle of inclusive and exclusive | | | Unde | rstand | ing |
| Dera | ngements | s. | | | | | | |

| UNIT I | 6 |
|--|-----------------|
| Statements and Notations- Connectives- Statements formula and truth tables-Co | nditional and |
| biconditional - Well formed formulae- Equivalence of formulae- Normal forms. | |
| UNIT II | 6 |
| Theory of inference for a statement calculus - rules of inference - related proble | ems — |
| Indirect method of proof. | |
| UNIT III | 6 |
| Predicate Calculus - The statement functions - variables and quantifiers - predic | cate formulae – |
| free and bounded variables – the universe of discourse. | |
| UNIT IV | 6 |
| The rule of sum and product - permutation - combination of binomial theorem - | - Multinomial |
| theorem. | |
| UNIT V | 6 |
| Mathematical Induction - The pigeon hole principle - The principle of inclusive | and exclusive |
| Derangements. | |
| LECTURE | TOTAL |
| 30 | 30 |
| | |
| TEXTBOOK | |

REFERENCES

- 1. P.R. Halmos, Naive "Set Theory", Springer, 1974.
- 2. E. Kamke, "Theory of Sets", Dover Publishers, 1950.
- 3. G. Ramesh and Dr.C. Ganesamoorthy, "Discrete Mathematics", Research gate, Feb, 2018.

TABLE 1: COs VS POs Mapping

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|-------------|-----|-----|-----|-----|-----|-----|-----|-----|-----|
| CO 1 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| CO 2 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| CO 3 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| CO 4 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| CO 5 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| | 15 | 10 | 5 | 5 | 5 | 5 | 5 | 5 | 5 |

 $1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

| | URS | | DE | COURSE NAME | | L | Т | Р | C |
|------|------------------|------------------------|-----------|--|-----------------|-------|----------------|------------|------|
| | MT302 | | | PROGRAMMING IN C | | 3 | 1 | 0 | 4 |
| С | Р | Α | | | | | 1 | | |
| 3 | 0.5 | 0.5 | | | | L | Т | Р | Η |
| | | | | | | 3 | 1 | 0 | 4 |
| | ERE(| _ | | Nil | | | | | |
| | urse (| | | | Domain | | Leve | | |
| | Ex | pressi | ons. | stants, Variables, Data types, Operator and | Cognitive | | Unde | rstan | ding |
| CO |)2: Ex | plain | Input | t and Output operations, Decision | Cognitive | | Unde | rstan | ding |
| | Ma | king | and B | ranching, Decision making and Looping. | Psychomotor | | Guide Respo | | |
| CO | | plain nction | | acter Arrays and Strings and User defined | Cognitive | | Unde | rstan | ding |
| CO | | _ | | Apply Structures and unions, Pointers and ent in C. | Cognitive | | Unde Apply | | ding |
| CO | 95: Ap | ply D |) ynan | nic memory allocation, Linked lists, Pre- | Cognitive | | Appl | | |
| | | | | d Programming Guide lines. | Affective | | Recei | | |
| UN | ITI | | | | | U | | 12 | |
| Intr | oduct | ion to | C – (| Constants, Variables, Data types – Operator a | and Expression | s. | | | |
| UN | IT II | | | | | | | 12 | |
| | naging oping. | g Inpu | ıt and | Output operations – Decision Making and E | Branching – Dee | cisi | on ma | king | and |
| | IT II | Ι | | | | | | 12 | |
| Arr | ays – | Chara | icter A | Arrays and Strings – User defined Functions. | | | | | |
| | IT IV | | | • • | | | | 12 | |
| Str | ucture | s and | unior | ns – Pointers – File management in C. | | | | | |
| UN | IT V | | | | | | | 12 | |
| Dy | namic | mem | ory al | location – Linked lists- Preprocessors – Prog | gramming Guid | le li | nes. | | |
| | LECT | | | UTORIAL | - | | |)TA | L |
| 4 | 5 | | 15 | | | | 60 | | |
| TE | XT B | OOK | | | | | • | | |
| | 1. B | alagu | rusam | y E.,"Programming in ANSI C", Sixth Editi | on, McGraw-H | ill, | 2012. | | |
| RE | FERI | ENCE | 2 | | | | | | |
| | 1. B | ichka | r, R.S | ., "Programming with C", University Press, | 2012. | | | | |
| | | | | | | | | | |

Table 1: COs VS POs Mapping

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|----------|-----|-----|-----|-----|-----|-----|-----|-----|------------|
| CO 1 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 2 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 3 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 4 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 5 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| Scaled | 15 | 10 | 0 | 5 | 3 | 0 | 5 | 5 | 5 |
| Valued | | | | | | | | | |
| Function | | | | | | | | | |

 $1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

| COU | RSE CO | ODE | COURSE NAME | | L | Т | Р | C |
|-------|------------|-------------|------------------------------------|--------------------|-------|--------|--------|------|
| XMT | Г303 | | REAL ANALYSIS | | 4 | 1 | 0 | 5 |
| С | Р | Α | | | L | Т | Р | Η |
| 5 | 0 | 0 | | | 4 | 1 | 0 | 5 |
| PRE | REQUI | SITE: | Nil | | | | | |
| Cour | se Outc | omes: | | | | | | |
| | | | | Domain | Le | vel | | |
| CO1 | : Explai | n | | Cognitive | Un | dersta | andin | g |
| The f | field axio | oms, Field | properties, Order in R, | | | | | - |
| Abso | lute valu | ie, Compl | eteness, Representation of Real | | | | | |
| numb | pers on a | straight li | ine, Intervals, Countable and | | | | | |
| | untable | | | | | | | |
| CO2 | : Define | and Exp | lain Open sets, Closed sets, | Cognitive | Ren | nemł | bering | 5 |
| Limit | t points o | of a set an | d Closure of a set. | | Un | dersta | andin | g |
| CO3 | : Define | and Exp | lain Limits, Continuous | Cognitive | Ren | nemł | bering | 5 |
| funct | ions, Ty | pes of dise | continuities, Algebra of | | Un | dersta | andin | g |
| Cont | inuous fi | unctions a | nd Boundedness of continuous | | | | | |
| funct | | | | | | | | |
| | | | ain Derivability and | Cognitive | | | bering | |
| | | | lerivatives, Inverse function | | Un | dersta | andin | g |
| theor | em for d | erivatives | and Darboux's theorem. | | | | | |
| | | - | in conditions for integrability, | Cognitive | | | pering | |
| | | | functions, continuity and | | Un | dersta | andin | g |
| | | | functions, Mean value | | | | | |
| | , | | ntal theorem of Calculus and | | | | | |
| | | value the | | | | | | |
| UNI | | eal numbe | | | 15 | | | |
| | | | properties-Order in R- Absolute | | | | | |
| - | esentatic | on of Real | numbers on a straight line - Inter | rvals – Countable | and U | Incou | intab | le |
| sets. | | | | | 1 | | | |
| | | | oods and limit points | | 15 | | | |
| Open | sets – C | Closed sets | -Limit points of a set – Closure | of a set. | | | | |
| | | | d Continuity | | 15 | | | |
| | | | nctions – Types of discontinuitie | s- Algebra of Cont | tinuo | ıs fu | nctior | 1S — |
| Boun | dedness | of continu | uous functions. | | | | | |

| UNIT IV Derivatives | 15 | |
|---|----------------------|---------------|
| Introduction – Derivability and continuity- Algebra of derivat | ives – Inverse func | ction theorem |
| for derivatives – Darboux's theorem. | | |
| UNIT V | 15 | |
| Riemann Integration- Definition – Daurboux's theorem – con | ditions for integrab | oility – |
| properties of integrable functions – continuity and derivability | of integral function | ons – Mean |
| value theorems - the fundamental theorem of Calculus and th | e first mean value | theorem. |
| LECTURE | TUTORIAL | TOTAL |
| 60 | 15 | 75 |
| TEXT BOOKS | | |
| | | |
| 1. M.K.Singhal and Asha Rani Singhal, "A first course in Re | al Analysis"., R. C | hand & |
| | al Analysis"., R. C | hand & |
| 1. M.K.Singhal and Asha Rani Singhal, "A first course in Re | | |
| 1. M.K.Singhal and Asha Rani Singhal , "A first course in Re Co., June,1997 (Units I to IV). | | |

- Chapter 2 Sec 2.1 2.6Unit-III Chapter 5 Sec 5.1 - 5.5
- Unit IV Chapter 6 Sec 6.1 6.5
- Unit V Chapter 6 Sec 6.2, 6.3 & 6.5 6.7 6.8, 6.9 of [2]

Table 1: COs VS POs Mapping

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|------|-----|-----|-----|-----|-----|-----|-----|-----|-----|
| CO 1 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 2 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 3 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 4 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 5 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| | 15 | 10 | 0 | 5 | 3 | 0 | 5 | 5 | 5 |

 $1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

| COUR | RSE CO | DE | COURSE NAME | | L | Τ | Р | С | |
|---------------|-----------|-------------|---------------------------------------|----------------|-------------------------|-------------|-----------|----------|--|
| XMT3 | 304 | | ANALYTICAL GEOMETRY | 7 3D | 4 | 1 | 0 | 5 | |
| С | Р | Α | | | L | Т | P | Н | |
| <u>c</u> 5 | 0 | 0 | | | 4 | 1 | 0 | 5 | |
| - | EQUISI | v | | | - | - | v | 0 | |
| | e outcon | | | | Domai | n | Level | | |
| | | | in space, direction cosines of a lin | | Cogniti | | Remem | bering | |
| | | line and to | | C | | Underst | 0 | | |
| | | of a plane | | | | | • | | |
| CO2: | Find line | e of inters | kew lines, | Cogniti | ive | Remem | bering | | |
| | Shortest | distance | between skew lines. | | | | | | |
| | - | | | Cogniti | ive | Underst | anding | | |
| | | | ystem of spheres generated by two | spheres. | | | | | |
| | - | and to fi | | Cogniti | ive | Remembering | | | |
| | | | aight line and quadric cone, tange | nt plane | Understandin | | | | |
| | and norn | | | | | | | | |
| | | | ition for plane to touch the quadrid | | Cognitive Understanding | | | anding | |
| | | | cone has three mutually perpendic | | | | | | |
| | • | rs and co | ndition for the plane to touch the c | onicoid. | | | | | |
| UNIT | | D ' | | | | | | 15 | |
| | | | rection cosines of a line in space-ar | | | | ice – equ | ation of | |
| a plane | e in norm | al form. A | Angle between planes – Distance of | or a plane fro | om a poi | int. | | | |
| UNIT | | | | | | | | 15 | |
| | | | line of intersection of planes – plan | | | | | | |
| | | shortest d | istance between skew lines- lengt | n of the perp | endicul | ar fro | om point | to line. | |
| UNIT | | | | | | | | | |
| | | | here-Section of sphere by plane-ta | | | | | | |
| | | es genera | ted by two spheres - System of sp | heres genera | ited by a | a sph | ere and j | 1 | |
| UNIT | | | | | | | | 15 | |
| - | | f surface - | - cone – intersection of straight lin | e and quadri | ic cone | – tai | ngent pla | ane and | |
| norma | | | | | | | | | |
| UNIT | | 1 | 1.1 11 1. | | • • | • • • | | 15 | |
| | | | buch the quadric cone - angle betw | | | | | | |
| | | | e cone has three mutually perpe | | | | | | |
| the cor | | a nne and | d quadric – tangents and tangent j | names – con | amon 1 | orth | e piane | to touch | |
| the cor | | | LECTUR | <u>г</u> т | UTOD | ΑΤ | , | TOTAL | |
| | | | | E 10 | UTORI | AL 15 | | | |
| | | | | | | 13 | | 75 | |

TEXT BOOK

- 1. Shanthi Narayanan and Mittal P.K,"Analytical Solid Geometry" 16th Edition S.Chand & Co., New Delhi,2005.
- 2. Narayanan and Manickavasagam Pillay, T.K.," Treatment as Analytical Geometry" S.Viswanathan (Printers & Publishers) Pvt. Ltd.,2008
 - Unit I : Chapter I, Sec 1.5 to 1.9, Chapter II Sec 2.1 to 2.3, Pages : 10-31 Chapter II Sec 2.4 to 2.8 pages : 32-47 of [1]

Unit II : Chapter III section 3.1-3.7, pages 55-89 of [1]

Unit III : Chapter VI Sec. 6.1 to 6.6 pages : 121-143 of [1]

Unit IV : Chapter V Sec.43 to 47 pages : 103-113 of [2]

Unit V : Chapter V Sec.49 to 53, Pages:115-125 of [2]

REFERENCE

1. P.Duraipandian & others, "Analytical Geometry 3 Dimensional", Edition, 1998.

Table 1: COs VS POs Mapping

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|------|-----|-----|-----|-----|-----|-----|-----|-----|-----|
| CO 1 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 2 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 3 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 4 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 5 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| | 15 | 10 | 0 | 5 | 3 | 0 | 5 | 5 | 5 |

 $1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

| COURSE CODE COURSE NAME | | | | | L | Τ | Р | C | | |
|-------------------------|--|----------|---|-------------------|---------------|------------------------|--------|----|--|--|
| XMT | T 305 | | PROGRAMMING IN C (PRACT | FICAL) | 0 | 0 | 2 | 2 | | |
| С | Р | Α | | | L | Т | Р | Η | | |
| 2 | 0 | 0 | | | 0 | 0 | 2 | 4 | | |
| | REQUI | SITE | Nil | | - | - | | - | | |
| | RSE O | | | | | | | 1 | | |
| | se Outc | Le | vel | | | | | | | |
| CO1 | : Apply | Const | ants, Variables, Data types, | Cognitive | Understanding | | | | | |
| Opera | ator and | | | _ | | | | - | | |
| | Expres | sions | to write simple programmes | | | | | | | |
| CO ₂ | : Apply | Input | and Output operations, Decision | Cognitive | Un | derst | tandiı | ng | | |
| | to wri | te sim | ple programmes | Psychomotor | | ided | | | | |
| | | | | | Re | Response Understanding | | | | |
| | CO3: Apply Character Arrays and Strings and User Cognitive Underst | | | | | | tandiı | ıg | | |
| define | | | | | | | | | | |
| | | | write simple programmes | | _ | | | | | |
| CO4: | | | tures and unions, Pointers and | Cognitive | | Understanding | | | | |
| | | anage | ment in C to write simple | | Ap | Applying | | | | |
| <u> </u> | ammes | <u> </u> | | | _ | | | | | |
| | : Apply | Dyna | mic memory allocation, Linked | Cognitive | Ap | Applying | | | | |
| lists, | Deco | | and Decomposition Cuida lines to | Affective | Receiving | | | | | |
| write | - | ocesso | ors and Programming Guide lines to | Affective | Re | ceivi | ng | | | |
| write | | nrom | ammes | | | | | | | |
| | simple | , progr | List of Programmes | | | | | | | |
| | | | List of Frogrammes | | | | | | | |
| 1. Wı | rite a Pro | ogram | to convert temperature from degree | Centigrade to Fah | renhe | it. | | | | |
| 2. W1 | rite a Pro | ogram | to find whether given number is Eve | en or Ödd. | | | | | | |
| 3. W1 | rite a Pro | ogram | to find greatest of three numbers. | | | | | | | |
| | | | t of names in alphabetical order | | | | | | | |
| | | | t of numbers in ascending order | | | | | | | |
| | | • | to using switch statement to display | | ıy. | | | | | |
| | | • | to display first Ten Natural Number | | | | | | | |
| | | <u> </u> | to find Sum and Multiplication of T | | | | | | | |
| | | - | to find the maximum number in Arr | ay using pointer. | | | | | | |
| | | <u> </u> | n to reverse a number using pointer. | C | | | | | | |
| | | <u> </u> | n to solve Quadratic Equation using | | | | | | | |
| | | - | n to find factorial of a number using | | | | | | | |
| | - | <u> </u> | n to calculate Mean, Variance and SI | | | | | | | |
| 14. N | vrite a P | rograf | n to create a file containing Student l | Detalls. | | | | | | |

| Course N | Name | DISASTER MANAGEMENT | | | | | | | | | |
|-----------------------|----------|--|-----------------------------------|--|--|--|--|--|--|--|--|
| Course (| | XUM306 | | | | | | | | | |
| Prerequi | isite | NIL | L –T –P –C | | | | | | | | |
| • | | | 3-0-0- | | | | | | | | |
| | | | 0 | | | | | | | | |
| C : P : | A | | L -T - P- H | | | | | | | | |
| 2.64 : 0.2 | 24 :0.12 | | 3 - 0 - 0 - 3 | | | | | | | | |
| Course (| Dutcom | e | Domain | | | | | | | | |
| | | | C or P or A | | | | | | | | |
| CO1 | | standing the concepts of application of | C(Application) | | | | | | | | |
| | types c | of disaster preparedness | C(Application) | | | | | | | | |
| CO2 | Infer | the end conditions & Discuss the failures | C(A = 1 =) | | | | | | | | |
| | due to | disaster. | C(Analyze) | | | | | | | | |
| CO3 | Under | standing of importance of seismic waves | C(A palyza) | | | | | | | | |
| | occurri | ing globally | C(Analyze) | | | | | | | | |
| CO4 | Estima | ate Disaster and mitigation problems. | C(Application) | | | | | | | | |
| CO5 | | knowledge on essentials of risk reduction | C(Application) | | | | | | | | |
| UNIT I | INT | RODUCTION | 9 | | | | | | | | |
| | hrs | | | | | | | | | | |
| | | oduction – Disaster preparedness – Go | | | | | | | | | |
| | | Programme- Risk identification – Risk sharing – Disaster and development: | | | | | | | | | |
| | | elopment plans and disaster management-A | | | | | | | | | |
| | | saster – development linkages - Principle of | | | | | | | | | |
| UNIT II | | PLICATION OF TECHNOLOGY IN DIS | | | | | | | | | |
| | | DUCTION | 9 hrs | | | | | | | | |
| | | lication of various technologies: Data bas | | | | | | | | | |
| | | Information systems – Decision support system and other systems – Geographic | | | | | | | | | |
| | | information systems – Intranets and extranets – video teleconferencing. Trigger mechanism – Remote sensing-an insight – contribution of remote sensing and | | | | | | | | | |
| | | - Case study. | information of remote sensing and | | | | | | | | |
| UNIT II | | ARENESS OF RISK REDUCTION | 9 | | | | | | | | |
| | hrs | | , | | | | | | | | |
| | | Trigger mechanism – constitution of trigger mechanism – risk reduction by | | | | | | | | | |
| | | education – disaster information network – risk reduction by public awareness | | | | | | | | | |
| UNIT IV | | VELOPMENT PLANNING ON DISASTE | | | | | | | | | |
| | hrs | | | | | | | | | | |
| | | lication of development planning – Finar | ncial arrangements – Areas of | | | | | | | | |
| | - | improvement – Disaster preparedness – Community based disaster management | | | | | | | | | |
| | - | nergency response. | , | | | | | | | | |
| UNIT V | | SMICITY | 9 hrs | | | | | | | | |
| | | mic waves – Earthquakes and faults – measure | | | | | | | | | |
| | | intensity – ground damage – Tsunamis and e | 1 · · · · | | | | | | | | |
| | | | L -45 hrs Total-45 hrs | | | | | | | | |
| TEXT B | OOKS | | | | | | | | | | |
| | | a Gautam and K Leelakrisha Rao, "Disaste | r Management Programmes and | | | | | | | | |
| | | , Vista International Pub House, 2012 | | | | | | | | | |
| | | mar, "Global Disaster Management", SBS Pu | ıblishers, 2008 | | | | | | | | |
| REFERI | | | | | | | | | | | |
| | | aedia Of Disaster Management, Neha Publis | 1 0 D! !! 0000 | | | | | | | | |

- 2. Pardeep Sahni, Madhavi malalgoda and ariyabandu, "Disaster risk reduction in south asia", PHI, 2002
- 3. Amita sinvhal, "Understanding earthquake disasters" TMH, 2010.
- **4.** Pardeep Sahni, Alka Dhameja and Uma medury, "Disaster mitigation: Experiences and reflections", PHI, 2000

| | PO 1 | PO 2 | PO 3 | P 04 | PO 5 | P 06 | Р 07 | PO 8 | PO 9 | PO 10 | PO 11 | PO1 2 | PSO 1 | PSO2 |
|------------|---------|---------|---------|---------|---------|---------|---------|---------|---------|----------|----------|----------|----------|------|
| CO1 | 1 | | | | | 5 | 2 | | | | | | | |
| CO2 | 2 | | | | | 1 | 2 | | | | | 1 | | |
| CO3 | 1 | | | | | 2 | 2 | 1 | | | | 2 | | |
| CO4 | 1 | | | | | 2 | 2 | 1 | | | | 1 | | |
| CO5 | | | | | | 5 | 2 | 3 | | | | 1 | | |
| | 5 | | | | | 15 | 10 | 5 | | | | 5 | | |

Table 1: Mapping of COs with Pos

 $1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

IV SEMESTER

| COURSE | COURSE NAME | L | Τ | | Р | С | | |
|--|--|-----------|--------------|----------------|--------|----------|--|--|
| CODE | | • | • | | 0 | | | |
| XMT401 | THEORY OF EQUATIONS | 2 | 0 | | 0 | 2 | | |
| C P A | | L | T ^ | P | SS | H | | |
| 2 0 0 | | 2 | 0 | 0 | 2 | 4 | | |
| - | Foundation Course in Mathematics | D | | Ŧ | | | | |
| Course outcomes: | | Doma | | Leve | | | | |
| CO1: Explain Graphical representation of a polynomials, maximum and minimum values of a polynomials.CognitiveRememb Applying | | | | | | | | |
| CO2: Apply Gene signs positive and r roots and the coeffi | Cogni | tive | Remo Appl | emberi ying | ing | | | |
| CO3: Define and Explain Sets, subsets, Set operations, the laws of set theory and Venn diagrams. Examples of finite and infinite Sets. | | | | | | | | |
| CO4: Define and Explain with Examples Finite sets and counting principle. Empty set, properties of empty set. StandardCognitiveUndersta Applyingset operations. Classes of sets. Power set of a set.StandardStandardStandardStandard | | | | | | | | |
| CO5: Solve reciprocal and binomial equations, and to find algebraic solutions of the cubic and biquadratic with Properties of the derived functions. | | | | | | | | |
| UNIT I | | 1 | | | 6 | | | |
| General properties minimum values of | of polynomials, Graphical representation of a polynomials. | oolynon | nials, | maxii | num a | nd | | |
| UNIT II | w por prominist | | | | 6 | | | |
| General properties | of equations, Descarte's rule of signs positive a | and neg | ative | rule. | | | | |
| | ne roots and the coefficients of equations. | 0 | | | | | | |
| UNIT III | A | | | | 6 | | | |
| Sets, subsets, Set op and infinite sets. | perations, the laws of set theory and Venn diag | grams. E | lxamj | ples of | finite | | | |
| UNIT IV | | | | | 6 | | | |
| Finite sets and cour | ting principle. Empty set, properties of empty | set. Sta | ndaro | d set | | | | |
| · · · | of sets. Power set of a set. | | | | 6 | | | |
| UNIT V | and hinamial aquations. Alsohusia solution | ac of 41- | | in and | 6 | | | |
| - | ocal and binomial equations. Algebraic solution ties of the derived functions. | | e cub | ic and | | | | |
| | LECT | | | | TOT | AL 30 | | |
| 30 | | | | | | | | |
| TEXTBOOKS 1 W.S. Burnside and A.W. Panton, "The Theory of Equations", Dublin University Press, 1954. | | | | | | | | |
| 2. C. C. MacDuffee | e, "Theory of Equations", John Wiley & Sons I | Inc., 195 | 54. | | | | | |

TABLE 1: COs VS POs Mapping

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|-------------|-----|-----|-----|-----|-----|-----|-----|-----|-----|
| CO 1 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| CO 2 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| CO 3 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| CO 4 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| CO 5 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| | 15 | 10 | 5 | 5 | 5 | 5 | 5 | 5 | 5 |

 $1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

| COURSE CODE | COURSE NAME | L | Т | Р | C | | |
|---|---|----------|----------|-----------|----------|--|--|
| XMT402 | INTRODUCTION TO MATLAB | 3 | 1 | 0 | 4 | | |
| | | | T | P | H | | |
| C P A 4 0 0 | | 3 | 1 | 0 | 4 | | |
| PREREQUI | SITE · Nil | 5 | I | U | | | |
| Course Outo | | Doma | in | Level | | | |
| | Variables, assignment, statements, expressions, | Cogni | | Applyi | ng | | |
| | coding, vectors and matrices. | 00811 | | | 8 | | |
| | in about creating row vectors and column | Cogni | tive | Unders | standing | | |
| | nsions in using functions with vectors and | U | | Applyi | - | | |
| matrices. | C | | | 11.2 | U | | |
| CO3: Apply | Matlab Scripts, Input and Output, scripts with | Cogni | tive | Applyi | ng | | |
| | put, user defined functions in simple | - | | | - | | |
| applications. | - | | | | | | |
| CO4: Apply | Selection Statement, relational expressions, | Cogni | tive | Applyi | ng | | |
| | ement, menu function, looping, FOR loop, | | | | | | |
| nested FOR 1 | oop, WHILE loop. | | | | | | |
| | String manipulations, creating string variable, | Cogni | tive | Applying | | | |
| - | strings, fundamentals of arrays, structure and | | | | | | |
| | s with simple applications. | | | | | | |
| UNIT I | | | | 12 | | | |
| | to MATLAB – Variables and assignment statement | is –exp | ressior | ıs – | | | |
| | d encoding – vectors and matrices. | | | | | | |
| UNIT II | | | | 12 | | | |
| Creating row | vectors and column vectors - matrix variables - di | mensic | ons in u | using fur | octions | | |
| with vectors a | and matrices. | | | | | | |
| UNIT III | | | | 12 | | | |
| | ogrammes - Matlab Scripts, Input and Output, scri | | | | put, | | |
| | to file input and output – user defined functions – s | imple a | pplica | | | | |
| UNIT IV | | | | 12 | | | |
| | tement – relational expressions, SWITCH statemen | t, men | u funct | ion, loop | oing | | |
| 1 · · | nested FOR loop, WHILE loop. | | | 1 | | | |
| UNIT V | | | | 12 | | | |
| U 1 | ulations, creating string variable, operations on strin | U | | ntals of | | | |
| arrays, struct | ure and file operations- simple applications on the | ne abov | ve. | | | | |
| | | | | | | | |

| LECTURE | TUTORIAL | TOTAL |
|---------|----------|-------|
| 45 | 15 | 60 |

TEXT BOOK

1.Stormy Attaway, "MATLAB - A Practical Approach", Butterworth-Heinemann Publications, 2009.

Table 1: COs VS POs Mapping

| PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|-----|----------------------------|---|---|---|---|---|--|---|
| 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| 3 | 2 | | 1 | | | 1 | 1 | 1 |
| 3 | 2 | | 1 | | | 1 | 1 | 1 |
| 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| 15 | 10 | 0 | 5 | 3 | 0 | 5 | 5 | 5 |
| | 3 3 3 3 3 3 | 3 2 3 2 3 2 3 2 3 2 3 2 3 2 | 3 2 3 2 3 2 3 2 3 2 3 2 3 2 | $\begin{array}{c ccccccccccccccccccccccccccccccccccc$ | $\begin{array}{c ccccccccccccccccccccccccccccccccccc$ | $\begin{array}{c ccccccccccccccccccccccccccccccccccc$ | $\begin{array}{c c c c c c c c c c c c c c c c c c c $ | $\begin{array}{c ccccccccccccccccccccccccccccccccccc$ |

 $1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

| COURSE CODE | COURSE NAME | | L | Т | Р | С | |
|--|--|---------------------|--------|--------|----------|------|--|
| XMT403 | VECTOR CALCULUS & FO | URIER SERIES | 4 | 1 | 0 | 5 | |
| C P A | | | L | Т | Р | Η | |
| 5 0 0 | | | 4 | 1 | 0 | 5 | |
| PREREQUISITE: I | Differential Calculus and Integr | al Calculus | | | | | |
| Course Outcomes: | | Domain | Lev | vel | | | |
| CO1:FindGradient of | a vector, Directional derivative, | Cognitive | Ren | nemb | ering | 5 | |
| divergence & cu | url of a vector, solenoidal & | | App | olying | 5 | | |
| irrigational vec | tor functions, Laplacian double | Psychomotor | Gui | ded | | | |
| operator and to | solve simple problems. | | Res | pons | e | | |
| CO2: Find vector inte | egration ,tangential line integral, | Cognitive | Ren | nemb | ering | 5 | |
| | rce field, scalar potential, work | | App | olying | 5 | | |
| done by a force, | , Normal surface integral, | | | | | | |
| Volume integral | l and to solve simple problems. | | | | | | |
| | Divergence Theorem, Stoke's | Cognitive | | nemb | <u> </u> | 5 | |
| | en's Theorem and to solve | | App | olying | 5 | | |
| | ems & Verification of the | | | | | | |
| | mple problems. | | | | | | |
| | r Series expansion of periodic | Cognitive | | lersta | • | g | |
| | Period 2π Make Use of odd | | App | olying | 5 | | |
| | ns in Fourier Series. | | | | | | |
| - | ange Fourier cosine Series & | Cognitive | | lersta | | g | |
| - | ange of interval & Combination | Affective | Rec | eivin | g | | |
| of series. | | | | | | | |
| UNIT I | | | 15 | | | | |
| | -velocity & acceleration-Vector | | | | | | |
| | - divergence & curl of a vecto | r solenoidal & irr | otatio | nal v | vector | rs – | |
| Laplacian double operation | | - | | | | | |
| UNIT II | | | 15 | | | | |
| Vector integration – Tangential line integral – Conservative force field – scala | | | | | | | |
| Work done by a force - | - Normal surface integral- Volum | e integral – simple | probl | lems. | | | |

| UNIT III | | 15 | | | | | | |
|--|-----------------------|---------------|--|--|--|--|--|--|
| Gauss Divergence Theorem – Stoke's Theorem- Gree | en's Theorem – Simpl | e problems & | | | | | | |
| Verification of the theorems for simple problems. | | | | | | | | |
| UNIT IV | 15 | | | | | | | |
| Fourier series- definition - Fourier Series expansion of periodic functions with period 2π – | | | | | | | | |
| Use of odd & even functions in Fourier Series. | | | | | | | | |
| UNIT V | | 15 | | | | | | |
| Half-range Fourier Series – definition- Development | in Cosine series & in | Sine series - | | | | | | |
| change of interval – Combination of series. | | | | | | | | |
| LECTURE | TUTORIAL | TOTAL | | | | | | |
| 60 | 15 | 75 | | | | | | |

TEXT BOOKS

1.M.L. Khanna, "Vector Calculus", Jai Prakash Nath and Co., 8th Edition, 1986.

2. S. Narayanan, T.K. Manicavachagam Pillai, "Calculus", Vol. III, S. Viswanathan Pvt Limited and Vijay Nicole Imprints Pvt Ltd, 2004.

UNIT – I - Chapter 1 Section 1 & Chapter 2 Sections 2.3 to 2.6, 3, 4, 5, 7 of [1]

UNIT-II - Chapter 3 Sections 1 , 2 , 4 of $\left[1\right]$

UNIT – III - Chapter 3 Sections 5 & 6 of [2]

UNIT – IV - Chapter 6 Section 1, 2, 3 of [2]

UNIT – V - Chapter 6 Section 4, 5.1, 5.2, 6, 7 of [2]

REFERENCES

1. P. Duraipandiyan and Lakshmi Duraipandian, "Vector Analysis", Emarald publishers 1986.

2. Dr. S.Arumugam and prof. A.Thangapandi Issac, "Fourier series", New Gamma publishing House 2012.

Table 1: COs VS POs Mapping

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|--------|-----|-----|-----|-----|-----|-----|------------|-----|-----|
| | | | | | | | | | |
| CO 1 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 2 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 3 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 4 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 5 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| Scaled | 15 | 10 | 0 | 5 | 3 | 0 | 5 | 5 | 5 |
| Value | | | | | | | | | |
| Total | 3 | 2 | 0 | 1 | 1 | 0 | 1 | 1 | 1 |

 $1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

| COURSE CODE | COURS | E NAME | | L | Т | P | | С |
|--|--|---------------------------------------|---------|----------|-----------|-----------|------|----------|
| XMT404 | ALGEB | | | 4 | 1 | 0 | | 5 |
| C P A | | | | L | T | P | | H |
| 5 0 0 | | | | 4 | 1 | 0 | | 5 |
| PREREQUISITE: N | Jil | | | | | | | |
| Course outcomes: | | | | Domai | n | Leve | 1 | |
| CO1: Define groups, | , abelian and | non-abelian groups | with | Cognit | ive | Reme | emł | pering |
| | | er under addition | | Psycho | | Guid | ed | C |
| multiplication modu | | | | - | | Resp | ons | se |
| CO2: Explain Cy | clic groups | from number syste | ems, | Cognit | ive | Unde | rsta | anding |
| complex roots of u | nity, circle g | oup, the general lin | near | • | | | | - |
| group GLn (n,R), gr | roups of symn | netries of (i) an isosc | eles | | | | | |
| triangle, (ii) an equ | ilateral triang | le, (iii) a rectangle, | and | | | | | |
| (iv) a square, the permutation group Sym (n), Group of | | | | | | | | |
| quaternions. | | | | | | | | |
| CO3: Explain Subgro | oups, cyclic si | ubgroups, the concep | ot of | Cognit | ive | Unde | rsta | anding |
| a subgroup generate | | | | | | | | |
| subgroup of group, e | examples of s | subgroups including | the | | | | | |
| center of a group. | | | | | | | | |
| CO4: State and E | - | Ũ | - · | Cognit | ive | | | pering |
| Lagrange's theorem | | an element, Nor | mal | | | Unde | rsta | anding |
| subgroups, Quotient g | | | | | | | | |
| CO5: Define and E | | | | Cognit | ive | | | pering |
| | | om number systems, | | | | | | anding |
| the ring of integers m | | | nial | Affecti | ve | Receiving | | |
| rings, and rings of cor | ntinuous funct | ions. | | | | | | |
| UNIT I | | | | | | | | 15 |
| Definition and examp | | | | | | | | |
| Zn of integers under a | addition modu | lo n and the group U | (n) of | units u | nder mu | ltiplica | tio | n |
| modulo n. | | | | | | | | |
| UNIT II | | | | | | | | 15 |
| Cyclic groups from m | umber system | s, complex roots of u | nity. c | circle g | roup, the | e gener | al l | inear |
| group GLn (n,R), group | | - | - | - | - | - | | |
| (iii) a rectangle, and (| • • | 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 | | | · · | | | U |
| UNIT III | | | | | | | | |
| Subgroups, cyclic sub | ogroups, the co | oncept of a subgroup | gener | ated by | a subse | t and th | ne | |
| commutator subgroup | o of group, exa | imples of subgroups | includ | ling the | center o | of a gro | up. | |
| UNIT IV | | | | | | | | 15 |
| Cosets, Index of subg | roup, Lagrang | ge's theorem, order o | f an el | ement, | Normal | subgro | oup | s: their |
| definition, examples, | | | | | | - | • | |
| UNIT V | | | | | | | | 15 |
| Definition and examp | oles of rings, e | xamples of commuta | tive a | nd non- | -commu | tative r | ing | s: |
| | rings from number systems, Zn the ring of integers modulo n, ring of real quaternions, rings | | | | | | | |
| of matrices, polynomi | | | | | | | | |
| domains and fields, ex | xamples of fie | lds: Zp, Q, R, and C | Field | of rati | onal fun | ctions. | | |
| | | LECTUR | E | | | | | OTAL |
| | | 6 | 0 | | 15 | | | 75 |
| TEXT BOOKS | | | | | | | _ | |

- 1. S. Narayanan & T. K. Manickavasagam Pillai, "Algebra", Vol. 1, S. Viswanathan Pvt. Ltd.,
 - Chennai, 2004.
- 2. S. Narayanan & T. K. Manickavasagam Pillai, "Algebra", Vol. 2, S. Viswanathan Pvt. Ltd.
 - Chennai, 2004.
- 3. Joseph A Gallian, "Contemporary Abstract Algebra", 4th Ed., Narosa, 1999.
- 4. George E Andrews, "Number Theory", Hindustan Publishing Corporation, 1984.

REFERENCES

- 1. John B. Fraleigh, "A First Course in Abstract Algebra", 7th Ed., Pearson, 2002.
- 2. M. Artin, "Abstract Algebra", 2nd Ed., Pearson, 2011.

Table 1: COs VS POs Mapping

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|-----------------|-----|-----|-----|-----|-----|-----|------------|-----|-----|
| CO 1 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 2 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 3 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 4 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 5 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| Scaled Value | 15 | 10 | 0 | 5 | 3 | 0 | 5 | 5 | 5 |
| Total | 3 | 2 | 0 | 1 | 1 | 0 | 1 | 1 | 1 |

 $1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

| CO | URSE (| CODE | COURSE NAME | L | Т | Р | C |
|---|---|---------|---|--------|----------|---------------------------|---|
| XM | XMT 405 | | INTRODUCTION TO MATLAB PRACTICAL | 0 | 0 | 2 | 2 |
| С | Р | Α | | L | Т | Р | Н |
| 2 | 0 | 0 | | 0 | 0 | 2 | 4 |
| PRF | PREREQUISITE: Nil Course Outcome | | | | | | |
| Cou | rse Outo | come | | Domai | n | Level | • |
| CO | CO1: Apply Variables, assignment, statements, expressions, characters, encoding, vectors and matrices. | | Cognitive | | Applying | | |
| vect | - | | ut creating row vectors and column in using functions with vectors and | Cognit | ive | Understanding Applying | |
| with | | nd outp | b Scripts, Input and Output, scripts ut, user defined functions in | Cognit | ive | Applying | g |
| CO4: Apply Selection Statement, relational expressions, SWITCH statement, menu function, looping, FOR loop, nested FOR loop, WHILE loop. | | | | Cognit | ive | Applying | g |

| CO5: Apply String manipulations, creating string | Cognitive | Applying |
|--|-----------|----------|
| variable, operations on strings, fundamentals of arrays, | | |
| structure and file operations with simple applications. | | |
| | | |

Assessment Plan for Formative Assessment:

(CIA -1) Lab Experiment: No. of Experiments: 15 (30 marks)

1: Aim & Apparatus Required (understanding) (10 marks)

- 2. Procedure / Programme (applying) (30 marks)
- 3. Output (Applying) (10 marks)

(CIA Lab 2) (30 marks)

- 1. Aim & Apparatus Required (10%) Cog (U) CO1, CO2 & CO3 (10 marks)
- 2. Procedure & programme(30%) Cog (Ap) CO1, CO2 & CO3 (30 marks)
- 3. Output (10%) Cog (Ap) (10 marks)

(CIA -3) Project FA-(10marks)

1. Aim & Apparatus Required (10%) Cog (U) Psy(3) Aff(1)CO4 (10 marks)

2. Procedure & programme(30%) Cog (Ap) Psy(4) Aff(2)CO4 (30 marks)

3. Output (10%) Cog (Ap) (10 marks)

| COU COI | URSE DE | | COURSE NAME | L | Т | | Р | C |
|--|------------|----------|---|----------|------|---------------|------------------|----------|
| XM | Г501 | | Probability and Statistics | 2 | 0 | | 0 | 2 |
| С | Р | Α | | L | Т | Р | SS | H |
| 2 | 0 | 0 | | 2 | 0 | 0 | 2 | 4 |
| PRE | REQU | ISITE | Algebra | | | | | |
| | rse outo | | | Doma | in | Leve | | |
| CO1 real | : Defin | e and l | Explain Sample space, probability axioms, | Cogni | tive | | ember erstand | <u> </u> |
| | rando | m varia | ables (discrete and continuous), cumulative | | | | | |
| | distrib | oution f | unction, and probability mass/density | | | | | |
| funct | tions. | | | | | | | |
| CO2: Define and Explain Mathematical expectation, moments, | | | | | tive | Remembering | | |
| moment generating function, characteristic function. | | | | | | Understanding | | |
| | | e and l | Explain Discrete distributions: uniform, | Cogni | tive | | ember | 0 |
| bino | , | | | | | Understanding | | |
| | | on, cont | inuous distributions: uniform, normal, | | | | | |
| | nential. | | | | | | | |
| | | | Explain Joint cumulative distribution | Cogni | tive | Remembering | | |
| funct | tion and | | | | | Unde | erstand | ling |
| | its pro | perties | , joint probability density functions, marginal | | | | | |
| and | 1. | | | | | | | |
| 0.0 | | | istributions. | <u> </u> | | D | 1 | • |
| | | e and I | Explain Expectation of function of two | Cogni | tive | | ember | 0 |
| rand | | 1 | 1. 1 | | | Unde | erstand | ling |
| | | ies, coi | nditional expectations, and independent | | | | | |
| rand | | 100 | | | | | | |
| UNI | variab | ies. | | | | | 6 | |
| | | o nuch | ability aviona real random variables (discrete | and co | ntin | | 0 | |
| | | · · | ability axioms, real random variables (discrete | | nunu | ous), | | |
| cum | uiauve (| nsundu | tion function, and probability mass/density fun | icuons. | | | | |

| UNIT II | 6 |
|---|----------------------------------|
| Mathematical expectation, moments, moment generating function, characteristic | |
| function. | |
| UNIT III | 6 |
| Discrete distributions: binomial, Poisson, continuous distributions: uniform, norm | nal, |
| exponential. | |
| UNIT IV | 6 |
| Joint cumulative distribution function and its properties, joint probability density | functions, |
| marginal and conditional distributions. | |
| | (|
| UNIT V | 6 |
| UNIT V Expectation of function of two random variables, conditional expectations, indepe | ÷ |
| | ÷ |
| Expectation of function of two random variables, conditional expectations, indepe | ÷ |
| Expectation of function of two random variables, conditional expectations, indeperandom variables. | endent |
| Expectation of function of two random variables, conditional expectations, indeperandom variables. | TOTAL |
| Expectation of function of two random variables, conditional expectations, indeperandom variables. LECTURE 30 | TOTAL 30 |
| Expectation of function of two random variables, conditional expectations, indeperandom variables. LECTURE 30 TEXTBOOK | TOTAL 30 |
| Expectation of function of two random variables, conditional expectations, indeperandom variables. LECTURE 30 TEXTBOOK 1. S.C. Gupta and Kapoor, "Fundamentals of Mathematical Statistics", tenth | TOTAL 30 |
| Expectation of function of two random variables, conditional expectations, indeperandom variables. LECTURE 30 TEXTBOOK 1. S.C. Gupta and Kapoor, "Fundamentals of Mathematical Statistics", tenth edition Sultan Chand and Sons, New Delhi, 2002. | endent TOTAL 30 revised |
| Expectation of function of two random variables, conditional expectations, indeperandom variables. LECTURE 30 TEXTBOOK 1. S.C. Gupta and Kapoor, "Fundamentals of Mathematical Statistics", tenth edition Sultan Chand and Sons, New Delhi, 2002. REFERENCES | endent TOTAL 30 revised |
| Expectation of function of two random variables, conditional expectations, indeperandom variables. LECTURE 30 TEXTBOOK 1. S.C. Gupta and Kapoor, "Fundamentals of Mathematical Statistics", tenth edition Sultan Chand and Sons, New Delhi, 2002. REFERENCES 1. Irwin Miller and Marylees Miller, John E. Freund, "Mathematical Statistics" | revised |

TABLE 1: COs VS POs Mapping

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|--------|-----|-----|-----|-----|-----|-----|-----|-----|-----|
| CO 1 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| CO 2 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| CO 3 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| CO 4 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| CO 5 | 3 | 2 | 1 | 1 | 1 | 1 | 1 | | 1 |
| Scaled | 15 | 10 | 5 | 5 | 5 | 5 | 5 | 0 | 5 |
| Value | | | | | | | | | |
| Total | 3 | 2 | 1 | 1 | 1 | 1 | 1 | 0 | 1 |

 $1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

| COURS | SE CO | DE | COURSE NAME | | L | Т | Р | C |
|-----------|---------|--------|---|------------|------------------|---------|--------|----------|
| XMT50 | 2B | | Discrete Mathematics | | 4 | 2 | 0 | 6 |
| C P | Α | | | | L | Т | Р | Η |
| 6 0 | 0 | | | | 4 | 2 | 0 | 6 |
| | | | Logic and Sets | | | | | |
| Course | | | | Doma | | Leve | | |
| | | | pply truth tables and the rules of propositional | Cognit | ive | | embei | ring |
| | 1 | | calculus. | ~ . | | Appl | | |
| | | | lowing methods direct proof, indirect proof, and | Cognit | ive | Appl | ying | |
| - | | y con | tradiction, and case analysis to formulate short | | | | | |
| 1 | proofs. | | 1 | | • | A 1 | • | |
| | | | ecurrence relation with constant coefficients, | Cognit | ive. | Appl | ying | |
| | | 0 | neous recurrence relations and non | | | | | |
| | | | s recurrence relations using methods of nctions. | | | | | |
| | | | c theorems on Boolean Algebra, Duality | Cognit | ive | Und | erstan | din ~ |
| | | | olean functions. | Cogini | ive | Unde | rstan | ung |
| | 1 | , | an algebra, Logic gates and circuits | Cognit | ive | Appl | vina | |
| | | | l circuits, Boolean expression and karnaugh | Cogini | gnitive Applying | | ying | |
| | nap. | atoria | reneuris, boolean expression and karnadgi | | | | | |
| UNIT I | inap. | | | | | | 18 | |
| | atical | Logic | Propositional calculus- Basic Logical operators- | conditio | onal | statem | - | Bi |
| | | | t- tautologies- contradictions- equivalence implic | | | | | |
| UNIT I | | | | | | | 18 | |
| Norms f | orms- | Theor | y of inference for the statement calculus- The pre | dicate c | alcul | us info | erence | • |
| | | | calculus. | | | | | |
| UNIT I | II | | | | | | 18 | |
| Recurren | nce rel | ations | and generating functions- recurrence relation- so | lution of | f line | ear rec | urrend | ce |
| relation | with co | onstar | t coefficients- Non homogeneous recurrence rela | tions sol | utio | n of N | on – | |
| homoger | neous | recurr | ence relations- Methods of generating functions. | | | | | |
| UNIT I | | | | | | | 18 | |
| Basic the | eorems | s on B | oolean Algebra- Duality principle Boolean functi | ons. | | | | |
| UNIT V | r | | | | | | 18 | |
| | | ons- / | Applications of Boolean algebra- Logic gates and | circuits | -con | hinat | | |
| | | | pression – karnaugh map. | encurts | COL | lomat | onun | |
| T | | | LECTURE | TUTO | RIA | L | ТО | TAI |
| | | | 60 | 0 | 3 | | 9 | |
| TEXT I | BOOK | | | | - | 1 | | |
| | | | , R. Manohar, "Discrete Mathematical structures | with ap | plica | tions | to | |
| | | | ience", Tata McGraw Hill, International edition N | . . | | | | t |
| | 2007. | | | | | , | - | |
| REFER | ENCE | 2 | | | | | | |
| 1 M V | Vonle | trom | n N Sridharan & N Chandrasalianan "Discrete N | 1 oth area | tice? | , The | Net | <u>1</u> |
| | | | an, N.Sridharan & N.Chandrasekaran, "Discrete N | namema | uics | , ine | inatio | лаl |
| Publi | sning (| compa | any India, 2000. | | | | | |

Table 1: COs VS POs Mapping

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|-------------|-----|-----|-----|-----|-----|-----|-----|-----|-----|
| CO 1 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 2 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 3 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 4 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 5 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| | 15 | 10 | 0 | 5 | 3 | 0 | 5 | 5 | 5 |

 $1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

| COU | RSE CO | ODE | COURSE NAME | | L T 4 2 L T | | P | С |
|-------------------|----------------------|----------|--|-------------------|---|--------|----------|------------|
| XMT | C503A | _ | Numerical Methods | | | | 0 | 6 |
| С | P | Α | | | L | Τ | Р | Η |
| 6 | 0 | 0 | | | 4 | 2 | 0 | 6 |
| PRE | REQUIS | SITE: | Differential Calculus and Integral (| Calculus | | | | |
| | se Outc | | | Domain | 4 2 L T 4 2 Image: Constraint of the second sec | | | |
| CO1: | | | olve Algorithms, Convergence, | Cognitive | | | - | 5 |
| | | | nod, False position method, Fixed | | Ap | olyin | g | |
| | _ | | method, Newton's method. | | Applyin Remem Applyin Unders | | | |
| CO ₂ : | | • | of linear equations using iterative | Cognitive | Underst | | - | 5 |
| | | | -Jacobi, Gauss-Seidel and SOR | | Ap | olyin | g | |
| ~~~ | iterative | | | ~ | 4 2 L T 4 2 Level Remem Applyin Remem Applyin Remem Applyin Remem Applyin Unders: Applyin Unders: Applyin point iter remain and the second applyin tral Diffe remain and the second applyin | | <u> </u> | |
| CO3 | | | nge and Newton interpolation: linear | Cognitive | | | - | 5 |
| 004 | | | er, finite difference operators. | <u> </u> | Remen Applyi Remen Applyi Unders Applyi Unders point ite | | | |
| CO4 | | | difference, backward difference and nee to find Numerical differentiation: | Cognitive | Applyin Underst Applyin Underst | | | g |
| | central | Differen | ice to find Numerical differentiation: | | Ар | orym | g | |
| CO5 | : Solve I | ntegrati | on using trapezoidal rule, Simpson's | Cognitive | Une | dersta | ndin | g |
| | | | 's method. | C | | | | |
| UNI | | | | | | | | 18 |
| | rithms, C od, New | | ence, Bisection method, False position ethod. | method, Fixed | point | itera | tion | |
| UNI | | | | | | | | 18 |
| Secar | nt metho | d, LU d | ecomposition, Gauss-Jacobi, Gauss-Sei | idel and SOR it | erativ | ve me | ethod | S . |
| UNI | ГШ | | | | | | | 18 |
| Lagra | ange and | Newton | n interpolation: linear and higher order, | finite difference | e op | erato | rs. | |
| UNI | ГІ | | | | | | | 18 |
| Nume | erical dif | ferentia | tion: forward difference, backward diff | ference and cen | tral I | Differ | ence. | |
| UNI | | | | | | | | 18 |
| Integ | ration: tr | apezoid | al rule, Simpson's rule, Euler's method | | r | | | |
| | | | LECTURE | TUTORIAL | | | TOT | |
| | | | 60 | 30 | | | | 90 |
| | T BOOI | | | | | | | |
| 1.B. I | Bradie, " | A Frien | dly Introduction to Numerical Analysis | s", Pearson Edu | catio | n, In | dia, | |

2007.

2. M.K. Jain, S.R.K. Iyengar and R.K. Jain, "Numerical Methods for Scientific and Engineering Computation", 5th Ed., New age International Publisher, India, 2007.

Table 1: COs VS POs Mapping

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|------|-----|-----|-----|-----|-----|-----|-----|-----|-----|
| CO 1 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 2 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 3 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 4 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 5 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| | 15 | 10 | 0 | 5 | 3 | 0 | 5 | 5 | 5 |

 $1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

| COUR | SE COI | DE | COURSE NAME | I | | Т | Р | С |
|-------------|-----------|------------|---|--------|------|-------|---------|----------|
| XMT5 |)4A | | Linear Algebra | 4 | ŀ | 2 | 0 | 6 |
| С | Р | A | | I | | Т | Р | Н |
| <u> </u> | 0 | A 0 | | 4 | | 2 | 0 | <u> </u> |
| • | v | TE: Mati | ices | | r | | U | U |
| | | COMES | | Dom | aiı | n] | Level | |
| CO1: | Define a | nd Expla | in vector spaces, subspaces, linear | Cogr | niti | ve] | Remem | bering |
| | | | nd span of a set with examples. | C | | | Underst | - |
| CO2: | Define L | inear Ind | ependence, Basis and Dimension and | Cogr | niti | ve] | Remem | bering |
| | | ank and I | | _ | | | | _ |
| | | | linear transformation ,Inner product | Cogr | niti | | Remem | |
| | | | e with examples orthogonality, Gram | | | 1 | Underst | anding |
| | | - | lisation process and orthogonal | | | | | |
| | omplem | | | | | | | |
| | | - | Matrices, Types of Matrices and to | Cogr | niti | ve 1 | Remem | bering |
| | | | f a matrix and Rank of a matrix. | ~ | | | _ | |
| | | | istic equation and Cayley -Hamilton | Cogr | niti | | Remem | 0 |
| | | | d Eigen values and Eigen vectors. | | | | Underst | 0 |
| | | or Spaces | | | | | | 18 |
| | | | n and examples – Subspaces-linear tran | sform | ati | on – | Span of | |
| UNIT I | I Basis a | and Dim | ension | | | | | 18 |
| Linear | ndepend | lence – B | asis and Dimension –Rank and Nullity. | | | | | |
| UNIT | III : M | atrix and | I Inner Product Space | | | | | 18 |
| | | | rmation -Inner product space – Definition | | | | | |
| Orthog | onality – | Gram Sc | hmidt orthogonalisation process – Ortho | ogona | 1 C | ompl | lement. | |
| | | eory of N | | | | | | 18 |
| | | | pes of Matrices – The Inverse of a Matr | ix – E | len | nenta | iry | |
| | | | of a matrix. | | | | | |
| UNIT Y | V: Chara | acteristic | equation and Bilinear forms | | | | | 18 |

| LECTURE | TUTORIAL | TOTAL |
|--|----------------------|-------------|
| 60 | 30 | 90 |
| TEXT BOOK | | |
| 1. Arumugam S and Thangapandi Isaac A, "Modern Algebra" | ", SciTech Publicati | ons (India) |
| Ltd., Chennai, Edition 2012. | | |
| Unit1: Chapter 5, Sec 5.1 to 5.4 | | |
| Unit2: Chapter 5, Sec 5.5 to 5.7 | | |
| Unit3: Chapter 5, Sec 5.8, Chapter 6, Sec 6.1 to 6.3 | | |
| Unit4: Chapter 7 Sec 7.1 to 7.5 | | |
| Unit5: Chapter 7, Sec 7.7, 7.8 | | |
| REFERENCE | | |
| 1. I. N. Herstein, "Topics in Algebra", Second Edition, John | Wiley & Sons (Asia |), 1975. |

Table 1: COs VS POs Mapping

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|--------|-----|-----|-----|-----|-----|-----|-----|-----|-----|
| CO 1 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 2 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 3 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 4 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 5 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| Scaled | 15 | 10 | | 5 | 3 | | 5 | 5 | 5 |
| Value | | | | | | | | | |
| Total | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |

 $1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

0- No Relation, 1- Low Relation, 2-Medium Relation, 3-High Relation

VI SEMESTER

| COUH | RSE C | ODE | COURSE NAME | | L | Τ | | | | | | |
|-------------|-----------|-----------|---------------------------------------|----|--------|-----|------------------------|---|----|--|--|--|
| XMT | 501 | | Graph Theory | | 2 | 0 | | 0 | 2 | | | |
| С | Р | Α | | | L | Τ | Р | P SS 0 2 Level Rememberin Applying Remembering | | | | |
| 2 | 0 | 0 | | | 2 | 0 | 0 | 2 | 4 | | | |
| PRER | EQUIS | SITE: M | atrices | | | | | 0 P SS 0 2 evel emembering oplying emembering oplying | | | | |
| Cours | e outco | mes: | | Do | main | ı . | Level | | | | | |
| CO1: | Define | and Exp | blain The Konigsberg Bridge Problem, | Co | gnitiv | /e | Rememberin Applying | | | | | |
| - | | 0 1 | , Degrees, Subgraphs , Isomorphism. , | | | | Applying | | | | | |
| indepe | ndent s | ets and c | overings. | | | | | | | | | |
| CO2: | Define | and Ex | plain Matrices, Operations on Graphs, | Co | gnitiv | /e | Reme | mberi | ng | | | |
| Walks | , Trails | and Path | s, Connectedness and Components and | | | | Apply | ing | | | | |
| Euleria | an Grap | hs. | | | | | | | | | | |
| CO3: | Define | and Exp | olain Hamiltonian Graphs, | Co | gnitiv | /e | Reme | mberi | ng | | | |
| Charac | cterizati | on of Tr | ees and Centre of a Tree. | | | | Apply | ing | | | | |
| CO4: | Define | and Ex | plain Planarity, Properties and | Co | gnitiv | /e | Under | standi | ng | | | |
| Charac | eterizati | on of Pla | anar Graphs. | | | | Apply | ing | | | | |
| CO5: | Define | and Ex | plain Directed Graphs, Basic | Co | gnitiv | /e | Under | ememberin pplying ememberin pplying inderstandin pplying inderstandin | | | | |
| Proper | ties,So | ne Appli | cations, Connector Problem, Kruskal's | | | | | | | | | |
| algorit | hm , Sł | ortest Pa | th Problem and Dijkstra's algorithm. | | | | | | | | | |

| UNIT I | 6 |
|---|------------|
| Introduction - The Konigsberg Bridge Problem - Graphs and subgraphs: Definition | and |
| Examples - Degrees - Subgraphs – Isomorphism. –independent sets and coverings. | |
| UNIT II | 6 |
| Matrices - Operations on Graphs - Walks, Trails and Paths - Connectedness and Co | omponents |
| - Eulerian Graphs. | |
| UNIT III | 6 |
| Hamiltonian Graphs (Omit Chavatal Theorem) - Characterization of Trees - Centre | of a Tree. |
| UNIT IV | 6 |
| Planarity: Introduction - Definition and Properties - Characterization of Planar Grap | ohs. |
| UNIT V: | 6 |
| Directed Graphs: Introduction - Definitions and Basic Properties - Some Application | ons: |
| Connector Problem - Kruskal's algorithm - Shortest Path Problem - Dijkstra's algo | rithm. |
| LECTURE | TOTAL |
| 30 | 30 |
| TEXT BOOK | |
| 1. S. Arumugam and S. Ramachandran, "Invitation to Graph Theory", SciTech | 1 |
| Publications (India) Pvt. Ltd., Chennai, 2006. | |
| Unit-I Chapter-1 Sec 1.0, 1.1 and Chapter -2 Sec 2.0, 2.1, 2.2, 2.3, 2.4.2.6 | |
| Unit-II Chapter-2 Sec 2.8,2.9 ,Chapter-4 Sec 4.1,4.2 and Chapter-5 Sec 5.0, | ,5.1 |
| Unit-III Chapter-5 Sec 5.2, Chapter-6 Sec 6.0, 6.1, 6.2. | |
| Unit-IV Chapter-8 Sec 8.0, 8.1, 8.2. | |
| Unit-1 v Chapter-0 Sec 0.0, 0.1, 0.2. | |
| Unit-V Chapter-10 Sec 10.0, 10.1 Chapter-11 Sec 11.0, 11.1, 11.2 | |
| Unit-V Chapter-10 Sec 10.0, 10.1 Chapter-11 Sec 11.0, 11.1, 11.2 | |
| Unit-V Chapter-10 Sec 10.0, 10.1 Chapter-11 Sec 11.0, 11.1, 11.2 REFERENCES | aianaa? |
| Unit-V Chapter-10 Sec 10.0, 10.1 Chapter-11 Sec 11.0, 11.1, 11.2 | cience", |
| Unit-V Chapter-10 Sec 10.0, 10.1 Chapter-11 Sec 11.0, 11.1, 11.2 REFERENCES 1. Narsingh Deo, "Graph Theory with applications to Engineering and Computer S | |

Table 1: CO Vs PO Mapping

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|-----------------|-----|-----|-----|-----|-----|-----|-----|-----|-----|
| CO 1 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 2 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 3 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 4 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 5 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| Scaled Value | 15 | 10 | 0 | 5 | 3 | 0 | 5 | 5 | 5 |
| Total | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |

 $1-5 \rightarrow 1, 6-10 \rightarrow 2, 11-15 \rightarrow 3$

| COURSE CODE | (| COURSE | NAME | | | | | L | Т | Р | С |
|-----------------------------------|--------|--------------|------------|-----------|----------|-------------|----------|---------|-----------|--------|----------|
| XMT602A | (| Complex A | nalysis | | | | | 4 | 2 | 0 | 6 |
| C P A | 4 | | | | | | | L | Т | Р | Н |
| 6 0 0 | 0 | | | | | | | 4 | 2 | 0 | 6 |
| PREREQUISI | TE: I | Differential | Calculus | and In | tegral | Calculus | | | | | |
| Course outcon | | | | | | | Don | nain | Lev | vel | |
| CO1: Use CR | Equati | ions in cart | esian and | l polar o | co-ordi | inates to | Cog | nitive | Une | dersta | nding |
| find analytic fu | | | | | | | - | | | plying | - |
| Properties and a | applic | cations. | | | | | | | | | |
| CO2: Explain | Conf | formal map | pings - Li | inear aı | nd Nor | n-linear | Cog | nitive | Une | dersta | nding |
| transformations | | to Apply ci | ross ratio | to cons | struct E | Bilinear | | | Ap | plying | ç. |
| transformations | | | | | | | | | | | |
| CO3: Solve t | | | | | | | | nitive | | | nding |
| cauchy's integr | | | _ | | | | | | Ap | plying | 5 |
| Maximum moo | dulus | theorem | and to | apply | them | in simple | • | | | | |
| problems. | | | | • - | | | ~ | | | | |
| CO4: Using Ta | | | | | | | Cog | nitive | Ap | plying | , |
| functions in Po | | | _ | | _ | | | •,• | • | 1 . | |
| CO5: Apply C | | | | | Integra | ation of | Cog | nitive | Ap | plying | 5 |
| functions of the | | | cosx, sinx | . | | | | | | | 10 |
| UNIT I : Analy | | | monn Ea | notion | in Cor | tacion and | | | lingto | | 18 |
| Analytic function function Proper | | | | uation | in Car | testan and | i polar | co-orc | imate | з - п | armonic |
| UNIT II : Con | | | | ransfa | rmatic | nc | | | | | 18 |
| Conformal map | | | | | | | Dilingo | * | | | 10 |
| transformations | · · | | | | alision | nations – | Diffica | 1 | | | |
| UNIT III : Co | | | | 10115 | | | | | | | 18 |
| Integration in t | - | 0 | | chv's | Integra | l theorem | - Cau | chy's | Integ | ral fo | |
| Liouville's theo | | | | | | | | | | | imana |
| UNIT IV : Cor | | | | | | phoanon | o una or | | | • | 18 |
| Taylor's and La | _ | | | n of fu | nctions | in power | series | - Sing | ılar r | oints | |
| of singularities | | | | | | | | | r | | - 7 |
| UNIT V: Calc | | • | - | | | | 0 | | | | 18 |
| Calculus of Re | sidue | s: Residue | theorem | - Integ | gration | of function | ons of | the typ | be in | volvii | ng cosx, |
| sinx- Application | | | | - | | | | • • | - | | |
| | | | | | LE | CTURE | TUT | ORIA | L | r | FOTAL |
| | | | | | | 60 | | | 30 | | 90 |
| TEXT BOOK | | | | | | | | | | | |
| 1. S. Narayar | | | Ianickava | sagaml | Pillai, | "Comple | x Ana | lysis", | S. | Visw | anathan |
| Publishers, Che | | | | | | | | | | | |
| Unit 1: | - | | | | | | | | | | |
| Unit 2: C | - | | | | | | | | | | |
| Unit 3: C | - | | | | | | | | | | |
| Unit 4: | - | | | | | | | | | | |
| Unit 5: 0 | - | ter 5 | | | | | | | | | |
| REFERENCE | 3 | | | | | | | | | | |

- 1. S. Arumugam, A. Thangapandi Isaac& A. Somasundaram, "Complex Analysis", SciTech Publications, India, Pvt. Ltd., 2004.
- 2. S. Ponnusamy, "Foundations of Complex Analysis", 2ndEdition, Narosa Publication, New Delhi, 2005.
- 3. R. V. Churchill & J.W.Brown, "Complex variables and applications", 5thEdition, McGraw Hill, Singapore, 1990.

Table 1: CO Vs PO Mapping

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|-----------------|-----|-----|-----|-----|-----|-----|-----|-----|-----|
| CO 1 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 2 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 3 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 4 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 5 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| Scaled Value | 15 | 10 | 0 | 5 | 3 | 0 | 5 | 5 | 5 |
| Value | | - | | | | | | | |
| Total | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |

 $1 - 5 \rightarrow 1, \qquad 6 - 10 \rightarrow 2, \qquad 11 - 15 \rightarrow 3$

| COUF | RSE C | ODE | COURSE NAME | | L | Т | Р | С |
|---------|----------------------|----------|--|---------|---------|----------|--------|--------|
| XMT6 | 603A | | LINEAR PROGRAMMING | | 4 | 2 | 0 | 6 |
| | D | | | | T | T | D | TT |
| C | P | A | | | L | <u>T</u> | P | H |
| 5 | 0.5 | 0.5 | 111 | | 4 | 2 | 0 | 6 |
| | | SITE: N | NIL | Dama | • | т | | |
| | e outco | | | Doma | | | evel | . · |
| | | - | l Solution, Solve LPP using Simplex Method, | Cogni | tive | | | bering |
| | | | Phase Method. | ~ . | | | pplyin | - |
| | | | Programming problem Formulation of Primal | Cogni | | | pplyin | g |
| Dual P | airs, D | uality a | nd Simplex Method. | Psych | omoto | | uided | |
| | | | | | | | espons | |
| | | - | tation Problems, finding initial basic feasible | Cogni | tive | A | pplyin | g |
| solutio | | U | orth West Corner Rule and Vogel's | | | | | |
| | | | d, Solve unbalanced Transportation | | | | | |
| | | - | nt Problems and Routing Problems. | | | | | |
| | | - | ing Problems, Problems with 'n' jobs and 'k' | Cogni | | | pplyin | - |
| | | | with 'n' jobs and 2 machines, Problems with | Affect | tive | R | eceivi | ng |
| 2 jobs | and k n | nachine | s and Problems with 2 jobs and 3 machines. | | | | | |
| CO 5: | Solve | Game T | heory problems Two persons Zero sum | Cogni | tive | A | pplyin | ıg |
| games | , maxiı | nin and | minimax principle, Games without saddle | | | | | |
| points | , Mixe | d strate | gies, using Graphical method and Dominance | | | | | |
| proper | ty. | | | | | | | |
| UNIT | Ι | | | | | | 18 | 3 |
| Introd | uction | to conv | ex sets - Mathematical Formulation of LPP - G | raphica | l Solut | tion - S | Simple | ex |
| Metho | d – <mark>Big</mark> | M Met | hod - Two Phase Method. | | | | | |
| UNIT | II | | | | | | 18 | 3 |
| Duality | y in Lin | ear Pro | gramming: Formulation of Primal - Dual Pairs | - Duali | ty and | Simp | lex Me | ethod |
| | | | | | - | - | | |

| - Dual Simplex Method | | |
|---|--|---------------------------------|
| UNIT III | | 18 |
| Transportation Problems: Mathematical formulation of the problem | n - finding initial bas | sic feasible |
| solution using North West Corner Rule and Vogel's approximation | n method - Moving t | owards |
| Optimality - Unbalanced Transportation Problems. Assignment Pro | oblems: Mathematic | al |
| formulation of Assignment Problems - Assignment algorithm - Ro | uting Problems. | |
| UNIT IV | | 18 |
| Sequencing Problems: Problems with 'n' jobs and 'k' machines - H | Problems with 'n' jo | bs and 2 |
| machines- Problems with 2 jobs and k machines - Problems with 2 | iobs and 3 machine | s |
| findefinites Treefenis with 2 jees and it indefinites Treefenis with 2 | Jobs und 5 machine | 0. |
| UNIT V | Joos une 5 machine | 18 |
| | 0 | 18 |
| UNIT V | ax principle - Game | 18 |
| UNIT V Game Theory: Two persons Zero sum games - maximin and minin | ax principle - Game | 18 |
| UNIT V Game Theory: Two persons Zero sum games - maximin and minin saddle points - Mixed strategies - Graphical method - Dominance p | nax principle - Game property. | 18 es without |
| UNIT V Game Theory: Two persons Zero sum games - maximin and minin saddle points - Mixed strategies - Graphical method - Dominance p LECTURE 60 | nax principle - Game property. TUTORIAL | 18 es without TOTAL |
| UNIT V Game Theory: Two persons Zero sum games - maximin and minin saddle points - Mixed strategies - Graphical method - Dominance p LECTURE 60 TEXT BOOK | nax principle - Game property. TUTORIAL 30 | 18 es without TOTAL 90 |
| UNIT V Game Theory: Two persons Zero sum games - maximin and minin saddle points - Mixed strategies - Graphical method - Dominance p LECTURE | nax principle - Game property. TUTORIAL 30 | 18 es without TOTAL 90 |
| UNIT V Game Theory: Two persons Zero sum games - maximin and minin saddle points - Mixed strategies - Graphical method - Dominance p LECTURE 60 FEXT BOOK 1. KantiSwarup, P. K. Gupta& Man Mohan, "Operations Research" | nax principle - Game property. TUTORIAL 30 2, Sultan Chand& Sc | 18 es without TOTAL 90 |
| UNIT V Game Theory: Two persons Zero sum games - maximin and minin saddle points - Mixed strategies - Graphical method - Dominance p LECTURE 60 FEXT BOOK 1. KantiSwarup, P. K. Gupta& Man Mohan, "Operations Research' Delhi, Twelfth Revised Edition, 2005. | nax principle - Game property. TUTORIAL 30 2, Sultan Chand& Sc | 18 es without TOTAL 90 |
| UNIT V Game Theory: Two persons Zero sum games - maximin and minin saddle points - Mixed strategies - Graphical method - Dominance p LECTURE 60 TEXT BOOK 1. KantiSwarup, P. K. Gupta& Man Mohan, "Operations Research" Delhi, Twelfth Revised Edition, 2005. Unit 1: chapter 2: 2.1, 2.2, chapter 3: 3.2, chapter 4; 4.1, 4.4 Unit 2: chapter 5: 5.2, 5.3, 5.7, 5.9. Unit 3: Chapter 10: 10.2, 10.9, 10.14, Chapter 11: 11.2, 11.3 | nax principle - Game property. TUTORIAL 30 2, Sultan Chand& Sc | 18 es without TOTAL 90 |
| UNIT V Game Theory: Two persons Zero sum games - maximin and minin saddle points - Mixed strategies - Graphical method - Dominance p LECTURE 60 TEXT BOOK 1. KantiSwarup, P. K. Gupta& Man Mohan, "Operations Research" Delhi, Twelfth Revised Edition, 2005. Unit 1: chapter 2: 2.1, 2.2, chapter 3: 3.2, chapter 4; 4.1, 4.4 Unit 2: chapter 5: 5.2, 5.3, 5.7, 5.9. | nax principle - Game property. TUTORIAL 30 2, Sultan Chand& Sc | 18 es without TOTAL 90 |

REFERENCES

1. P. K. Gupta & D. S. Hira, "Operations Research", S. Chand & Company Ltd., New Delhi, 2002.

2. J. K. Sharma, "Operations Research theory and its applications", 2nd Edition, Macmillan, New Delhi, 2006.

3. R. Panneerselvam, "Operations Research", Prentice Hall of India Pvt. Ltd., New Delhi, 2002.

Table 1: COs VS POs Mapping

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|--------|-----|-----|-----|-----|-----|-----|------------|-----|-----|
| CO 1 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 2 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 3 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 4 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 5 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| Scaled | 15 | 10 | 0 | 5 | 3 | 0 | 5 | 5 | 5 |
| Value | | | | | | | | | |
| Total | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |

 $1-5 \rightarrow 1$, $6-10 \rightarrow 2$, $11-15 \rightarrow 3$ 0 - No Relation, 1 - Low Relation, 2- Medium Relation, 3- High Relation

M.SC (MATHEMATICS) I SEMESTER

| COURSE CODE | C | DURSE NAME | L | Т | P | | С |
|-------------------------|---------|---|---------|--------|---------------|------|--------|
| YMA101 | G | ROUPS AND RINGS | 4 | 0 | 0 | | 4 |
| C P A | | | L | Т | Р | | Н |
| 4 0 0 | | | 4 | 0 | 0 | | 4 |
| PREREQUISITE: | Basic | concepts of sets, groups and rings | | • | • | • | |
| Course outcomes: | | | Domai | in | Level | | |
| CO1: Define and | Expla | in Subgroups, Normal subgroups and | Cognit | ive | Reme | mb | ering |
| Quotient Groups, La | agrang | e's Theorem. | | | Under | sta | nding |
| CO2: Define and I | Explai | n Homomorphism Theorems, | Cognit | ive | Reme | mb | ering |
| Isomorphism Theore | ems, A | automorphisms Theorems, Cayley's | | | Under | sta | nding |
| theorem. Permutation | on gro | ups, Another Counting principle. | | | | | |
| CO2. Define and F | Tunlai | Sylow's Theorems and their simple | Cognit | | Dama | | |
| | | • Sylow's Theorems and their simple cts: External and Internal, Finite | Cogint | Ive | Reme Under | | 0 |
| Abelian Groups. | FIOUU | cts. Externar and internar, Finite | | | Under | sta | namg |
| 1 | Fvn | ain Rings, Subrings, Ideals, Factor | Cognit | ive | Reme | mh | ering |
| | _ | and Integral Domains. Maximal and | | 110 | Under | | 0 |
| | | Quotients of an integral domain. | | | Under | sta | nunng |
| 1 | | Jain Euclidean Ring, A Particular | Cognit | ive | Reme | mh | erina |
| | | nial Ring, and Polynomial over the | Cogini | 100 | Under | | • |
| | | l Rings over Commutative Rings. | | | Under | sta | numg |
| UNIT I | nonne | r Kings over Commutative Kings. | | | | | 12 |
| | nnlag | Groups, Subgroups, Normal subgro | | | otiont | G | |
| Lagrange's Theorem | - | Gloups, Subgroups, Normai subgro | ups and | ı Qı | iotient | U | Toups, |
| UNIT II | 11. | | | | | | 12 |
| | haara | ns, Isomorphism Theorems, Auton | ornhian | л т | haara | ma | 14 |
| | | ation groups, Another Counting principl | | 15 1 | Theorem | 118, | |
| UNIT III | cimu | ation groups, Another Counting principi | с. | | | | 12 |
| | and th | eir simple applications, Direct Products: | Externa | l and | Interr | 1 1 | |
| Abelian Groups. | | In simple applications, Direct Products. | LAUIIIa | | men | iai, | Time |
| UNIT IV | | | | | | | 12 |
| | als F | actor Rings, Homomorphism, Integral D | omains | Max | imal a | nd | 1 |
| | | nts of an integral domain. | omanis. | Max | iiiiai a | nu | printe |
| UNIT V | Quoine | | | | | | 12 |
| | Partici | lar Euclidean Ring, Polynomial Ring, I | Polynom | ial or | ver the | R | |
| e • | | ver Commutative Rings. | orynom | iui o | ver the | . 1 | uionui |
| | 0 | LECTURE | | | | Т | DTAL |
| | | 60 | | | | | 60 |
| | | | 1 | | | | |
| ТЕХТВООК | | | | | 1 | | |
| | opics | n Algebra", Willey Eastern 1975. | | | | | |
| Unit I - Chapter 2 | - | | | | | | |
| Unit II - Chapter | • | | | | | | |
| Unit III - Chapter | | | | | | | |
| Unit IV - Chapter | | | | | | | |
| Unit V - Chapter | | | | | | | |
| REFERENCES | | | | | | | |
| | | | | | | | |

1. John B. Fraleigh, "A First Course in Abstract Algebra", Narosa Publication, Third Edition, 2003.

2. Cohn P. M., "Basic Algebra", Springer's Publications, Second Edition, 2005.

TABLE 1: COs VS POs Mapping

| PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|------------|-----------------------------|--|---|---|--|--|--|--|
| 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| 15 | 10 | | | 5 | 5 | 5 | 5 | 5 |
| 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| | 3 3 3 3 3 15 | $\begin{array}{c cccc} 3 & 2 \\ 3 & 2 \\ 3 & 2 \\ 3 & 2 \\ 3 & 2 \\ 3 & 2 \\ 15 & 10 \\ \end{array}$ | 3 2 3 2 3 2 3 2 3 2 3 2 15 10 | 3 2 3 2 3 2 3 2 3 2 3 2 15 10 | $\begin{array}{c c c c c c c c c c c c c c c c c c c $ | $\begin{array}{c c c c c c c c c c c c c c c c c c c $ | $\begin{array}{c c c c c c c c c c c c c c c c c c c $ | $\begin{array}{c c c c c c c c c c c c c c c c c c c $ |

 $1-5 \rightarrow 1$, $6-10 \rightarrow 2$, $11-13 \rightarrow 3$ 0 - No Relation, 1 - Low Relation, 2- Medium Relation, 3- High Relation

| COURSE CODE | | COURSE NAME | L |] | ſ | Р | C |
|------------------------|-----|---|---------|-------|-------|--------------------------|----------|
| YMA102 | | ANALYSIS - I | 4 | (|) | 0 | 4 |
| C P A | | | L |] | Γ | Р | Н |
| 4 0 0 | | | 4 | (|) | 0 | 4 |
| PREREQU | JI | SITE: Basic concepts of real numbers | | | | • | |
| Course out | cc | omes: | Doma | in | Le | vel | |
| CO1: Defi Number Sy | | e and Explain the Real and Complex | Cogni | tive | | membering derstanding | |
| | | and Explain Basic Topology. | Cogni | tive | | membering | |
| CO2. Dem | IC | and Explain Dasie Topology. | Cogin | live | | derstanding | |
| CO3:Defin | e | and Explain convergence of sequences | Cogni | tive | Re | membering | |
| and series | | | C | | | derstanding | |
| CO4:Defin | e | and Explain Continuity of functions | Cogni | tive | Re | membering | |
| | | | - | | Un | derstanding | |
| | | e and Explain the derivative of a real | Cogni | tive | Re | membering | |
| | | Continuity of Derivatives, Derivatives | | | Un | derstanding | |
| of Higher C |)rc | ler, and Taylor's Theorem. | | | | | |
| | | Real and Complex Number Systems | | | | | 12 |
| Ordered set | s, | The real field, The complex field, Euclid | ean spa | ces. | | | |
| UNIT II Ba | asi | ic Topology | | | | | 12 |
| Finite, Cou | nt | able and Uncountable sets, Metric space | ce, Cor | npac | t set | ts, Perfect Sets | , |
| Connected | Se | ets. | | | | | |
| UNIT III | Nı | merical Sequences and Series | | | | | 12 |
| | | sequences (in Metric Spaces), subseque | ences, | Cauc | hy | sequences, Up | per and |
| Lower Lim | its | , Some Special Sequences, Series, Series | s of Ne | gativ | e tei | rms, The root a | nd ratio |
| tests. | | | | | | | |
| UNIT IV | Co | ontinuity | | | | | 12 |

| Limits of functions (in metric spaces) Continuous functions, Conti | nuity and | |
|--|------------------|--------------|
| Compactness, Continuity and Connectedness, Discontinuities, Mo | notonic function | ons, Uniform |
| Continuity, Infinite Limits and Limits at Infinity. | | |
| UNIT V Differentiation | | 12 |
| The Derivative of a Real Function, Mean Value Theorems, The | Continuity of | Derivatives, |
| L'Hospital's Rule, Derivatives of Higher Order, Taylor's Theorem | 1. | |
| | LECTURE | TOTAL |
| | 60 | 60 |

TEXTBOOK

- Walter Rudin,"Principles of Mathematical Analysis", (3rd Edition) McGraw-Hill, 2016. Unit I - Chapter 1 (Pages: 3-5, 8-11, 12-16)
 - Unit II Chapter 2 (Pages: 24 42)
 - Unit III Chapter 3 (Pages: 47-63, 65-69)
 - Unit IV Chapter 4 (Pages: 83-97)
 - Unit V Chapter 5 (Section 103-111)

REFERENCES

- 1. Shanti Narayan,"A Course of Mathematical Analysis", S.Chand & Co, 2005.
- 2. Apostol, T.M,"Mathematical Analysis", 2nd Edition,1996.
- 3. Malik, S.C,"Mathematical Analysis", Wiley Eastern Ltd, 2017.

TABLE 1: COs VS POs Mapping

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|---------------------|-----|-------|---------------------|-----|---------|-----------------|------------|-----|-----|
| CO1 | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| CO2 | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| CO3 | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| CO4 | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| CO5 | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| Scaled Value | 15 | 10 | | | 5 | 5 | 5 | 5 | 5 |
| Total | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| $1-5 \rightarrow 1$ | , | 6 – 1 | $0 \rightarrow 2$, | | 11 – 15 | $\rightarrow 3$ | | | |

| CO CO | URSF DE | C | COURSE NAME | L | Τ | Р | C |
|----------|------------|-------------|--|-------|------|-----------|------|
| YM | A103 | | DIFFERENTIAL EQUATIONS | 4 | 0 | 0 | 4 |
| С | Р | Α | | L | Т | Р | Н |
| 4 | 0 | 0 | | 4 | 0 | 0 | 4 |
| PRI | EREQ | UIS | ITE: Differentiation and Integration | | | | |
| Cou | rse o | utco | mes: | Doma | in | Level | |
| CO | 1: Fin | d Tł | ne general solution of the homogeneous | Cogni | tive | Remember | ring |
| equa | ations | usin | g various methods. | | | Understan | ding |
| | | | he homogeneous linear system with icients and special functions. | Cogni | tive | Applying | |
| CO. | 3: Fin | d th | e critical points and stability for linear | Cogni | tive | Remember | ring |
| syste | ems b | y Lia | apounov's direct method. | | | Understan | ding |
| CO4 | 4: Sol | ve F | irst order linear partial differential | Cogni | tive | Applying | |

| equations using various methods. | | | |
|---|---|--|---|
| CO5: Solve initial and boundary value problems. | Cognitive | Applyi | ng |
| UNIT I | | | 12 |
| The general solution of the homogeneous equation – The | | | |
| another - The method of variation of parameter - Power | | | |
| first order equations – Second order linear equations – o | | Regular sin | ngular |
| points – Gauss hyper geometric equations – the point 0 a | at infinity. | | |
| UNIT II | | | 12 |
| Legendre polynomials - Properties of Legendre polynomials | | | |
| gamma function - Properties of Bessel function - linear | systems - Homo | geneous li | inear |
| system with constant coefficients. | | | |
| UNIT III | | | 12 |
| The existence and uniqueness of solutions – The method | - | | |
| Picard's theorem – Types of critical points – Critical poi | nts and stability | for linear s | systems – |
| Stability by Liapunov's direct method. | | | |
| UNIT IV | | | 12 |
| First order partial differential equations - Linear equation | | | |
| differential equations - Compatible systems - Charpit's | method – Jacobi | 's method | Integral |
| | | | |
| | | | |
| surface through a given circle. UNIT V | | | 12 |
| UNIT V Solution of initial and boundary value problems – Chara | | | olution – |
| UNIT V Solution of initial and boundary value problems – Chara Significance of characteristic curves – Laplace transform | ns solutions for d | isplaceme | olution – nt in a |
| UNIT V Solution of initial and boundary value problems – Chara Significance of characteristic curves – Laplace transform string – a long string under its weight – Longitudinal vib | ns solutions for d | isplaceme | olution – nt in a |
| UNIT V Solution of initial and boundary value problems – Chara Significance of characteristic curves – Laplace transform string – a long string under its weight – Longitudinal vib | ns solutions for d | isplaceme | olution – nt in a |
| | ns solutions for department of a elastic | isplaceme | olution – nt in a |
| UNIT V Solution of initial and boundary value problems – Chara Significance of characteristic curves – Laplace transforn string – a long string under its weight – Longitudinal vib | ns solutions for departed of a elastic department of a elastic LEC | isplaceme c bar with | olution – nt in a prescribe |
| UNIT V Solution of initial and boundary value problems – Chara Significance of characteristic curves – Laplace transform string – a long string under its weight – Longitudinal vib force on one end – free vibrations of string. | ns solutions for departed of a elastic department of a elastic LEC | isplaceme c bar with TURE | olution – nt in a prescribe TOTA |
| UNIT V Solution of initial and boundary value problems – Chara Significance of characteristic curves – Laplace transforn string – a long string under its weight – Longitudinal vib force on one end – free vibrations of string. | ns solutions for departements of a elastic department | isplaceme c bar with TURE 60 | olution – nt in a prescribe TOTA 60 |
| UNIT V Solution of initial and boundary value problems – Chara Significance of characteristic curves – Laplace transforn string – a long string under its weight – Longitudinal vib force on one end – free vibrations of string. TEXTBOOK | ns solutions for departements of a elastic department | isplaceme c bar with TURE 60 | olution – nt in a prescribe TOTA 60 |
| UNIT V Solution of initial and boundary value problems – Chara Significance of characteristic curves – Laplace transform string – a long string under its weight – Longitudinal vib force on one end – free vibrations of string. TEXTBOOK 1. Simmons, G.F.,"Differential Equations with App | bration of a elastic LEC | isplaceme c bar with TURE 60 storical No | rolution – nt in a prescribed TOTA 60 otes", |
| UNIT V Solution of initial and boundary value problems – Chara Significance of characteristic curves – Laplace transforn string – a long string under its weight – Longitudinal vib force on one end – free vibrations of string. TEXTBOOK 1. Simmons, G.F.,"Differential Equations with App TMH, New Delhi, 2003 | bration of a elastic LEC | isplaceme c bar with TURE 60 storical No | rolution – nt in a prescribed TOTA 60 otes", |
| UNIT V Solution of initial and boundary value problems – Chara Significance of characteristic curves – Laplace transform string – a long string under its weight – Longitudinal vib force on one end – free vibrations of string. TEXTBOOK 1. Simmons, G.F., "Differential Equations with App TMH, New Delhi, 2003 2. T. Amarnath, "An Elementary Course in Partial 1 | oration of a elastic LEC blications and His Differential Equa | isplaceme c bar with TURE 60 storical No tions", Na | rolution – nt in a prescribed TOTA 60 otes", |
| UNIT V Solution of initial and boundary value problems – Chara Significance of characteristic curves – Laplace transform string – a long string under its weight – Longitudinal vib force on one end – free vibrations of string. TEXTBOOK 1. Simmons, G.F.,"Differential Equations with App TMH, New Delhi, 2003 2. T. Amarnath, "An Elementary Course in Partial I Delhi, 1997. | Differential Equa | isplaceme c bar with TURE 60 storical No tions", Na o 31 | rolution – nt in a prescribed TOTA 60 otes", |
| UNIT V Solution of initial and boundary value problems – Chara Significance of characteristic curves – Laplace transform string – a long string under its weight – Longitudinal vib force on one end – free vibrations of string. TEXTBOOK 1. Simmons, G.F.,"Differential Equations with App TMH, New Delhi, 2003 2. T. Amarnath, "An Elementary Course in Partial I Delhi, 1997. Unit I- Chapter 3: Sections – 15,16,19, Chapter 5 | Differential Equa 5: Sections – 26 to 10: Sections – 54 | isplaceme c bar with TURE 60 storical No tions", Na o 31 to 56 | rolution – nt in a prescribed TOTA 60 otes", |
| UNIT V Solution of initial and boundary value problems – Chara Significance of characteristic curves – Laplace transform string – a long string under its weight – Longitudinal vib force on one end – free vibrations of string. TEXTBOOK 1. Simmons, G.F.,"Differential Equations with App TMH, New Delhi, 2003 2. T. Amarnath, "An Elementary Course in Partial I Delhi, 1997. Unit I- Chapter 3: Sections – 15,16,19, Chapter 5 Unit II- Chapter 8: Sections – 44 to 47, Chapter 5 | Differential Equa 5: Sections – 26 to 10: Sections – 54 | isplaceme c bar with TURE 60 storical No tions", Na o 31 to 56 | rolution – nt in a prescribed TOTA 60 otes", |
| UNIT V Solution of initial and boundary value problems – Chara Significance of characteristic curves – Laplace transform string – a long string under its weight – Longitudinal vib force on one end – free vibrations of string. TEXTBOOK Simmons, G.F., "Differential Equations with App TMH, New Delhi, 2003 T. Amarnath, "An Elementary Course in Partial I Delhi, 1997. Unit I- Chapter 3: Sections – 15,16,19, Chapter 5 Unit II- Chapter 13: Sections – 68, 69, Chapter 5 | LEC Differential Equa Sections – 26 to 11: Sections – 60 | isplaceme c bar with TURE 60 storical No tions", Na to 31 to 56 , 61 | rolution – nt in a prescribed TOTA 60 otes", arosa, New |
| UNIT V Solution of initial and boundary value problems – Chara Significance of characteristic curves – Laplace transform string – a long string under its weight – Longitudinal vib force on one end – free vibrations of string. TEXTBOOK Simmons, G.F., "Differential Equations with App TMH, New Delhi, 2003 T. Amarnath, "An Elementary Course in Partial I Delhi, 1997. Unit I- Chapter 3: Sections – 15,16,19, Chapter 5 Unit II- Chapter 13: Sections – 68, 69, Chapter 10, 111 Unit IV – Chapter 13: Sections – 1.4 to 1.9 Unit V - Chapter 2: Sections – 2.1, 2.2, 2.3.1, 2.3 | LEC Differential Equa Sections – 26 to 11: Sections – 60 | isplaceme c bar with TURE 60 storical No tions", Na to 31 to 56 , 61 | rolution – nt in a prescribed TOTA 60 otes", arosa, New |
| UNIT V Solution of initial and boundary value problems – Chara Significance of characteristic curves – Laplace transform string – a long string under its weight – Longitudinal vib force on one end – free vibrations of string. TEXTBOOK Simmons, G.F., "Differential Equations with App TMH, New Delhi, 2003 T. Amarnath, "An Elementary Course in Partial I Delhi, 1997. Unit I- Chapter 3: Sections – 15,16,19, Chapter 5 Unit II- Chapter 13: Sections – 68, 69, Chapter 1 Unit IV – Chapter 1: Sections – 1.4 to 1.9 Unit V - Chapter 2: Sections – 2.1, 2.2, 2.3.1, 2.3 | LEC LEC LEC LEC Differential Equa S: Sections – 26 to 10: Sections – 54 11: Sections – 60 5.2, 2.3.3, 2.3.5, 2 | isplaceme c bar with TURE 60 storical No tions", Na to 31 to 56 , 61 2.5.1, 2.5.2 | rolution – nt in a prescribed TOTA 60 otes", arosa, New |
| UNIT V Solution of initial and boundary value problems – Chara Significance of characteristic curves – Laplace transform string – a long string under its weight – Longitudinal vib force on one end – free vibrations of string. TEXTBOOK Simmons, G.F., "Differential Equations with App TMH, New Delhi, 2003 T. Amarnath, "An Elementary Course in Partial I Delhi, 1997. Unit I- Chapter 3: Sections – 15,16,19, Chapter 5 Unit II- Chapter 13: Sections – 68, 69, Chapter 10, 111 Unit IV – Chapter 13: Sections – 1.4 to 1.9 Unit V - Chapter 2: Sections – 2.1, 2.2, 2.3.1, 2.3 | LEC LEC LEC LEC Differential Equa Sections – 26 to 10: Sections – 26 to 11: Sections – 54 11: Sections – 60 2.2, 2.3.3, 2.3.5, 2 Viley, New York, | isplaceme c bar with TURE 60 storical No tions", Na to 56 , 61 2.5.1, 2.5.2 1971. | olution – nt in a prescribe TOTA 60 otes", arosa, Nev |

3. J.N. Sneddon, "Elements of Partial Differential Equations", Mc Graw Hill Publishing Company, Newyork, 1957.

TABLE 1: COs VS POs Mapping

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|--------|------------|-----|-----|-----|-----|------------|------------|-----|------------|
| CO1 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| CO2 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| CO3 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| CO4 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| CO5 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| Scaled | 10 | 5 | 5 | 5 | | 10 | | | 5 |
| Value | | | | | | | | | |
| Total | 2 | 1 | 1 | 1 | | 2 | | | 1 |

 $1 - 5 \rightarrow 1, \qquad 6 - 10 \rightarrow 2, \qquad 11 - 15 \rightarrow 3$

| COUR CODE | | | | C | OUR | RSE | NA | AM | ſE | | | | | | | L | T | | Р | | С |
|---|-----------------------|--------|------|-------|---------|-------|-------|-------|-------|--------|----------|-------|----------|--------|--------|-------|-------|------|----------------|------|---------------|
| YMA1 | .04 | | | D | ISCI | REI | ΓE Ι | MA | TH | IEM | AT | ГIC | S | | | 4 | 0 | | 0 | | 4 |
| С | Р | Α | | | | | | | | | | | | | | L | Т | | Р | | Η |
| 4 | 0 | 0 | | | | | | | | | | | | | | 4 | 0 | | 0 | | 4 |
| PRER | EQUIS | SITE: | 2: A | Al | gebra | a | | | | | | | | | | | | | | | |
| Course | e outco | mes: | : | | | | | | | | | | | |] | Dom | ain | L | evel | | |
| CO1:] | Define | and F | Ex | Exp | lain | Basi | ic lo | ogic | cal c | opera | atio | ons. | | | (| Cogn | itive | | emen Inders | | 0 |
| | Define stateme | | | - | | the 1 | thec | ory | of i | nfere | enc | e fo | or the | | (| Cogn | itive | | emen Under | | ring nding |
| CO3: 5 | Solve R | lecurr | rrer | enc | e Re | latic | ons | usir | ng C | Gener | rati | ing | Funct | ions. | (| Cogn | itive | A | pplyi | ng | |
| CO4: Define and Explain Lattices and Boolean Algebra.CognitiveRememberUnderstan | | | | | | | | | • | | | | | | | | | | | | |
| CO5: | Define | and] | l E | Exp | plain | Gra | amn | nar | and | l Lan | igu | age | s. | | • | Cogn | itive | | emen Inders | | 0 |
| UNIT | I Mat | hema | ati | atica | al Lo | ogic | | | | | | | | | | | | 1 | | | 12 |
| | ogical o l forms | | atic | tion | IS, CO | ndit | iona | al a | ind t | bicon | ndit | tion | al stat | temen | ts, ta | autol | ogies | , co | ntrad | icti | on, |
| UNIT | II The | theor | ory | ry o | of info | erer | ice | for | • the | e stat | tem | není | t Calc | ulus | | | | | | | 12 |
| | of infere iers, In | | | | | | | | | | | | | ing, P | redi | icate | Calcı | ılus | , | | |
| UNIT | III Re | curre | ·en | ence | e Rela | atio | ns a | and | l Ge | enera | atir | ng J | Funct | ions | | | | | | | 12 |
| Polyno | mial ex n, solut | press | ssic | ion | s, tele | esco | opic | e for | rm, 1 | recur | rsic | on tl | heorei | n, clo | | form | expi | essi | ion, g | ene | erating |
| | IV Lat | | | | | | | | | | <u> </u> | | | | | | | | | | 12 |
| | ordered | | | | | | | | | | tice | es a | s Alge | ebraic | Sys | stems | , Boo | olea | n Alg | gebr | a. |
| | V Grai | | | | | | | | | | | | | | | | | | | | 12 |
| | structu ar, regu | | | | | | | | | | | | | | | | | ige | gener | ate | d by |
| | , ₀ . | | | | | | | | | | | | <u> </u> | | | - | CTU | RE | , | T | OTAL |

| | 60 | 60 |
|---|---------------------|----------------|
| ТЕХТВООК | · | |
| 1. P. Tremblay, R. Manohar,"Discrete Mathematical Structure | re with Application | ns to |
| Computer Science", Mc Graw- Hill International Edition, | 1997. | |
| Unit I - Chapter 1 (Section 1.1,1.2 & 1.3) | | |
| Unit II - Chapter 1 (Section 1.4, 1.5 & 1.6) | | |
| Unit IV - Chapter 4 (Section 4.1& 4.2) | | |
| Unit V – Chapter 4 (Section 4.6) | | |
| 2. Alan Doerr, "Applied Discrete Structure for Computer Sci | ience", Pearson Ed | lucation, 2013 |
| Unit III – Chapter 8 (Section 8.1,8.2,8.3 &8.5) | | |
| DEFEDENCE | | |

REFERENCE

1. Kenneth H. Rosen, "Discrete Mathematics and Its Applications", Mc Graw-Hill International Edition, 2002.

TABLE 1: COs VS POs Mapping

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|---------------------|-----|-------|----------------------|-----|---------|-----------------|------------|-----|-----|
| CO1 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| CO2 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| CO3 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| CO4 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| CO5 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| Scaled Value | 10 | 5 | 5 | 5 | | 10 | | | 5 |
| Total | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| $1-5 \rightarrow 1$ | , | 6 – 2 | $10 \rightarrow 2$, | | 11 - 15 | $\rightarrow 3$ | | | |

| COURSE CODE COURSE NAME | L | Т | Р | C | |
|---|--------|-----------|---------------|--------|--|
| YMA1E1 GRAPH THEORY | 3 | 0 | 0 | 3 | |
| C P A | L | Т | Р | Н | |
| 3 0 0 | 3 | 0 | 0 | 3 | |
| PREREQUISITE: Basic concepts of Graph Theory | | | | | |
| Course outcomes: |] | Domain | Level | | |
| CO1: Define and Explain Graphs, subgraphs and trees. | (| Cognitive | Rememb | ering | |
| | | | Understanding | | |
| CO2: Define and Explain Connectivity - Blocks - Euler | (| Cognitive | Rememb | ering | |
| tours - Hamilton Cycles. | | | Underst | anding | |
| CO3: Define and Explain Matchings and Coverings in | (| Cognitive | Applying | | |
| Bipartite Graphs, Edge Chromatic Number and Vizing's | | C | | | |
| Theorem. | | | | | |
| CO4: Define and Explain independent sets and clique | ies, (| Cognitive | Rememb | ering | |
| vertex colorings. | | | Understanding | | |
| CO5: Define and Explain Plane and planar Graphs, Dual | 1 (| Cognitive | Rememb | ering | |
| graphs, Euler's Formula, The Five-Color Theorem and the | e | | Understa | nding | |
| Four- Color Conjecture- Applications. | | | | | |

| UNIT I GRAPHS, SUBGRAPHS AND TREES | | 9 |
|--|-------------------|-----------|
| Graphs and simple graphs - Graph Isomorphism - The Incidence | and Adjacency M | atrices - |
| Subgraphs - Vertex Degrees - Paths and Connection - Cycles - Tr | | |
| - Cut Vertices. | U | |
| UNIT II CONNECTIVITY, EULER TOURS AND HAMILT | ON CYCLES | 9 |
| Connectivity - Blocks - Euler tours - Hamilton Cycles - Application | ions. | |
| UNIT III MATCHINGS, EDGE COLOURINGS | | 9 |
| Matchings - Matchings and Coverings in Bipartite Graphs - Edge | Chromatic Numb | ber - |
| Vizing's Theorem- Applications. | | |
| UNIT IV INDEPENDENT SETS AND CLIQUES, VERTEX | COLOURINGS | 5 9 |
| Independent sets - Ramsey's Theorem - Chromatic Number - Bro | oks' Theorem - | |
| Chromatic Polynomials- Applications. | | |
| UNIT V PLANAR GRAPHS | | 9 |
| Plane and planar Graphs - Dual graphs - Euler's Formula - The Fi | ive - Colour Theo | orem |
| and the Four-Colour Conjecture- Applications. | | |
| | LECTURE | TOTAI |
| | 45 | 4 |
| ТЕХТВООК | | |
| 1. J.A.Bondy and U.S.R. Murthy, "Graph Theory and Application | ns", Macmillan, L | ondon, |
| 1976. | , , , | , |
| Unit I - Chapter 1 (Section 1.1 - 1.7); Chapter 2 (Section 2.1 - 2 | 2.3) | |
| Unit II - Chapter 3 (Section 3.1 - 3.2); Chapter 4 (Section 4.1 - | | |
| Unit III - Chapter 5 (Section 5.1 - 5.2); Chapter 6 (Section 6.1 - | · | |
| 0 Int III - Chapter 5 (Section 5.1 - 5.2), Chapter 0 (Section 0.1) | | |
| | -8.2, 8.4) | |
| Unit IV - Chapter 7 (Section $7.1 - 7.2$); Chapter 8 (Section 8.1 Unit V - Chapter 9 (Section $9.1 - 9.3, 9.6$) | - 8.2, 8.4) | |

1. Harary, "Graph Theory" Narosa Publishing House., 2001.

2. A.Gibbons, "Algorithmic Graph Theory, Cambridge University Press, Cambridge, 1989.

3. R.J.Wilson and J.J.Watkins, "Graphs: An Introductory Approach", John Wiley and Sons, New York, 1989.

4. V.K. Balakrishnan, Schaum's Outlines of "Theory and problems of Graph Theory", Tata McGraw Hill Education Private Limited Delhi, 2004.

5. S.A.Choudum, "A First Course in Graph Theory", MacMillan India Ltd. 1987.

TABLE 1: COs VS POs Mapping

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|---------------------|-----|-------|----------------------|-----|---------|-----------------|------------|-----|-----|
| CO1 | 2 | 1 | 1 | 1 | 1 | 2 | 1 | 1 | 1 |
| CO2 | 2 | 1 | 1 | 1 | 1 | 2 | 1 | 1 | 1 |
| CO3 | 2 | 1 | 1 | 1 | 1 | 2 | 1 | 1 | 1 |
| CO4 | 2 | 1 | 1 | 1 | 1 | 2 | 1 | 1 | 1 |
| CO5 | 2 | 1 | 1 | 1 | 1 | 2 | 1 | 1 | 1 |
| Scaled | 10 | 5 | 5 | 5 | 5 | 10 | 5 | 5 | 5 |
| Value | | | | | | | | | |
| Total | 2 | 1 | 1 | 1 | 1 | 2 | 1 | 1 | 1 |
| $1-5 \rightarrow 1$ | , | 6 – 1 | $10 \rightarrow 2$, | | 11 - 15 | $\rightarrow 3$ | | | |

| | E COD | ΕI | COURSE NAME | | L | Т | Р | С | |
|---|---|--|--|--|---|--|---|-------------------------|--|
| YMA1E | | | CODING THEORY | | 3 | 0 | 0 | 3 | |
| | P A | | | | L | T | P | H | |
| | $\frac{1}{0}$ | | | | 3 | 0 | 0 | 3 | |
| Course of | - | 1 | | Domain | | • | Level | 0 | |
| | | | xplain Error detection, Correction and | Cognitive | R | | mberin | σ | |
| | coding | | concertain Enter detection, concertain and | coginave | | | standi | - | |
| | U | 1 E | xplain Linear codes | Cognitive | | | mberin | <u> </u> | |
| | | • 🗖 | cpluit Effect codes | coginave | | | standi | 0 | |
| CO3:De | fine and | Ex | plain Linear codes Bounds in coding | Cognitive | | | mberin | - | |
| | eory | | | coginare | | | standi | - | |
| - | • | d F | xplain Cyclic codes: Definitions – | Cognitive | | | mberin | - | |
| | | | ynomials – Generator matrix and parity | 8 | | | standi | <u> </u> | |
| | | - | – Decoding of Cyclic codes | | | | | 0 | |
| | | | pecial cyclic codes | Cognitive | R | emei | mberin | g | |
| | | | 1 2 | U | | | standii | - | |
| UNIT-I | | | | | | | 9 | U | |
| Error det | tection, | Co | rrection and decoding: Communication | channels – I | Maxi | mun | n likel | ihood | |
| | | | ing distance – Nearest neighbourhood | | | | | | |
| Distance | | | | | | | | Ŭ | |
| UNIT-II | [| | | | | | 9 | | |
| Linear co | odes: Lii | nea | r codes – Self orthogonal codes – Self d | ual codes – E | Bases | for | linear | codes | |
| | | | and parity check matrix – Encoding v | | | | | | |
| | | | come decoding. | | | | | 0 | |
| UNIT-III 9 | | | | | | | | | |
| Bounds i | in coding | e th | eory: The main coding theory problem | – lower boun | ds - | Sphe | ere cov | vering | |
| | | | arshamov bound – Binary Hamming c | | | | | | |
| | | | eton bound and MDS codes – Plotkin bo | | | | 0 | | |
| UNIT-IV | | | | | | | 9 | | |
| Cvclic c | odes: D | - C: | nitions – Generator polynomials – Ge | enerator matr | iv a | nd n | arity o | check | |
| - | | ett | | | | | | | |
| muaula = | Decount | | ÷ • | | па | P | | | |
| | | | of Cyclic codes. | | 1A a | P | 9 | | |
| UNIT-V | r | ng o | of Cyclic codes. | | | | 9 CH co | dec | |
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| COUH | RSE C | ODE | COURSE NAME | | L | Т | P | C |
|-------------|---------|---------|--|-----------------|-------|-------|--------|---------|
| YMA | 1E3 | | Mathematical Logic | | 3 | 0 | 0 | 3 |
| С | Р | Α | 0 | | L | Т | Р | Η |
| 3 | 0 | 0 | | | 3 | 0 | 0 | 3 |
| PRER | EQU | ISITE | Discrete Mathematics | | | | | |
| Cours | e outc | comes: | | Dom | ain | | Leve | ł |
| | | | Explain Syntax of First-Order Logic, Sen | 0 | itive | | nemb | |
| | | | guages, Structures of First-Order Languag | | | Unc | lersta | nding |
| CO2: | Define | e and E | Explain Propositional Logic and Tautolog | y Cogn | itive | | nemb | - |
| | | | | | | - | | nding |
| | | | Explain Consistency and Completeness and | nd Cogn | itive | | nemb | 0 |
| | | | nition of first order theories | | | | | nding |
| | | | Explain Embeddings and Isomorphisms | Cogn | itive | | nemb | 0 |
| | | | em, Categoricity and Complete theories | | | | | nding |
| | | | Explain Recursive functions, Arithmatiza | | itive | | nemb | 0 |
| | | eories | and Godel's first Incompleteness theorem | 1. | | Unc | lersta | nding |
| | | | | | | | 9 | |
| - | | | er Logic: First Order Languages, Terms | | | | | |
| - | - | | er Theories. Semantics of First-Order La | nguages: Str | uctur | es of | First- | |
| | | ages, 1 | Fruth in a Structure, Model of a Theory | | | | 6 | |
| UNIT | | | | | | | 9 | |
| | | | : Tautologies and Theorems of proposition | | | | | |
| | | | r Logic, Meta theorems of a first order the | eory, e.g. , th | neore | ms oi | 1 cons | stants. |
| | | theore | m, deduction and variant theorems etc., | | | | 6 | |
| UNIT | | | | | | | 9 | |
| | | | ompleteness, Lindenbaum Theorem. Henl s by definition of first order theories, Inte | | | | etenes | S |
| UNIT | | CHSION | s by definition of first order theories, ind | | | 11. | 9 | |
| | | rv Em | beddings and Isomorphisms, Lowenheim | -Skolem Th | eoren | | mnac | tness |
| | | - | ity, Complete Theories. | Skolem In | coren | 1, 00 | mpue | liess |
| UNIT | | | ky, complete meenes | | | | 9 | |
| Recurs | sive fu | nction | s, Arithmatization of first order theories, I | Decidable T | heory | , | | |
| | | | odel's first Incompleteness theorem. | | | | | |
| | | | <u> </u> | LECTU | RE |] | ΓΟΤΑ | L |
| | | | | 45 | | 1 | 45 | |
| ТЕХТ | | KS: | | | | I | | |
| | | | . Mathematical logic, Addison-Wesley Pu | ublishing Co | | | | |
| | | | I. A Course on Mathematical Logic, Univ | 0 | | | | |
| REFE | | | ······································ | , -p | 6- | | | |
| | | | Introduction to Mathematical Logic, Chap | oman & Hal | 1. | | | |
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II SEMESTER

| CO CO | URSE DE | 2 | COURSE NAME | L | Т | Р | C |
|----------|-------------|--------|--|----------|----------|-----------|--------------|
| YM | A201 | | LINEAR ALGEBRA | 4 | 0 | 0 | 4 |
| С | P | Α | | L | Т | Р | Н |
| 4 | 0 | 0 | | 4 | 0 | 0 | 4 |
| PRI | EREQ | UIS | ITE: Group theory and Ring theory | | | | |
| | irse o | | | Don | nain | Level | |
| CO | 1:Defi | ine a | nd Explain Elementary Basic Concepts- Linear | Cog | nitive | Remer | nbering |
| | - | | and Bases. | | | | standing |
| | | fine | and Explain Dual Spaces- Inner Product Space | - Cog | nitive | | nbering |
| Moc | lules. | | | | | Unders | standing |
| CO | 3: So | ve t | he Algebra of Linear Transformations to fin | d Cog | nitive | Applyi | ng |
| | acteri | | | | | | 0 |
| | | | and Explain Canonical Forms, Triangular form | n, Cog | nitive | Remer | nbering |
| | otent | | ansformations, Jordan Form and Rationa | - | | | standing |
| - | onical | | n. | | | | C |
| CO | 5: Def | ïne a | and Explain Trace and Transpose, | Cog | nitive | Remer | nbering |
| | | | Hermitian, Unitary and Normal | | | Unders | standing |
| Trar | nsform | natio | ns, Real Quadratic forms. | | | | |
| UNI | | | | | | | 12 |
| Eler | nentai | y Ba | sic Concepts- Linear Independence and Bases. | | | | |
| | IT II | | | | | | 12 |
| Dua | l Spac | es- I | nner Product Space- Modules. | | | | |
| UN | T II | [| | | | | 12 |
| The | Algel | ora o | f Linear Transformations- Characteristics Roots | - Matrio | ces. | | |
| UNI | T IV | | | | | | 12 |
| Can | onical | For | ns: Triangular form- Nilpotent Transformations | - Jorda | n Form | - Rationa | ıl |
| Can | onical | form | n. | | | | |
| UNI | IT V | | | | | | 12 |
| | | | spose – Determinants- Hermitian, Unitary and | Normal | Transfo | ormation | S- |
| Real | l Qua | lratic | e forms. | | | | |
| | | | | | ECTUR | | FOTAL |
| | | 0.17 | | | | 60 | 60 |
| | <u>XTBC</u> | | | | | | |
| | | | M.,"Topics in Algebra", Willey Eastern 1975. | | | | |
| | | | pter 4 (Section 4.1 & 4.2) apter 4 (Section 4.4 – 4.5) Unit III - Chapter 6 | (Sectio | n 6 1 | 63) | |
| | | | hapter 6 (Section $4.4 - 4.3$) Unit III - Chapter 6 upter 6 (Section $6.4 - 6.7$) | | | , |) |
| | FERE | | | | | 0 - 0.11 | , |
| | | | eigh, "A First Course in Abstract Algebra", Na | rosa Pu | blicatio | n. Third | Edition |
| 2013 | | iiu | | 100414 | circuito | , 11110 | , |
| | | 'ohn. | "Basic Algebra", Springer's Publications, Seco | nd Edit | ion, 200 |)3. | |
| | | | | | | | |

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|-----------------|-----|-----|-----|-----|-----|-----|-----|-----|-----|
| CO1 | 3 | 2 | 2 | 1 | 1 | 1 | 1 | 1 | 1 |
| CO2 | 3 | 2 | 2 | 1 | 1 | 1 | 1 | 1 | 1 |
| CO3 | 3 | 2 | 2 | 1 | 1 | 1 | 1 | 1 | 1 |
| CO4 | 3 | 2 | 2 | 1 | 1 | 1 | 1 | 1 | 1 |
| CO5 | 3 | 2 | 2 | 1 | 1 | 1 | 1 | 1 | 1 |
| Scaled Value | 15 | 10 | 10 | 5 | 5 | 5 | 5 | 5 | 5 |
| Total | 3 | 2 | 2 | 1 | 1 | 1 | 1 | 1 | 1 |

| COUR CODE | | | COURSE NAME | L | Т | Р | С |
|--|----------|--------|--|-----------|--------|-----------------|----------------|
| YMA2 | | | ANALYSIS - II | 4 | 0 | 0 | 4 |
| С | <u>P</u> | Α | | L | Ť | P | H |
| 4 | 0 | 0 | | 4 | 0 | 0 | 4 |
| PRER | EQUIS | SITE: | Basic concepts of convergence and uniform co- | nvergen | ice | | |
| Course | e outco | mes: | | Doma | in | Level | |
| | | | Explain Existence, Properties of the Integral, erentiation. | Cogni | tive | Remen Unders | bering tanding |
| CO2: Define and Explain Uniform convergence and Continuity. Cognitive Rememb Understa | | | | | | | |
| CO3: I and Di | | | xplain Uniform convergence and Integration | Cogni | tive | Remen Unders | bering tanding |
| CO4: 1 | Define | and E | xplain Set functions, Construction of | Cogni | tive | Remen | nbering |
| Lebesg measur | | asures | Measurable function, Simple functions in | | | Unders | tanding |
| CO5: | Define | and l | Explain Integration Comparison with the | Cogni | tive | Remen | bering |
| | nn Integ | | ntegration of Complex functions, Functions of | | | | tanding |
| UNIT | I | | | | | | 12 |
| Definit Differe | | | ence of the Integral, Properties of the Integral, | Integrat | ion a | nd | |
| UNIT | II | | | | | | 12 |
| Unifor | m Conv | vergen | ce, Uniform convergence and Continuity. | | | | |
| UNIT | III | | | | | | 12 |
| Unifor | m conv | ergen | ce and Integration, Uniform convergence and D | oifferent | iatior | ۱. | |
| UNIT | IV | | | | | | 12 |
| Set fun measur | | Const | ruction of Lebesgue Measures, Measurable fun | ction, S | imple | e functio | ons in |
| UNIT | | | | | | | 12 |

Integration Comparison with the Riemann Integral, Integration of Complex functions, Functions of class J^2 .

| | LECTURE | TOTAL |
|--|---------|-------|
| | 60 | 60 |

TEXTBOOK

1. Walter Rudin, "Principles of Mathematical Analysis", (3rd Edition), McGraw-Hill, 2016 Unit I - Chapter 6 (Pages: 120-135)

Unit II - Chapter 7 (Pages: 143-151)

Unit III - Chapter 7 (Pages: 151-154)

Unit IV - Chapter 11 (Pages: 300-314)

Unit V - Chapter 5 (Section 314-325)

REFERENCES:

1.Shanti Narayan, "A course of Mathematical Analysis", S. Chand & Company Ltd New Delhi, 2005.

2. Apostol, T.M, "Mathematical Analysis", Narosa Book Distributors Pvt Ltd, 2nd Edition, New Delhi, 1996.

3. Malik, S.C, "Mathematical Analysis", Wiley Eastern Ltd. 2017.

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|--------------|------------|-----|-----|-----|-----|-----|------------|-----|------------|
| CO1 | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| CO2 | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| CO3 | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| CO4 | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| CO5 | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| Scaled Value | 15 | 10 | | | 5 | 5 | 5 | 5 | 5 |
| Total | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |

| COUR | SECOI | DE | COURSENAME | L | Т | Р | С |
|-------------|-----------|--------|--|---------|-----|----------|---------|
| YMA2 | 03 | | INTEGRAL EQUATIONS, CALCULUS | 3 | 1 | 0 | 4 |
| | | | OF VARIATIONS AND TRANSFORMS | | | | |
| С | Р | Α | | L | Т | Р | Η |
| 4 | 0 | 0 | | 3 | 1 | 0 | 4 |
| PRERI | EQUIS | ITE: | Multivariable calculus and vector calculus | | | | |
| Course | outcon | nes: | | Domai | n | Level | |
| CO1: | Define | and | Explain Calculus of variations, Maxima and | Cogniti | ive | Rememb | ering |
| | Minima | a, th | e simplest case, Natural boundary and | | | Understa | nding |
| | transitio | on co | nditions, variational notation | | | | |
| CO2: | Define | and] | Explain Fourier sine and cosine transforms - | Cogniti | ive | Remem | bering |
| | Propert | ies (| Convolution -Solving integral equations - | | | Unders | tanding |
| | Finite F | Fourie | er transform | | | | |
| CO3: | Define | and | Explain Hankel Transform : Definition - | Cogniti | ive | Rememb | ering |
| | Inverse | form | nula – Some important results for Bessel | _ | | Understa | nding |
| | function | n - L | inearity property | | | | |

| CO4: Define and Explain Linear Integral Equations -Cognitive Definition, Regularity conditions – special kind of kernels –eigen values and eigen functions – convolution Integral | Remembering Understanding |
|--|--|
| CO5: Define and Explain Volterra Integral equation –Cognitive examples – some results about the resolvent kernel. Classical FredholmTheory. | Remembering Understanding |
| UNIT I | 12 |
| Calculus of variations – Maxima and Minima – the simplest case – Natural I | |
| transition conditions - variational notation – more general case – constraints | - |
| multipliers – variable end points – Sturm - Liouville problems. | und Eugrange s |
| UNIT II | 12 |
| Fourier transform - Fourier sine and cosine transforms - Properties Convolution | |
| integral equations - Finite Fourier transform - Finite Fourier sine and cosine | <u> </u> |
| Fourier integral theorem - Parseval's identity. | |
| UNIT III | 12 |
| Hankel Transform : Definition – Inverse formula – Some important r | esults for Besse |
| function – Linearity property – Hankel Transform of the derivatives of the | |
| Transform of differential operators – Parseval's Theorem | |
| UNIT IV | 12 |
| Linear Integral Equations - Definition, Regularity conditions – special kind | of kernels -Eiger |
| values and eigen functions - convolution Integral - the inner and scal | ar productof two |
| functions – Notation – reduction to a system of Algebraic equations – ex | amples-Fredholn |
| alternative - examples – an approximate method. | |
| UNIT V | 12 |
| Method of successive approximations: Iterative scheme – examples – | |
| equation - examples - some results about the resolvent kernel. Classical | Volterra Integra |
| equation – examples – some results about the resolvent kernel. Classical the method of solution of Fredholm – Fredholm's first theorem. | Volterra Integra FredholmTheory |
| equation – examples – some results about the resolvent kernel. Classical the method of solution of Fredholm – Fredholm's first theorem. LECTURE TUTORI | Volterra Integra FredholmTheory |
| equation – examples – some results about the resolvent kernel. Classical the method of solution of Fredholm – Fredholm's first theorem. LECTURE TUTORI 45 | Volterra Integra FredholmTheory |
| equation – examples – some results about the resolvent kernel. Classical the method of solution of Fredholm – Fredholm's first theorem. LECTURE TUTORI | VolterraIntegraFredholmTheoryIAL156 |
| equation – examples – some results about the resolvent kernel. Classical the method of solution of Fredholm – Fredholm's first theorem. LECTURE TUTORI 45 TEXTBOOK [1] Ram.P.Kanwal – Linear Integral Equations Theory and Practice, Acade | VolterraIntegraFredholmTheoryIALTOTAI156emic Press |
| equation – examples – some results about the resolvent kernel. Classical the method of solution of Fredholm – Fredholm's first theorem. LECTURE TUTORI 45 TEXTBOOK [1] Ram.P.Kanwal – Linear Integral Equations Theory and Practice, Acad 1971. | VolterraIntegraFredholmTheoryIALTOTAI156emic Press2. |
| equation – examples – some results about the resolvent kernel. Classical the method of solution of Fredholm – Fredholm's first theorem. LECTURE TUTORI 45 TEXTBOOK [1] Ram.P.Kanwal – Linear Integral Equations Theory and Practice, Acade 1971. [2] F.B. Hildebrand, Methods of Applied Mathematics II ed. PHI, ND 1972 | VolterraIntegraFredholmTheoryIALTOTAI156emic Press2. |
| equation – examples – some results about the resolvent kernel. Classical the method of solution of Fredholm – Fredholm's first theorem. LECTURE TUTORI 45 TEXTBOOK [1] Ram.P.Kanwal – Linear Integral Equations Theory and Practice, Acad 1971. [2] F.B. Hildebrand, Methods of Applied Mathematics II ed. PHI, ND 1972 [3] A.R. Vasishtha, R.K. Gupta, Integral Transforms, Krishna Prakashan M | VolterraIntegraFredholmTheoryIALTOTAI156emic Press2. |
| equation – examples – some results about the resolvent kernel. Classical the method of solution of Fredholm – Fredholm's first theorem. LECTURE TUTORI 45 TEXTBOOK [1] Ram.P.Kanwal – Linear Integral Equations Theory and Practice, Acad 1971. [2] F.B. Hildebrand, Methods of Applied Mathematics II ed. PHI, ND 1972 [3] A.R. Vasishtha, R.K. Gupta, Integral Transforms, Krishna Prakashan M Ltd, India, 2002. | VolterraIntegraFredholmTheoryIALTOTAI156emic Press2. |
| equation – examples – some results about the resolvent kernel. Classical the method of solution of Fredholm – Fredholm's first theorem. LECTURE TUTORI 45 TEXTBOOK [1] Ram.P.Kanwal – Linear Integral Equations Theory and Practice, Acada 1971. [2] F.B. Hildebrand, Methods of Applied Mathematics II ed. PHI, ND 1972 [3] A.R. Vasishtha, R.K. Gupta, Integral Transforms, Krishna Prakashan M Ltd, India, 2002. UNIT – I Chapter 2: Sections 2.1 to 2.9 of [2] UNIT – II Chapter 7 of [3] UNIT – III Chapter 9 of [3]; UNIT – IV -Chapters 1 and 2 of [1] | VolterraIntegraFredholmTheoryIALTOTAI156emic Press2. |
| equation – examples – some results about the resolvent kernel. Classical the method of solution of Fredholm – Fredholm's first theorem. LECTURE TUTORI 45 TEXTBOOK [1] Ram.P.Kanwal – Linear Integral Equations Theory and Practice, Acade 1971. [2] F.B. Hildebrand, Methods of Applied Mathematics II ed. PHI, ND 1972 [3] A.R. Vasishtha, R.K. Gupta, Integral Transforms, Krishna Prakashan N Ltd, India, 2002. UNIT – I Chapter 2: Sections 2.1 to 2.9 of [2] UNIT – II Chapter 7 of [3] UNIT – II Chapter 9 of [3]; UNIT – IV -Chapters 1 and 2 of [1] UNIT – V Chapters 3 and 4 of [1] | VolterraIntegraFredholmTheoryIALTOTAI156emic Press2. |
| equation – examples – some results about the resolvent kernel. Classical the method of solution of Fredholm – Fredholm's first theorem. LECTURE TUTORI 45 TEXTBOOK [1] Ram.P.Kanwal – Linear Integral Equations Theory and Practice, Acada 1971. [2] F.B. Hildebrand, Methods of Applied Mathematics II ed. PHI, ND 1972 [3] A.R. Vasishtha, R.K. Gupta, Integral Transforms, Krishna Prakashan M Ltd, India, 2002. UNIT – I Chapter 2: Sections 2.1 to 2.9 of [2] UNIT – II Chapter 7 of [3] UNIT – III Chapter 9 of [3]; UNIT – IV -Chapters 1 and 2 of [1] | VolterraIntegraFredholmTheoryIALTOTAI156emic Press2. |
| equation – examples – some results about the resolvent kernel. Classical the method of solution of Fredholm – Fredholm's first theorem. LECTURE TUTORI 45 TEXTBOOK [1] Ram.P.Kanwal – Linear Integral Equations Theory and Practice, Acade 1971. [2] F.B. Hildebrand, Methods of Applied Mathematics II ed. PHI, ND 1972 [3] A.R. Vasishtha, R.K. Gupta, Integral Transforms, Krishna Prakashan N Ltd, India, 2002. UNIT – I Chapter 2: Sections 2.1 to 2.9 of [2] UNIT – II Chapter 7 of [3] UNIT – II Chapter 9 of [3]; UNIT – IV -Chapters 1 and 2 of [1] UNIT – V Chapters 3 and 4 of [1] | Volterra Integra FredholmTheory IAL TOTAI 15 6 emic Press 2. Iedia Pvt |

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
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| CO1 | 2 | | | | 1 | 1 | 2 | | 1 |
| CO2 | 2 | | | | 1 | 1 | 2 | | 1 |
| CO3 | 2 | | | | 1 | 1 | 2 | | 1 |
| CO4 | 2 | | | | 1 | 1 | 2 | | 1 |
| CO5 | 2 | | | | 1 | 1 | 2 | | 1 |
| Scaled | 10 | | | | 5 | 5 | 10 | | 5 |
| Value | | | | | | | | | |
| Total | 2 | | | | 1 | 1 | 2 | | 1 |

| CO CO | | SE | COURSE NAME | L | Т | Р | С |
|-----------------------------|--------------------------------|--------------|---|----------------------|-----------------|--------------------------------|-------------------------|
| YM | |)4 | OPERATIONS RESEARCH | 4 | 0 | 0 | 4 |
| С | Р | Α | | L | Т | Р | Н |
| 4 | 0 | 0 | | 4 | 0 | 0 | 4 |
| PRI | ERF | QU | ISITE: Nil | | I | | |
| Cou | irse | oute | comes: | Doma | in | Level | |
| CO | 1: D | efin | e and Explain Decision theory in detail. | Cogni | tive | Remember Understand | 0 |
| CO | 2: E | xpla | in and solve problems in PERT and CPM | Cogni | tive | Understand Applying | ling |
| and | pro | babi | ain deterministic inventory control models listic Inventory Control Models and solve using the methods: | Cogni | | Understand Applying | ling |
| Clas | ssifi | catio | in Essential Features of Queueing System, on of Queueing Models and find solution of odels. | Cogni | tive | Understand Remember | - |
| CO | 5: I | Expl | ain replacement and maintenance models oblems by using these methods. | Cogni | tive | Understand Applying | ling |
| | | | ECISION THEORY | | | | 12 |
| Mal | cing | Un | cision theory Approach - Types of Decision der Uncertainty - Decision Making under I nalysis - Decision Tree Analysis - Decision Ma | Risk - | Poste | erior Probab | |
| | | | OJECT MANAGEMENT : PERT AND CI | | | | 12 |
| Net PEF | worl RT A | k Co Maly | ences between PERT and CPM - Steps in PER mponents and Precedence Relationships - Crit vsis - Project time-cost Trade Off - Updating th | ical Pat 1e Proje | h Ana ct - R | alysis - Prob Resource Allo | ability in |
| | | | DETERMINISTIC INVENTORY CONTRO | | | | 12 |
| - Fe with Mod Sing | atur 1 no 1els: gle I | es o sho | Inventory Control - Functional Classification f Inventory System - Inventory Model building rtage - Deterministic Inventory with Shortag od Probabilistic Models without Setup cost - cost. | g - Dete ges Prol | ermin oabili | istic Invento | ry Models ry Control |
| | | - | UEUEING THEORY | | | | 12 |
| | | | eatures of Queueing System - Operating Ch | aracteri | stic o | of Queueing | |

| Probabilistic Distribution in Queueing Systems - Classifi | cation of Que | eueing Models - |
|--|------------------------------|-------------------|
| Solution of Queueing Models - Probability Distribution | | |
| Erlangian Service times Distribution with k-Phases. | | * |
| UNIT V REPLACEMENT AND MAINTENANCE MODI | ELS | 12 |
| Failure Mechanism of items - Replacement of Items Deteriora | ates with Time | - Replacement of |
| items that fail completely - other Replacement Problems. | | |
| | LECTURE | TOTAL |
| | 60 | 60 |
| ТЕХТВООК | | |
| 1. J.K.Sharma, "Operations Research Theory and | Applications", | Third Edition, |
| Macmillan India Ltd., 2007, | | |
| Unit I - Chapter-11 (Section 11.1 - 11.8) | | |
| Unit II - Chapter-13 (Section 13.1 - 13.9) | | |
| Unit III - Chapter-14 (Section 14.1 - 14.8); Chapter-15 | 5 : (Section15.1 | - 15.4) |
| Unit IV - Chapter-16 (Section 16.1 - 16.9); Appendix | 16. A (PP 774-' | 781) |
| Unit V - Chapter-17 (Section 17.1 - 17.5) | | |
| REFERENCES | | |
| 1.F.S. Hillier and J.Lieberman, "Introduction to Operations | Research" (81 | th Edition), Tata |
| McGraw | | |
| Hill Publishing Company, New Delhi, 2006. | | |
| 2. Beightler. C, D.Phillips, B. Wilde, "Foundations of Optim | nization" (2nd | Edition) Prentice |
| Hall Pvt | | |
| Ltd., New York, 1979 | | |
| 3.Bazaraa, M.S; J.J.Jarvis, H.D.Sharall, "Linear Programm | ing and Netw | ork flow", John |
| Wiley and | | |
| sons, New York, 1990. | w card - w | |
| 4. Gross, D and C.M.Harris, "Fundamentals of Queueing Th | heory", (3 rd Edi | ition), Wiley and |
| Sons, | | |
| New York, 1998. | D / 11 11 | |
| 5. Hamdy A. Taha, "Operations Research" (sixth edition), | Prentice - Hall | of India Private |
| Limited, | | |
| New Delhi. 2007 | | |

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|--------|-----|-----|-----|-----|-----|-----|------------|-----|-----|
| CO1 | 2 | 1 | | 1 | 2 | | 1 | | 1 |
| CO2 | 2 | 1 | | 1 | 2 | | 1 | | 1 |
| CO3 | 2 | 1 | | 1 | 2 | | 1 | | 1 |
| CO4 | 2 | 1 | | 1 | 2 | | 1 | | 1 |
| CO5 | 2 | 1 | | 1 | 2 | | 1 | | 1 |
| Scaled | 10 | 5 | | 5 | 10 | | 5 | | 5 |
| Value | | | | | | | | | |
| Total | 2 | 1 | | 1 | 2 | | 1 | | 1 |

| COUF | RSE C | ODE | COURSE NAME | | L | Т | Р | С |
|-------------|--------|---------|--|------------|--------|------------|---------|---------|
| YMA2 | 2E1 | | ALGEBRAIC NUMBER THEORY | | 3 | 0 | 0 | 3 |
| С | Р | Α | | | L | Т | Р | Н |
| 3 | 0 | 0 | | | 3 | 0 | 0 | 3 |
| PRER | EQUI | SITE: | Nil | | | | | |
| Cours | | omos | | Do | mair | <u>,</u> т | evel | |
| - | | | Explain Primes, Congruences, Fermat's, Eu | | | | | bering |
| | | | s Theorems | | giinti | | | anding |
| | | | Explain Techniques of numerical calculation | 1s - Co | onitiv | | | bering |
| 00- | | | ryptography – Prime power Moduli – Prim | | 8 | | | anding |
| | | | wer Residues | | | | | |
| | | | Explain Number theory from an Algebraic | Со | gniti | ve R | lemem | bering |
| | | | The Legendre symbol (a/r) where r is an odd | | 0 | | | anding |
| | | - | dratic Reciprocity– The Jacobi Symbol (P/c | | | | | C |
| | - | | odd positive integer. | 1/ | | | | |
| CO4: | Defin | e and | Explain Equivalence and Reduction of Bina | ry Co | gniti | ve R | lemem | bering |
| | Quadi | atic F | orms, Sums of three squares, Arithmetic | | | U | Inderst | anding |
| | Funct | ions – | The Mobius Inversion Formula – Recurrence | ce | | | | |
| | | | Combinatorial number theory | | | | | |
| | | | Explain Diophantine Equations – The equation | | gniti | | | bering |
| | • | | imultaneous Linear Diophantine Equations | - | | U | Inderst | anding |
| | | gorear | Triangles | | | | | |
| UNIT | | | | | | | | 9 |
| | | | sibility – Primes – The Binomial Theorem | | | | | totient |
| | | | and Wilson's Theorems - Solutions of con | gruences | – Th | e Ch | inese | |
| Remai | | heore | 1. | | | | | |
| UNIT | | | | | | | | 9 |
| | - | | erical calculations – Public key cryptograph | • | le po | wer | Modul | i – |
| | | ots an | Power Residues –Congruences of degree t | WO. | | | | |
| UNIT | -III | | | | | | | 9 |
| | | • | m an Algebraic Viewpoint – Groups, rings | | _ | | | |
| | | | endre symbol (a/r) where r is an odd prime | – Quadra | tic R | ecip | rocity | – The |
| | | ool (P/ | I) where q is an odd positive integer. | | | | | |
| UNIT | -IV | | | | | | | 9 |
| | | | forms – Equivalence and Reduction of Bina | | | | | ms of |
| | | | itive Definite Binary Quadratic forms - Gr | | | | | |
| | | | ns – The Mobius Inversion Formula – Recu | irrence Fi | incti | ons - | _ | |
| | | ial nui | iber theory . | | | | | |
| UNIT | | | | | | | | 9 |
| | | | ions - The equation ax+by=c - Simultaneou | us Linear | Diop | ohan | tine | |
| Equati | ions – | Pytha | orean Triangles – Assorted examples. | IEAMI | DE | | TOT | . T |
| | | | | LECTU | KĽ | - | TOTA | 4L |
| | | | | 45 | | | 45 | |

LIST OF ELECTIVES

TEXT BOOKS:

 Ivan Niven, Herbert S, Zuckerman and Hugh L, Montgomery, An Introduction to the Theory of Numbers, Fifth edn., John Wiley & Sons Inc, 2004. UNIT I Chapter 1 and Chapter 2 : Sections 2.1 to 2.3 UNIT II Chapter 2 : Sections 2.4 to 2.9 UNIT III Chapter 2 : Sections 2.10, 2.11 and Chapter 3: Sections 3.1 to 3.3

UNIT IV Chapter 3 : Sections 3.4 to 3.7 and Chapter 4

UNIT V Chapter 5: Sections 5.1 to 5.4.

REFERENCES:

- 1. Elementary Number Theory, David M. Burton W.M.C. Brown Publishers, Dubuque, Lawa, 1989
- 2. Number Theory, George Andrews, Courier Dover Publications, 1994.
- 3. Fundamentals of Number Theory, William J. Leveque Addison-Wesley Publishing Company, Phillipines, 1977.

COs VS POs Mapping

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|--------------|-----|-----|-----|-----|-----|-----|------------|-----|-----|
| CO 1 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 2 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 3 | 3 | 2 | | 1 | | | 1 | 1 | 1 |
| CO 4 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| CO 5 | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |
| Total | 15 | 10 | 0 | 5 | 3 | 0 | 5 | 5 | 5 |
| Scaled value | 3 | 2 | | 1 | 1 | | 1 | 1 | 1 |

 $1 - 5 \rightarrow 1, 6 - 10 \rightarrow 2, 11 - 15 \rightarrow 3$

| COUR | RSE CO | ODE | COURSE NAME | | L | Т | Р | С |
|---------------|--------|----------|------------------------------------|-----------|---|--------------|------------------|------|
| YMA2 | 2E2 | | DATA STRUCTURE AND ALGO | RITHMS | 3 | 0 | 0 | 3 |
| С | Р | Α | | | L | Т | Р | Η |
| 3 | 0 | 0 | | | 3 | 0 | 0 | 3 |
| PRERI | EQUIS | ITE: D | iscrete Mathematics | | | | | |
| Course | outcor | mes: | | Domain | | Leve | 1 | |
| CO1:] | Unders | stand an | nd apply linear data structures | Cognitive | | Unde Appl | erstand lying | ing |
| CO2: 1 | Unders | stand an | nd apply nonlinear data structures | Cognitive | | Unde Appl | erstand lying | ing |
| CO3: 1 | Unders | tand a | nd apply sorting techniques | Cognitive | | Unde Appl | erstand lying | ing |
| CO 4: | Under | stand a | nd apply graph algorithms | Cognitive | | Unde Appl | erstand ying | ling |
| CO 5: | Design | n differ | ent algorithm techniques. | Cognitive | | Unde Appl | erstand lying | ing |
| UNIT- | I | | | | | | Ī | 9 |
| ADT – | List A | DT – S | Stack ADT – Queue ADT. | | | | I | |

| UNIT-II |
|---------|
|---------|

Trees – Binary Trees – Binary Search Trees – AVL Trees – Splay Trees – Tree Traversal – B Trees- B+ Tree

UNIT-III

Insertion sort – Shell sort – Heap sort – Merge sort – Quick sort – Bucket sort – External Sorting.

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UNIT-IV

Topological sort – Shortest path algorithms – Network Flow problems – Minimum Spanning Tree – Applications of Depth First search – NP completeness.

UNIT-V

Greedy Algorithms – Divide and Conquer – Dynamic Programming - Randomized Algorithms – Backtracking algorithms.

| LECTURE | TOTAL |
|---------|-------|
| 45 | 45 |

TEXT BOOKS /REFERENCE BOOKS

1. Mark Allen Weiss, "Data Structures and Algorithm Analysis in C", Second Edition, Pearson Education Reprint 2011.

- 2. Thomas H. Cormen, Charles E. Leiserson, Ronald L.Rivest, Clifford Stein, "Introduction to Algorithms", Second Edition, Mcgraw Hill, 2002
- 3. ReemaThareja, "Data Structures Using C", Oxford University Press, 2011
- 4. Algorithms, Data Structures, and Problem Solving with C++", Illustrated Edition by Mark Allen Weiss, Addison-Wesley Publishing Company
- 5. "How to Solve it by Computer", 2nd Impression by R. G. Dromey, Pearson Education

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|--------------|-----|-----|-----|-----|-----|-----|------------|-----|-----|
| CO 1 | 3 | 2 | 1 | 1 | 1 | | 1 | 1 | 1 |
| CO 2 | 3 | 2 | 1 | 1 | | | 1 | 1 | 1 |
| CO 3 | 3 | 2 | 1 | 1 | | | 1 | 1 | 1 |
| CO 4 | 3 | 2 | 1 | 1 | 1 | | 1 | 1 | 1 |
| CO 5 | 3 | 2 | 1 | 1 | 1 | | 1 | 1 | 1 |
| Total | 15 | 10 | 5 | 5 | 3 | 0 | 5 | 5 | 5 |
| Scaled value | 3 | 2 | 1 | 1 | 1 | | 1 | 1 | 1 |

COs VS POs Mapping

 $1 \text{-} 5 \rightarrow 1, 6 \text{-} 10 \rightarrow 2, 11 \text{-} 15 \rightarrow 3$

| COURSE CODE | COURSE NAME | L | Т | Р | С |
|---|---|-------------------------|---------------|-----------|-----------|
| YMA2E3 | FUZZY SETS AND FUZZY LOGIC | 3 | 0 | 0 | 3 |
| C P A | | L | Т | Р | Н |
| 3 0 0 | | 3 | 0 | 0 | 3 |
| PREREQUISITE: | Discrete Mathematics | | | | |
| Course outcomes: | | Domai | n | Level | |
| CO1: Define and F | xplain basic definitions of Crisp sets, the | Cognit | ive | Remem | bering |
| notion of fuz | y sets and basic concepts of fuzzy sets. | | | Unders | - |
| CO2: Define and F | xplain operation on Fuzzy Sets. | Cognit | ive | Remem | bering |
| | | | | Unders | tanding |
| CO3: Define and H | xplain Fuzzy Relations | Cognit | ive | Remem | bering |
| | | | | Unders | tanding |
| CO4: Define and F | xplain Classical Logic. | Cognit | ive | Remem | bering |
| | | | | | tanding |
| CO5: Define and H | xplain Fuzzy logic, fuzzy tautologies - | Cognit | ive | Remem | bering |
| contradiction | s - equivalence and logical proofs. | | | Unders | tanding |
| UNIT I Crisp S | ets and Fuzzy Sets | | | | 9 |
| Crisp sets basic defi | nitions - the notion of fuzzy sets - basic conce | pts of fuz | zy se | ts. | |
| UNIT II Operati | on on Fuzzy Sets | | | | 9 |
| | · fuzzy union - fuzzy intersection - combination | on and ger | neral | aggrega | - |
| operations. | | fil alla ger | lerui | u99109u | |
| | Relations | | | | 9 |
| | tions - binary relation - equivalence and simil | arity relat | ions | - tolerar | ice |
| relations | y 1 | - | | | |
| - orderings. | | | | | |
| UNIT IV Classic | al Logic | | | | 9 |
| | dictions - equivalence - exclusive OR and exc | lusive NC |)R -] | logical p | proofs. |
| UNIT V Fuzzy | Jogic | | | | 9 |
| | timate reasoning - fuzzy tautologies - contradi | ictions - e | quiva | alence a | nd |
| logical proofs. | | | 1 | | |
| | | LECT | TUR | E T | OTAL |
| | | 4 | 5 | | 45 |
| TEXTBOOKS | | | | | |
| 1. George J. Klir & India Pvt. Ltd., N | Tina A. Folger, "Fuzzy Sets, Uncertainty, and ew Delhi, 1988 | l Informat | ion", | Prentic | e Hall of |
| 2. Timothy J. Ross, Inc, 2010. | "Fuzzy Logic with Engineering Applications" | ", 3 rd edit | ion, I | McGraw | -Hill. |
| REFERENCES | | | | | |
| Netherlands, 2015 | , "Fuzzy Set Theory and Its Applications", 4 ral Networks and Fuzzy Systems", Prentice-F | | | | 2. |

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|--------|------------|-----|-----|-----|-----|-----|------------|-----|-----|
| CO1 | 1 | 2 | 1 | 1 | 1 | | | | 1 |
| CO2 | 1 | 2 | 1 | 1 | 1 | | | | 1 |
| CO3 | 1 | 2 | 1 | 1 | 1 | | | | 1 |
| CO4 | 1 | 2 | 1 | 1 | 1 | | | | 1 |
| CO5 | 1 | 2 | 1 | 1 | 1 | | | | 1 |
| Scaled | 5 | 10 | 5 | 5 | 5 | | | | 5 |
| Value | | | | | | | | | |
| Total | 1 | 2 | 1 | 1 | 1 | | | | 1 |

| COURSE CODE | (| COURSE TITLE | L | T | Р | C |
|-------------------|-------|---|----------|--------|--------|---------|
| YMA301 | I | FIELD THEORY | 4 | 0 | 0 | 4 |
| C P A | | | L | Τ | Р | Η |
| 4 0 0 | | | 4 | 0 | 0 | 4 |
| PREREQUISI | TE | : Algebra | | | | |
| Course outcom | nes: | | Doma | nin | Level | |
| CO1: Define an | nd | Explain Extension fields – Finite Extension – | Cogni | tive | Remen | obering |
| | | on - Transcendence of e. | | | | tanding |
| CO2: Define a | nd | Explain Roots of Polynomials Remainder | Cogni | tive | Remem | nbering |
| Theorem - Spl | ittiı | ng field - More about roots. | | | Unders | tanding |
| | | Explain Elements of Galois Theory- Fixed | Cogni | tive | Remem | nbering |
| field – Normal o | exte | ension- Fundamental Theorem. | | | Unders | tanding |
| CO4: Define a | nd | Explain Solvability by radicals – Solvable | Cogni | tive | Remen | bering |
| | | up over the rational. | C | | | tanding |
| CO5: Define a | nd | Explain Finite fields - Wedderburn's theorem | Cogni | tive | Remen | bering |
| | | ings – A Theorem of Frobenius. | Ũ | | | tanding |
| UNIT I | | | • | | | 12 |
| Extension fields | s – | Finite Extension – Algebraic Extension - Trans | cenden | ce of | e. | |
| UNIT II | | | | | | 12 |
| Roots of Polyno | omi | als Remainder Theorem – Splitting field - Mo | ore abou | it roo | ts. | |
| UNIT III | | | | | | 12 |
| | aloi | s Theory- Fixed field – Normal extension- Fund | dament | al Th | eorem. | 1 |
| UNIT IV | | | | | | 12 |
| Solvability by r | adi | cals – Solvable group – Galois group over the r | ational | | | |
| UNIT V | | | | | | 12 |
| Finite fields - W | Ved | derburn's theorem on finite division rings – A 7 | | n of F | | |
| | | LECTU | RE | | Т | TOTAL |
| | | | 60 | | | 60 |
| TEXTBOOK | | | | | | |
| | | ppics in Algebra", Willey Eastern, 1975. | | | | |
| REFERENCE | S | | | | | |

1. John B. Fraleigh,"A First Course in Abstract Algebra", Narosa Publication, Third Edition, 2013

2. P. M. Cohn,"Basic Algebra", Springers Publications, Second Edition, 2003.

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|--------|-----|-----|-----|-----|-----|-----|------------|-----|------------|
| CO1 | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| CO2 | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| CO3 | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| CO4 | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| CO5 | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| Scaled | 15 | 10 | | | 5 | 5 | 5 | 5 | 5 |
| Value | | | | | | | | | |
| Total | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |

| COU COI | URSE DE | | | C | DUI | RSE | T | ITL | Æ | | | | | | | L | ı | | Τ | | Р | | С | , |
|--|------------------|--------|------|------|-------|--------|------|--------|----------|---------|----------|------|--------|---------------|------|----------|-------|-------|-------|-------|---------------|-----|----------|-----|
| YM | A302 | | | T |)P(|)LO |)GY | Y | | | | | | | | 4 | | | 0 | | 0 | | 4 | |
| С | Р | Α | | | | | | | | | | | | | | L | 1 | | Т | | Р | | Η | [|
| 4 | 0 | 0 | | | | | | | | | | | | | | 4 | I | | 0 | | 0 | | 4 | |
| PRE | REQ | UISI | SI] | ITE | : | | | | | | | | | | | | | | | | | | | |
| Cou | rse ou | tcon | m | nes | | | | | | | | | | | | Dor | nai | n | | L | evel | | | |
| CO1 | : Defi | ine a | an | nd | Exp | olair | n To | opol | logic | cal S | Space | es | | | | Cog | gniti | ive | | | emei Inder | | | |
| CO2: Define and Explain Continuous Functions Cognitive Rememberin Understandi | | | | | | | | | <u> </u> | | | | | | | | | | | | | | | |
| CO3:Define and Explain Connectedness | | | | | | | | | Cog | gniti | ive | | | emei Inder | | <u> </u> | | | | | | | | |
| | :Defi | | | | • | | | | | | | | | | | Cog | gniti | ive | | | emei Inder | | <u> </u> | |
| CO5 Axic | 5: Def | ine a | a | and | Ex | plai | n C | Coun | ıtabi | ility a | and | Sep | arat | ion | | Cog | gniti | ive | | | emei Inder | | <u> </u> | |
| UNI | TII | Γορο | ol | olog | ical | Spa | aces | 5 | | | | | | | | | | | | | | | 12 | |
| Торо | ologica x Y - | al sp | pa | ace | 5 - E | Basis | s fo | r a to | - | logy | 7 - TI | he o | order | · topo | olog | y - T | The | pro | duc | et to | opolo | gу | | |
| UNI | T II C | Conti | tir | inu | ous | Fun | ncti | ons | - | | | | | | | | | | | | | | 12 | 2 |
| | ed set logy | | | | | | | | | | | | | | | | | | ' - T | 'he | metr | ic | | |
| UNI | T III | Co | n | nne | cteo | Ines | S | | | | | | | | | | | | | | | | 12 | 2 |
| | nected | - | | | - co | nneo | cted | l sut | ospa | ices (| of th | ne R | leal l | line - | - Co | mpo | nen | its a | and | loc | al | | | |
| UNI | TIV | Con | m | npa | ctn | ess | | | | | | | | | | | | | | | | | 12 | 2 |
| | pact s | | | - | | | ct s | subs | pace | es of | f the | e Re | eal l | ine - | - Li | mit 1 | Poi | nt | Con | npa | ctnes | s - | - Loc | cal |
| | pactne | | | | | | | | | | <u>.</u> | | | | | <u>.</u> | | | | | | | | |
| | ΤVC | | | | | | | | | | | | | | | | | | | | | | 12 | |
| | Count Uryso | | | | | | | | | | | | | | | | | - T | he U | Jry | sohn | Le | emma | a - |
| The | Uryso | iiii n | 116 | letr | Zati | .011 . | 1 ne | orer | .11 - 1 | ine . | Tiet | zex | liens | | meo | rem. | | | | | | | | |

| | LECTURE | TOTAL |
|--|---------|-------|
| | 60 | 60 |

TEXTBOOK

1. James R. Munkres, "Topology", (2nd Edition) PHI Learning Pvt. Ltd., (Third Indian Reprint) New Delhi, 2014

Unit I - Chapter 2: Sections 12 to 17

- Unit II Chapter 2: Sections 18 to 21 (Omit Section 22)
- Unit III Chapter 3: Sections 23 to 25
- Unit IV Chapter 3: Sections 26 to 29
- Unit V Chapter 4: Sections 30 to 35

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- 2. George F.Sinmons, "Introduction to Topology and Modern Analysis", McGraw Hill Book Co., 1963.
- 3. J.L. Kelly, "General Topology", Van Nostrand, Reinhold Co., New York. 1995
- 4. L.Steen and J.Subhash, "Counter Examples in Topology", Holt, Rinehart and Winston, New York, 1970.
- 5. S.Willard, "General Topology", Addison Wesley, Mas.1970.

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|-----|-----|-----|-----|-----|-----|-----|------------|------------|------------|
| CO1 | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| CO2 | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| CO3 | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| CO4 | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |
| CO5 | 3 | 2 | | | 1 | 1 | 1 | 1 | 1 |

| COU | RSEC | ODE | COURSENAME | L | Т | Р | С | |
|---------------------|---------|---------------------|--|---------|------|--------------------------------|--------|--|
| YMA | 303 | | AUTOMATA THEORY | 3 | 1 | 0 | 4 | |
| С | Р | Α | | L | Т | Р | Н | |
| 4 | 0 | 0 | | 3 | 1 | 0 | 4 | |
| PRERI | EQUIS | SITE: A | nalysis | | | | | |
| Course | outco | mes: | | Domai | in | Level | | |
| C01: | Define | and E | xplain Strings, Alphabets and Languages | Cognit | ive | Rememb Understa | U | |
| CO2: | | and Ex gular set | xplain Regular expressions and Properties s. | Cognit | ive | Remembering Understanding | | |
| CO3: | Define | and E | xplain Context Free grammars | Cognit | ive | e Remembering Understanding | | |
| CO4: | Define | and E | xplain Pushdown Automata & properties | Cognit | ive | Rememb | bering | |
| | of Cor | ntext fre | e languages | | | Understa | anding | |
| CO5: | Define | and E | xplain Turning Machine and Chomski | Cognit | ive | Rememb | bering | |
| | hierarc | chy. | | | | Understa | unding | |
| UNIT I | [| | | | | | 12 | |
| Strings. Section | | | d Languages (Section 1.1 of the Text) Finit | e Autor | nata | (Chapter | rs 2, | |

| UNIT II | | 12 |
|--|-----------------------|--------------|
| Regular expressions and Properties of Regular sets.(Sections 2. | 5 to 2.8 and 3.1 to 3 | .4) |
| UNIT III | | 12 |
| Context Free grammars (Section 4.1 to 4.5) | | · |
| UNIT IV | | 12 |
| Pushdown Automata & properties of Context free languages Th | eorem 5.3, 5.4 (with | nout proof) |
| | | iout proor), |
| (Section is 5.1 to 5.3 and 6.1 to 6.3) | | iout proor), |
| | | 12 |
| (Section is 5.1 to 5.3 and 6.1 to 6.3) | | - |
| (Section is 5.1 to 5.3 and 6.1 to 6.3) UNIT V | | - |
| (Section is 5.1 to 5.3 and 6.1 to 6.3) UNIT V Turning Machine and Chomski hierarchy, (Sections 7.1 to 7.3 a | and 9.2 to 9.4) | 12 |
| (Section is 5.1 to 5.3 and 6.1 to 6.3) UNIT V Turning Machine and Chomski hierarchy, (Sections 7.1 to 7.3 a LECTURE | and 9.2 to 9.4) | 12 TOTA |

Computation, Narosa, 1999

REFERENCES

- 1. G.ERevesz,Introduction to Formal Languages
- 2. P.Linz,Introduction to Forma Languages and Automata,Narosa2000

3. G.Lallment, Semigroups and Applications

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|--------|-----|-----|-----|-----|-----|-----|------------|-----|------------|
| CO1 | 2 | 1 | | 1 | 2 | | 1 | | 1 |
| CO2 | 2 | 1 | | 1 | 2 | | 1 | | 1 |
| CO3 | 2 | 1 | | 1 | 2 | | 1 | | 1 |
| CO4 | 2 | 1 | | 1 | 2 | | 1 | | 1 |
| CO5 | 2 | 1 | | 1 | 2 | | 1 | | 1 |
| Scaled | 10 | 5 | | 5 | 10 | | 5 | | 5 |
| Value | | | | | | | | | |
| Total | 2 | 1 | | 1 | 2 | | 1 | | 1 |

| COU COD | | | COURSE NAME | L | T | Р | C | |
|--|----------|--------|--|---------------------------|------------------|--------------------------------|-------------|--|
| YMA | | | MATHEMATICAL STATISTICS | 4 | 0 | 0 | 4 | |
| C | <u>P</u> | Α | | L | Ť | P | H | |
| 4 | 0 | 0 | | 4 | 0 | 0 | 4 | |
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| PREF | - | | | | | | l | |
| | | | COMES: | | | | | |
| Cours | | | | Doma | ain | Level | | |
| CO1: | Defin | e an | d Explain Estimation Theory. | Cogni | itive | | nbering | |
| Unders | | | | | | | | |
| | | | and solve Tests based on normal, t and f | Cogni | tive | | tanding | |
| | | | testing of means, variance and proportions – tables – Goodness of fit | | | Арр | lying | |
| | | | nd solve Correlation And Regression. | Cogni | itive | Unders | tanding | |
| Appl | | | | | | | | |
| CO4: Explain and solve Design of Experiments Cognitive Under Apply | | | | | | | | |
| CO5: Explain and solve Statistical Quality Control by X , R Cognitive Under | | | | | | | | |
| charts, p, c and np charts. | | | | | | | | |
| UNIT I Estimation Theory 12 | | | | | | | | |
| | | | iasedness, Consistency, Efficiency and Sufficien | $\mathbf{v} - \mathbf{M}$ | aximu | ım likeli | | |
| | | | hod of moments. | | | | | |
| UNIT | ' II To | ctine | g Of Hypothesis | | | | 12 | |
| | | - | ormal, t and f distributions for testing of means, | variance | and | | 14 | |
| | | | alysis of $r \times c$ tables – Goodness of fit. | variance | anu | | | |
| | | | elation And Regression | | | | 12 | |
| | | | tial correlation – Method of least squares – Plan | e of Re | gressi | on – Pr | | |
| | | | Coefficient of multiple correlation – Coefficie | | | | | |
| | | | ion with total and partial correlation – Regression | - | | | | |
| - | - | | der co-efficient. | | | | | |
| | | 0 | n of Experiments | | | | 12 | |
| | | | nce – One way and two way classifications – Co | ompletel | ly ran | domized | l design | |
| – Ran | domiz | ed bl | ock design – Latin square design. | | | | | |
| UNIT | ' V Sta | ntisti | cal Quality Control | | | | 12 | |
| | | | nce: Control charts for measurements (X and R | charts) - | - cont | rol char | | |
| attribu | ites (p | | d np charts) – Tolerance limits – Acceptance sa | | | | | |
| SPSS. | | | LECTURE | | | 1 | OTAL | |
| | | | <u> </u> | | | | <u>60</u> | |
| ТЕХТ | FRAA | K | 00 | 1 | | <u> </u> | 00 | |
| 1. Gu | upta. S | .C., | and Kapoor. V.K., "Fundamentals of Mathemati nth Edition, 2014. | cal Stati | stics" | ', Sultan | Chand and | |
| REFF | | | | | | | | |
| 2. Ja | y L. D | evor | 'Mathematical Statistical'', 5 th Edition, Prentice 1 e, "Probability and Statistics for Engineering and , Singapore, 2002. | Hall of I I the Sci | India, iences | 2001. s",5 th Ed | ition, Thor | |

TABLE 1: COs VS POs Mapping

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|-----|------------|-----|-----|-----|-----|-----|------------|-----|-----|
| CO1 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| CO2 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| CO3 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| CO4 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| CO5 | 2 | 1 | 1 | 1 | | 2 | | | 1 |

LIST OF ELECTIVES

| COUR CODR | | | COURSE NAME | L | T | Р | С | |
|---|-----------------------|--------------|---|-----------|---------|-----------|----------|--|
| YMA3 | | | DATA ANALYSIS USING SPSS | 3 | 0 | 0 | 3 | |
| C | Р | A | DATA ANAL ISIS USING SI 55 | L | T | P | H | |
| 3 | 0 | 0 | | 3 | 0 | 0 | 3 | |
| - | v | v | Probability and Statistics | 0 | Ū | v | 0 | |
| COUF | RSE O | UTCO | MES: | | | | | |
| Cours | e outco | mes: | | Doma | in | Level | | |
| CO1: | Define | and E | xplain Starting SPSS, SPSS Main Menus, | Cogni | tive | Remen | bering | |
| , | Workin | ng with | the Data Editor, Importing and Exporting | Ũ | | Unders | tanding | |
| data, Plotting of Charts using Bar and Pie diagram. | | | | | | | | |
| | | | Explain measures of central tendencies and | Cogni | tive | Remen | bering | |
|] | measur | es of d | lispersion using SPSS | | | Unders | standing | |
| CO3:Define and Explain Type I and Type II error, Basics of one Cognitive Remember | | | | | | | ibering | |
| sample t-test, independent sample t-test and paired t-test Understa | | | | | | | 0 | |
| | using S | | | | C | | | |
| CO4:I | Define a | and E | xplain One way ANOVA, two way ANOVA | Cogni | tive | Remen | bering | |
| | | | re test using SPSS | Ũ | | | tanding | |
| CO5: | Define | and 1 | Explain correlation and regression using SPSS | Cogni | tive | Remen | bering | |
| | | | | C | | | tanding | |
| UNIT | I | | | | | | 9 | |
| Introdu | action t | to SPS | S – Starting SPSS – SPSS Main Menus – Wo | rking w | vith tl | ne Data | Editor – | |
| | | | orting and Exporting data. Plotting of Charts: S | | | | | |
| | | | e Diagram. | - | | • | - | |
| UNIT | II | | | | | | 9 | |
| Descri | ptive S | Statisti | cs and Frequencies using SPSS. Measures o | of centr | al te | ndencies | : | |
| Arithm | netic m | ean, N | Aedian, Mode, Geometric mean and Harmonic | Mean. | Me | asures o | f | |
| Disper | sion: 1 | Range | inter quartile range, Mean Deviation and | Standa | ard d | leviation | | |
| Measu | res of S | Skewn | ess and Kurtosis | | | | | |
| UNIT | III | | | | | | 9 | |
| Testing | g of Hy | pothe | sis: Type I error and Type II Errors – Concept of | of p val | ues – | Basic C | Concepts | |
| of On | e Sam | ple t-1 | est, Independent Samples t-test, Paired samp | oles t-te | est u | sing SP | SS with | |
| interpr | etation | | | | | | | |
| UNIT | | | | | | | 9 | |
| Analys | sis of V | 'arianc | e: Basic concepts of ANOVA – One Way and T | wo Wa | y AN | OVA us | ing | |
| SPSS v | with int | terpret | ation. Chi-square Test for Independence of attri | butes us | sing S | SPSS. | | |
| UNIT | V | | | | | | 9 | |
| Correla | ation: <mark>F</mark> | Karl Pe | earson's coefficient of Correlation - Spearman's | Rank c | orrel | ation – S | imple | |
| | | | • | | | | | |

| li | inear Regression using SPSS with interpretation. | | | | |
|----|--|--------|---|------|----|
| | | LECTUR | E | ТОТА | L |
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| | | 45 | | 45 | |
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TEXTBOOK

1. Ajai J Gaur and Sanjaya S. Gaur (2008): Statistical Methods for Practice and Research A guide to data analysis using SPSS, First Edition, Sage Publications.

REFERENCES:

1. Andy Field.(2011); Discovering Statistics Using SPSS, Sage Publications.

2. Hinton P R, Brownlow C, McMurray, I. and Cozens, B. (2004) SPSS Explained, Routledge

| COURSE CODE | | COURSE TITLE | L | Τ | Р | С | | | |
|---|-------------|--|---------------|--------|------------|---------------|--|--|--|
| YMA3E2 | | NUMERICAL METHODS | 3 | 0 | 0 | 3 | | | |
| | A | NUMERICAL METHODS | L | T | P | - S H | | | |
| | A 0 | | <u>L</u> 3 | 0 | r | <u>п</u> 3 | | | |
| | Ŭ | | 3 | U | U | 3 | | | |
| PREREQUIS | | - | | | | | | | |
| COURSE OU | J T(| COMES: | | | | | | | |
| Course outcom | | | Doma | | Level | | | | |
| | | lution by using Bisection method-Newton- | Cogni | tive | Remen | bering | | | |
| | | I-Curve fitting straight line and parabola. | | | | | | | |
| CO2: Solve S | Sim | ultaneous Linear Equations. | Cogni | tive | Remen | bering | | | |
| | | | | | Unders | tanding | | | |
| CO3:Find the | e va | lue of $y = f(x)$ using interpolation formula. | Cogni | tive | Remen | | | | |
| | | | | | Unders | tanding | | | |
| CO4:Find the | e fir | st and second derivative of $f(x)$ and to find the | Cogni | tive | Remen | 0 | | | |
| | | s using numerical methods. | | | Unders | tanding | | | |
| CO5: Solve ordinary differential equations by using various Cognitive Remember | | | | | | | | | |
| methods. Understandi | | | | | | | | | |
| UNIT I 9 | | | | | | | | | |
| Solution of N | Nur | nerical Algebraic Equations & Curve fitting | Bisecti | on n | nethod-N | lewton- | | | |
| Raphson meth | od | -Curve fitting straight line and parabola. | | | | | | | |
| UNIT II | | | | | | 9 | | | |
| Solution of S | Sim | ultaneous Linear Equations-Gauss-Elimination | n meth | od-M | ethod o | f | | | |
| | Gau | ss Jacobi and Gauss-Seidel methods | | | | | | | |
| UNIT III | | | | | | 9 | | | |
| | | Gregory-Newton forward and backward interp | olation | forn | nulae St | erling's | | | |
| formula-Lagra | ng | e's formula. | | | | | | | |
| UNIT IV | | | | | | 9 | | | |
| | | rentiation and Integration, Numerical differe | entiation | ı, Tr | apezoida | l rule- | | | |
| | e-th | ird rule –Simpson's three-eighth rule. | | | | | | | |
| UNIT V | | | | | | 9 | | | |
| | | on of Ordinary Differential Equations, Euler's m | ethod – | - four | th order | Runge- | | | |
| Kutta method- | Mi | lne's predictor corrector method. | | | | | | | |
| | | LECTUR | | | T | OTAL | | | |
| | | | 45 | | | 45 | | | |
| TEXTBOOK | | | | | 44 2 - | | | | |
| 1. Sastry. | S.S | s, "Introductory Methods of Numerical Analysis" | ", Prent | ice H | all of Ind | dia, 2000 | | | |

REFERENCES

- 1. Gerald, Curtis and Wheatley, Patrick.O,"Applied Numerical Analysis", (Fifth Edition) Addison-Wesley, 1989.
- 2. Kandasamy.P, Thilakavathy.K, Gunavathy.K-Numerical Methods, S.Chand & Co. Ltd, New Delhi, Reprint 2001.

| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
|------------|------------|-----|-----|------------|-----|------------|------------|------------|------------|
| CO1 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| CO2 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| CO3 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| CO4 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| CO5 | 2 | 1 | 1 | 1 | | 2 | | | 1 |

| E OU' outcon | А 0 (ТЕ: Ni ГСОМ | COMMUTATIVE ALGEBRA | | 3 L | 0 T | 0 D | 3 | | | | | |
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| outcon | | COURSE OUTCOMES: | | | | | | | | | | |
| | | ES: | Domain | | | evel | | | | | | |
| CO1: Define and Explain special algebraic structures and their Cognitive Remember | | | | | | | | | | | | |
| roperties. Understand | | | | | | | | | | | | |
| | | | | | | | | | | | | |
| Understand | | | | | | | | | | | | |
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| | | | | | | | 9 | | | | | |
| • | | • | n, modules and 1 | nodu | le | | | | | | | |
| • | | • | | | | | 9 | | | | | |
| | | | erties – extended | l and | contra | acted | l | | | | | |
| I | | | | | | | 9 | | | | | |
| | | n – Integral dependence – The going-up theory | em – The going o | down | theor | em – | - | | | | | |
| 7 | | | | | | | 9 | | | | | |
| nditio | ns – <mark>P</mark> ri | mary decomposition in Noetherian rings. | | | | | | | | | | |
| | | | | | | | 9 | | | | | |
| | efine Define lecom Define Dedeki d ring roduct rings of I Decon n rings 7 | efine and Exp Define and Exp lecomposition Define and Ex Dedekind dom d ring homom rphism – exact roduct of mod rings of fracti I Decomposition n rings. | define and Explain the methods of decomposition of rings. Define and Explain Chain conditions – Primary decomposition in Noetherian rings. Define and Explain Artin rings – Discrete valuation rings – Dedekind domains – Fractional ideals d ring homomorphism's – ideals – Extension and Contraction rphism – exact sequences. roduct of modules – Tensor product of algebra – Local proprings of fractions. I Decomposition – Integral dependence – The going-up theorem rings. | efine and Explain the methods of decomposition of rings. Cognitive Define and Explain Chain conditions – Primary Cognitive lecomposition in Noetherian rings. Cognitive Define and Explain Artin rings – Discrete valuation rings – Cognitive Dedekind domains – Fractional ideals Cognitive d ring homomorphism's – ideals – Extension and Contraction, modules and rephism – exact sequences. roduct of modules – Tensor product of algebra – Local properties – extended rings of fractions. I Decomposition – Integral dependence – The going-up theorem – The going of rings. | understand Understand understand Explain the methods of decomposition of rings. Cognitive Refure Define and Explain Chain conditions – Primary Cognitive Refure Decomposition in Noetherian rings. Understand Understand Define and Explain Artin rings – Discrete valuation rings – Cognitive Refure Dedekind domains – Fractional ideals Cognitive Refure understand Understand Understand Understand d ring homomorphism's – ideals – Extension and Contraction, modules and modu Understand Understand roduct of modules – Tensor product of algebra – Local properties – extended and rings of fractions. I Decomposition – Integral dependence – The going-up theorem – The going down nrings. | Underst efine and Explain the methods of decomposition of rings. Cognitive Rememing Define and Explain Chain conditions – Primary Cognitive Rememing lecomposition in Noetherian rings. Underst Underst Define and Explain Artin rings – Discrete valuation rings – Cognitive Rememing Dedekind domains – Fractional ideals Cognitive Rememing Inderst Underst Underst roduct of modules – Tensor product of algebra – Local properties – extended and contrarings of fractions. I Decomposition – Integral dependence – The going-up theorem – The going down theor n rings. The going down theorem – | understanding understanding vefine and Explain the methods of decomposition of rings. Cognitive Remembering Define and Explain Chain conditions – Primary Cognitive Remembering lecomposition in Noetherian rings. Understanding Understanding Define and Explain Artin rings – Discrete valuation rings – Cognitive Remembering Dedekind domains – Fractional ideals Cognitive Remembering understanding Understanding Understanding d ring homomorphism's – ideals – Extension and Contraction, modules and module rphism – exact sequences. roduct of modules – Tensor product of algebra – Local properties – extended and contracted rings of fractions. Image: Composition – Integral dependence – The going-up theorem – The going down theorem – n rings. | | | | | |

Artin rings – Discrete valuation rings – Dedekind domains – Fractional ideals.

| | LECTURE | TOTAL |
|--|---------|-------|
| | 45 | 45 |

TEXT BOOKS:

1. Atiyah, M., MacDonald, I.G., Introduction to Commutative Algebra, AddisonWesley, Massachusetts 1969.

UNIT 1 : Chapter 1, Chapter 2 (up to page 23)UNIT 2 : Chapter 2 (pages 24 - 31), Chapter 3.UNIT 3 : Chapters 4, 5.UNIT 4 : Chapters 6, 7.UNIT 5 : Chapters 8, 9.

REFERENCES:

1. H.Matsumura, Commutative ring theory, Cambridge University Press, 1986.

 N.S. Gopalakrishnan, Commutative Algebra, Oxonian Press Pvt. Ltd, New Delhi, 1988. R.Y.Sharp, Steps in Commutative Algebra, Cambridge University Press, 1990.

| | OURSE | 2 | COURSE NAME | L | Т | Р | С | | |
|--|----------|------|---|---------|--------|----------|---------|--|--|
| | AA401 | | COMPLEX ANALYSIS | 4 | 0 | 0 | 4 | | |
| С | Р | Α | | L | Т | Р | Н | | |
| 4 | 0 | 0 | | 4 | 0 | 0 | 4 | | |
| PREF | REQUI | ISIT | E: | I | 1 | | | | |
| Cours | se outc | ome | s: | Doma | in | Level | | | |
| CO1: | Define | and | Explain Line Integrals- Rectifiable arc – Line | Cogni | tive | Remem | bering | | |
| integra | als as f | unct | ions of arc- Cauchy's Theorem for rectangle- | _ | | Unders | tanding | | |
| Cauch | iy's Th | eore | m for disc | | | | | | |
| CO2: | Defin | e an | d Explain Integral Formula – Higher | Cogni | tive | Remem | bering | | |
| deriva | tives – | Rer | novable singularities – Taylor's theorem – | | | Unders | tanding | | |
| Zeros | | | | | | | | | |
| Principle. | | | | | | | | | |
| CO3: | Define | and | Cogni | tive | Remem | bering | | | |
| Theor | em – P | roof | | | Unders | tanding | | | |
| Differ | entials | -M | ultiply Connected Regions. | | | | | | |
| | | | Explain The Residue Theorem – The | Cogni | tive | Remem | | | |
| - | | | ciple – Evaluation of Definite Integrals – The | | | Unders | tanding | | |
| | | | operty – Poisson's formula- Schwarz's | | | | | | |
| | | | Reflection Principle. | | | | | | |
| | | | d Explain Weierstrass's Theorem – The Taylor | Cogni | tive | Remem | | | |
| | | | rrent Series – Partial Fractions- Jensen's | | | Unders | tanding | | |
| Form | | Had | amard's Theorem | | | | | | |
| UNIT | | | | | | | 12 | | |
| | - | | Rectifiable arc – Line integrals as functions of | arc- Ca | uchy | 's Theor | rem for | | |
| | 0 | auch | y's Theorem for disc. | | | | | | |
| UNIT | ' II | | | | | | 12 | | |
| | | | oint - Integral Formula – Higher derivatives – Re | | | | | | |
| – Tay | lor's | theo | rem - Zeros and Poles - The Local Mappir | ng – T | he N | laximun | 1 | | |
| Principle. | | | | | | | | | |
| UNIT III 12 | | | | | | | | | |
| Chains and Cycles – Simple Connectivity – Homology – The General Statement of Cauchy's | | | | | | | | | |
| Theorem - Proof of Cauchy's Theorem - Locally Exact Differentials - Multiply Connecte | | | | | | | | | |

| Regions. | | | | | | | | |
|--|---------------|-----------------|--|--|--|--|--|--|
| UNIT IV | | 12 | | | | | | |
| The Residue Theorem – The Argument Principle – Evaluation of | Definite Inte | grals – The | | | | | | |
| Mean – value property – Poisson's formula- Schwarz's Theorem – The Reflection Principle. | | | | | | | | |
| UNIT V | | 12 | | | | | | |
| Weierstrass's Theorem – The Taylor Series – The Laurent Series – Partial Fractions- Jensen's | | | | | | | | |
| Formula – Hadamard's Theorem. | | | | | | | | |
| LECTURE | LECTURE | | | | | | | |
| 60 | | 60 | | | | | | |
| ТЕХТВООК | | | | | | | | |
| 1.Lars V.Ahlfors, "Complex Analysis", 3 rd Edition McGraw Hill Ed | ucation (Indi | a) Private | | | | | | |
| Ltd.2013. | | | | | | | | |
| Chapter 4 - Section 1.1 to 1.5, Section 2.1 to 2.3, Section 3.1 t | o 3.4, Sectio | n 4.1 to 4.7, | | | | | | |
| Section 5.1 | | | | | | | | |
| to 5.3, Section 6.1 to 6.5. | | | | | | | | |
| Chapter 5 - Section 1.1 to 1.3, Section 2.1, Section 3.1 & 3.2. | | | | | | | | |
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| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
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| CO1 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| CO2 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
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| PREREQUISITE: | | | | | | | | | | |
| COURSE OUTCOMES: | | | | | | | | | | |
| Course outcomes: | Doma | in | Level | | | | | | | |
| CO1:Define and Explain Normed Spaces – Continued of | Cogni | tive | Remembering | | | | | | | |
| Linear Maps – Hahn – Banach Theorems. | | | Understanding | | | | | | | |
| CO2: Define and Explain Banach Spaces – Uniform | Cogni | tive | Remem | bering | | | | | | |
| Boundedness Principle – Closed Graph and Open Mapping | | | Unders | tanding | | | | | | |
| Theorems. | | | | | | | | | | |
| CO3:Define and Explain Bounded Inverse Theorem – | Cogni | tive | Remem | bering | | | | | | |
| Spectrum of a Bounded Operator. Understanding | | | | | | | | | | |
| CO4:Define and Explain Inner Product Spaces – Orthonormal Cognitive Remembering | | | | | | | | | | |
| Sets – Projection and Riesz Representation Theorems. | | | Unders | tanding | | | | | | |

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| LECTUR | E | TO | TAL | | | |
| Bounded Operators and adjoint, Normal, Unitary and Self-adjoin | t Operators. | | | | | |
| UNIT V | | | | | | |
| Inner Product Spaces – Orthonormal Sets – Projection and Riesz I | Representation | on Theorei | ns. | | | |
| UNIT IV | | | | | | |
| Bounded Inverse Theorem – Spectrum of a Bounded Operator. | | | | | | |
| UNIT III | | | | | | |
| Theorems. | | | | | | |
| Banach Spaces – Uniform Boundedness Principle – Closed Grap | h and Open | Mapping | | | | |
| UNIT II | | | 12 | | | |
| Normed Spaces – Continued of Linear Maps – Hahn – Banach Th | eorems. | | | | | |
| UNIT I | | | 12 | | | |
| Normal, Unitary and Self-adjoint Operators. Understa | | | | | | |
| CO5: Define and Explain Bounded Operators and adjoint, Cognitive Remem | | | | | | |

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| | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 |
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| CO2 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| CO3 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| CO4 | 2 | 1 | 1 | 1 | | 2 | | | 1 |
| CO5 | 2 | 1 | 1 | 1 | | 2 | | | 1 |

| YMA40 | 3 | | | | | | | |
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| | QUIS | ITE: | : F | Probability and Statistics | | | | L |
| Course o | outcom | es: | | | Doma | ain | Level | |
| CO1:Define and explain Mathematical Modeling through Ordinary Differential Equations of First order | | | | | Cognitive Affective | | Remembering Understanding Receiving | |
| CO2:Define and explain Mathematical Modeling through Systems of Ordinary Differential Equations of First Order | | | | | Cognitive Affective | | Remembering Understanding Receiving | |
| CO3:Define and explain Mathematical Modeling through Ordinary Differential Equations of Second Order | | | | | Cognitive | | Remembering Understanding | |
| CO4:Define and explain Mathematical Modeling through Difference Equations | | | | | Cognitive | | Remembering Understanding | |
| CO5: Define and explain Mathematical Modeling through Graphs | | | | | Cognitive | | Remembering Understanding | |
| UNIT I: order | Math | iema | ıti | cal Modeling through Ordinary Differential Equ | uations | s of F | irst | 9+3 |
| | browth | and | D | Decay Models – Non-Linear Growth and Decay Models | dels –C | Compa | artment | |
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